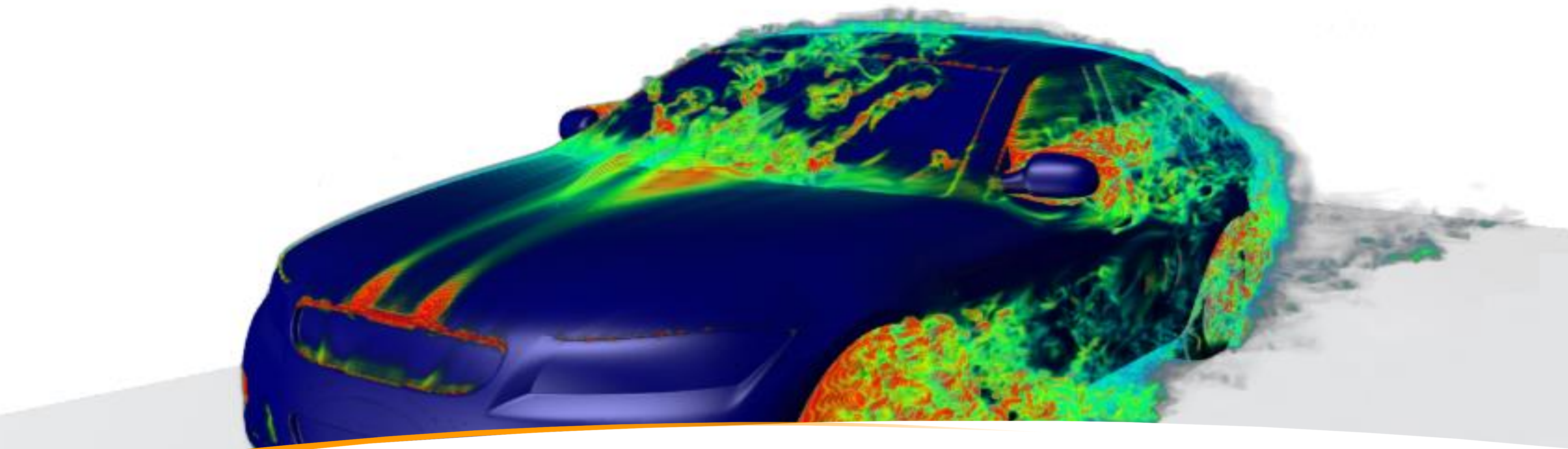




The Next Generation CFD

Unsteady and dynamic vehicle simulations using a Lattice-Boltzmann Method Aerovehicles 2

Miguel Chávez,

D. M. Holman, R. Brionnaud, Z. Abiza

22 June 2016



Outline

- Motivation
- Numerical methodology
- DrivAer Validation
 - Geometry
 - Setup
 - Refinement strategy
 - Numerical Results
- Overtaking simulation
 - Setup
 - Numerical Results
- Crosswind Adams Car-XFlow co-simulation
 - Adams-XFlow co-simulation
 - Setup simulation
 - Free steering
 - Driver control: Straight-line event

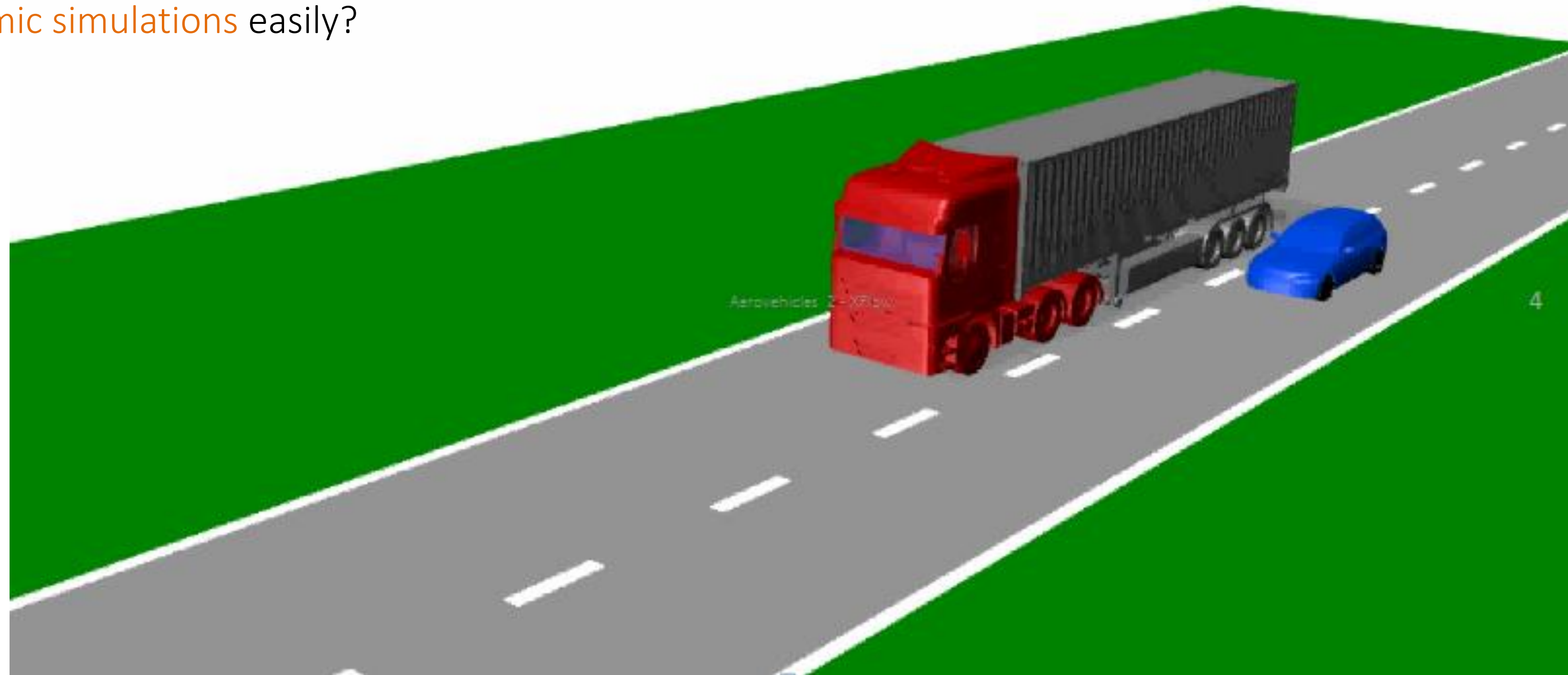
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Motivation

Limitations of conventional NS methods in dynamic and unsteady simulations

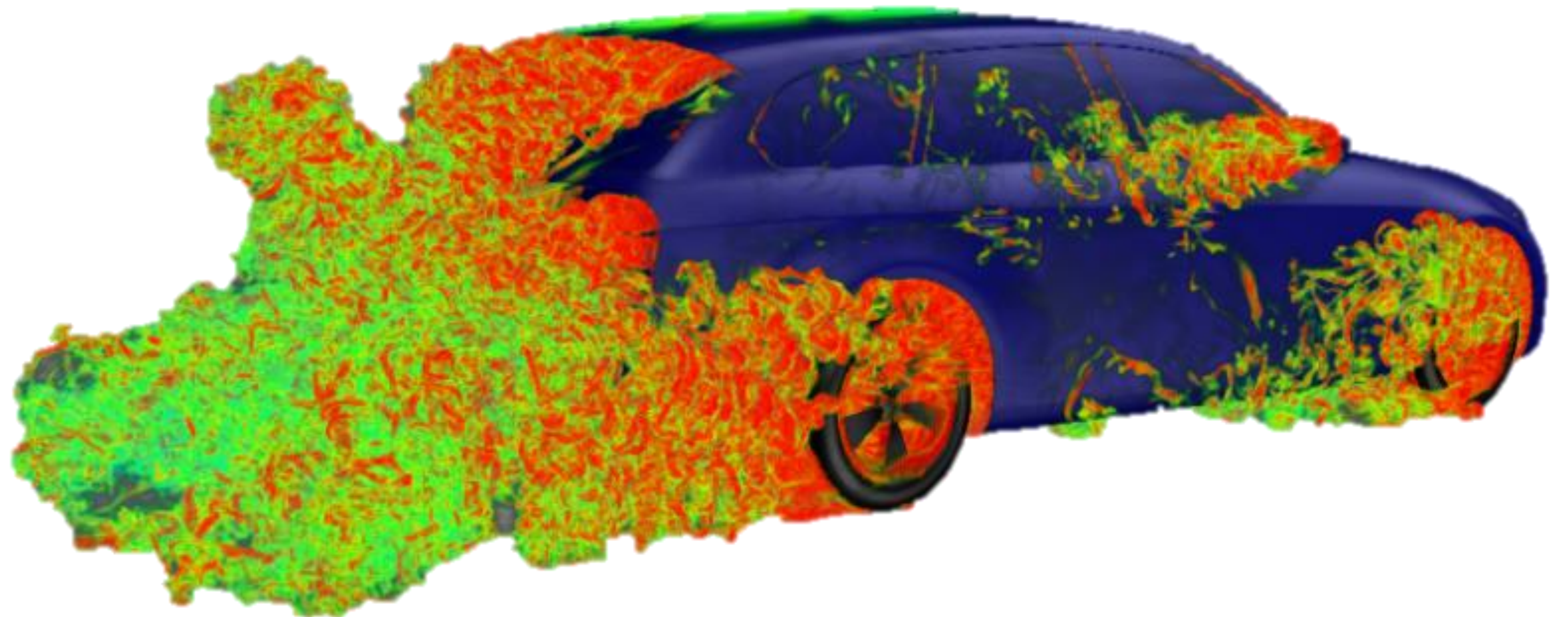
- Reliable **unsteady** aerodynamics for highly turbulent flow?
- How can we handle **geometries** with all their **details**?
- Is it possible to simulate flow at **dynamic simulations** easily?



Motivation

XFlow a high fidelity approach for unsteady and dynamic simulations

- Extremely efficient state-of-the-art **WMLES** (Wall model Large Eddy Simulation).
- **Particle-based approach** that avoids the traditional meshing process.
- **Advanced wall treatment** allows to address easily the dynamic geometries.



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Numerical Methodology

Lattice-Boltzmann Method

→ The Boltzmann equation is inspired by the kinetic theory of gases:

$$\frac{\partial f}{\partial t} + \mathbf{e} \cdot \nabla f = \Omega$$

- f : probability distribution function (PDF)
- e : microscopic velocity

Numerical Methodology

Lattice-Boltzmann Method

→ The Boltzmann equation is inspired by the kinetic theory of gases:

$$\underbrace{\frac{\partial f}{\partial t} + \mathbf{e} \cdot \nabla f}_{\text{Streaming}} = \Omega$$

Streaming

Lagrangian advection that exactly satisfies conservation laws.

- f : probability distribution function (PDF)
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Numerical Methodology

Lattice-Boltzmann Method

→ The Boltzmann equation is inspired by the kinetic theory of gases:

$$\underbrace{\frac{\partial f}{\partial t} + \mathbf{e} \cdot \nabla f}_{\text{Streaming}} = \underbrace{\Omega}_{\text{Collision}}$$

Streaming

Lagrangian advection that exactly satisfies conservation laws.

Collision

Redistributes the particles that arrive simultaneously at the same position.

- f : probability distribution function (PDF)
- e : microscopic velocity
- Ω : collision operator.

Numerical Methodology

Lattice-Boltzmann Method

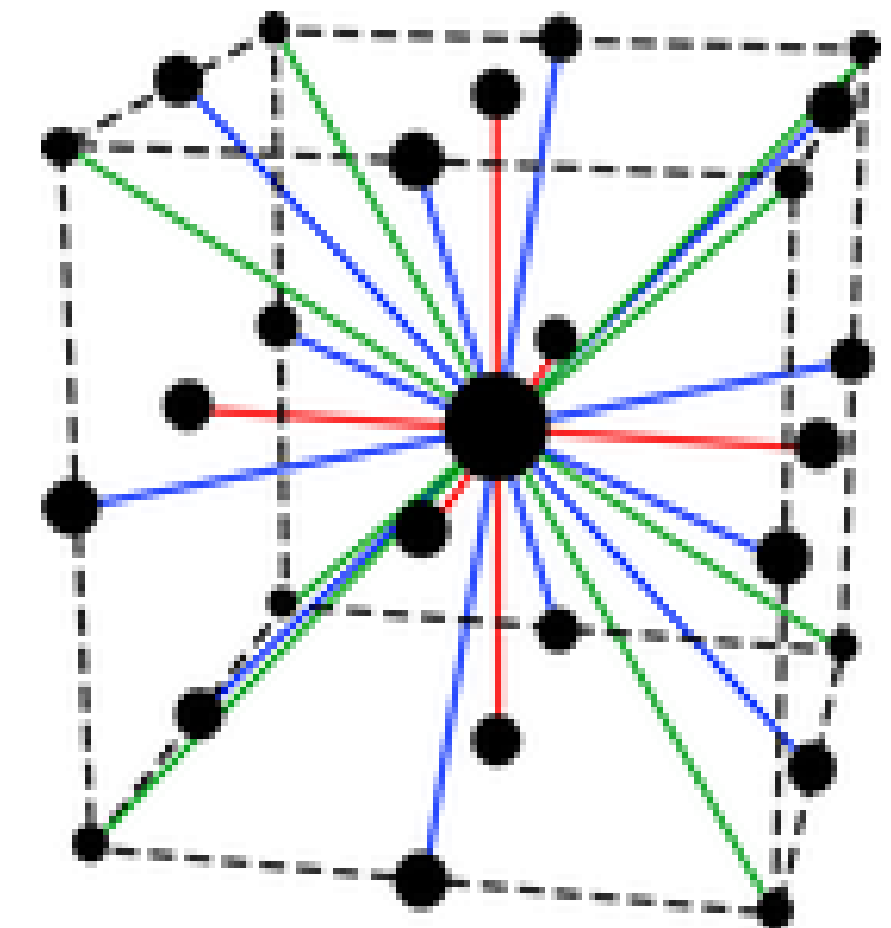
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- Ω : collision operator.

→ The function f is a particle distribution function (PDF) and depends on time, space, and **velocity** direction:

$$f = f(\mathbf{x}, t, \mathbf{e})$$



Structure D3Q27

Numerical Methodology

Lattice-Boltzmann Method

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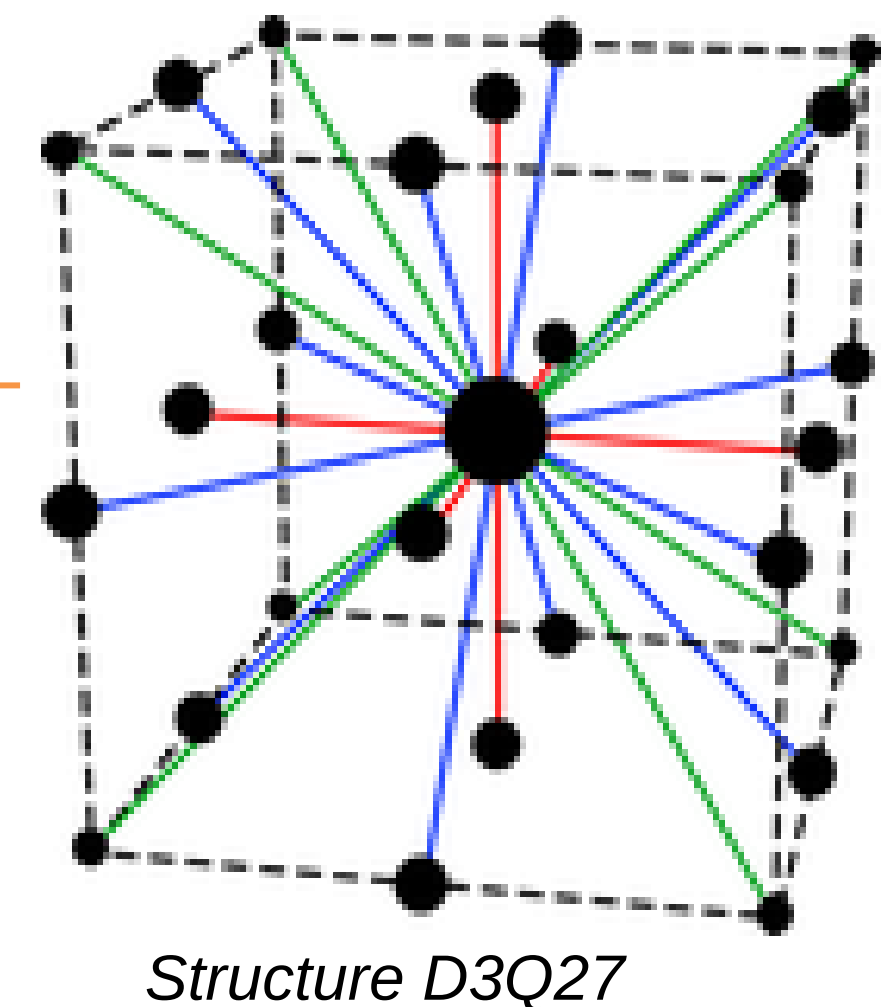
→ The function f is a particle distribution function (PDF) and depends on time, space, and velocity direction:

$$f = f(\mathbf{x}, t, \mathbf{e})$$

→ Macroscopic variables are statistical moments of the PDF:

27 velocity directions

$$\rho = \int f \, dv \quad \text{Density}$$
$$\rho u = \int f v \, dv \quad \text{Linear momentum}$$



Numerical Methodology

Lattice-Boltzmann Method

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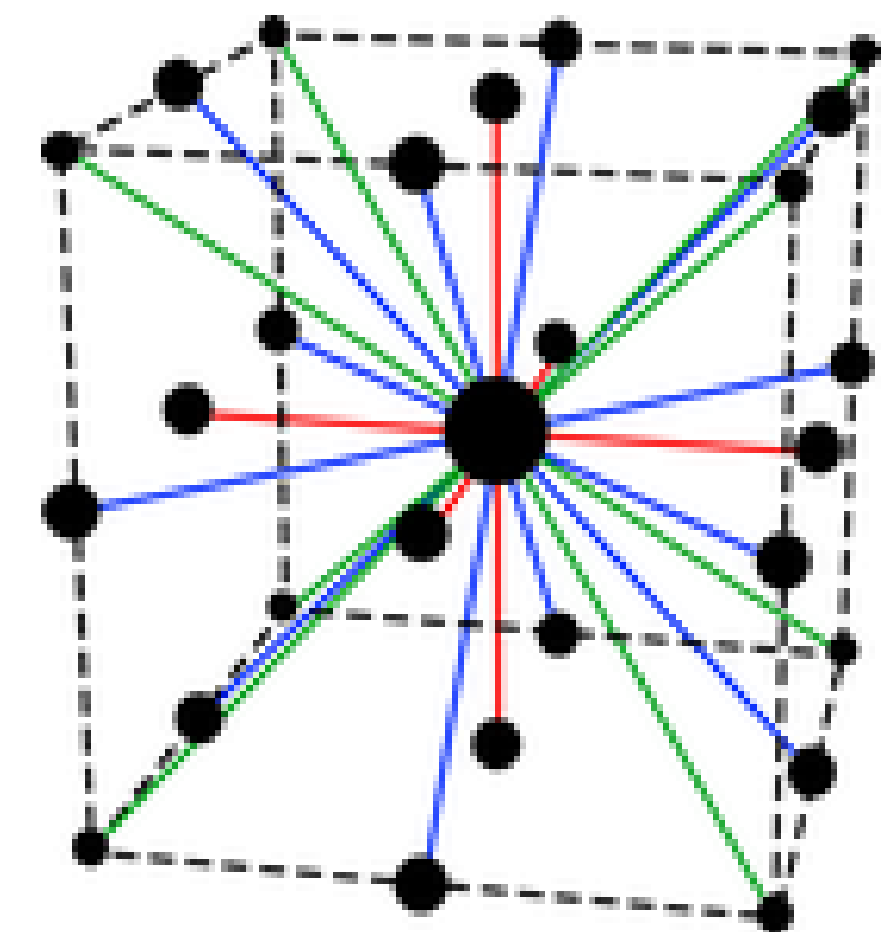
$$f = f(\mathbf{x}, t, \mathbf{e})$$

→ Macroscopic variables are **statistical moments** of the PDF.

→ The collision operator in XFlow is based on a **multiple relaxation time** scheme:

$$\Omega_i^{\text{MRT}} = M_{ij}^{-1} \hat{S}_{ij} (m_i^{\text{eq}} - m_i)$$

S : relaxation time matrix
 m_i : moments matrix



Structure D3Q27

Numerical Methodology

Lattice-Boltzmann Method

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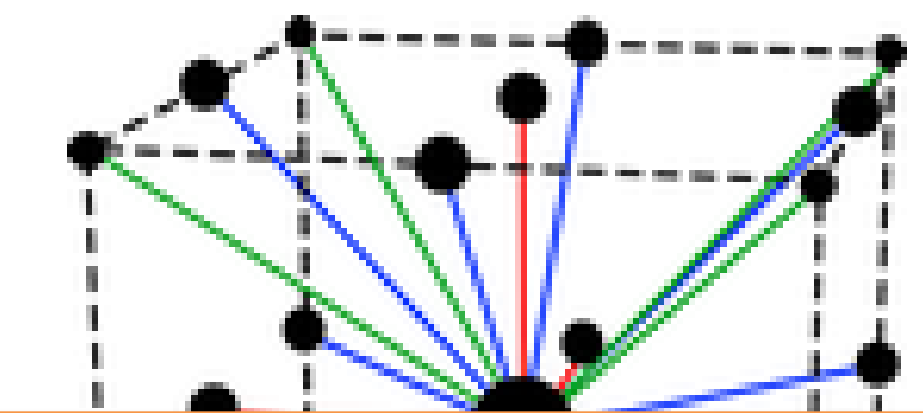
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$$\Omega_i^{\text{MRT}} = M_{ij}^{-1} \hat{S}_{ij} (m_i^{\text{eq}} - m_i) \longrightarrow \text{Central moments space} \longrightarrow$$

$\hat{S}$: relaxation time matrix
 m_i : moments matrix



- Higher accuracy
- Lower numerical dissipation
- Positive effective viscosity

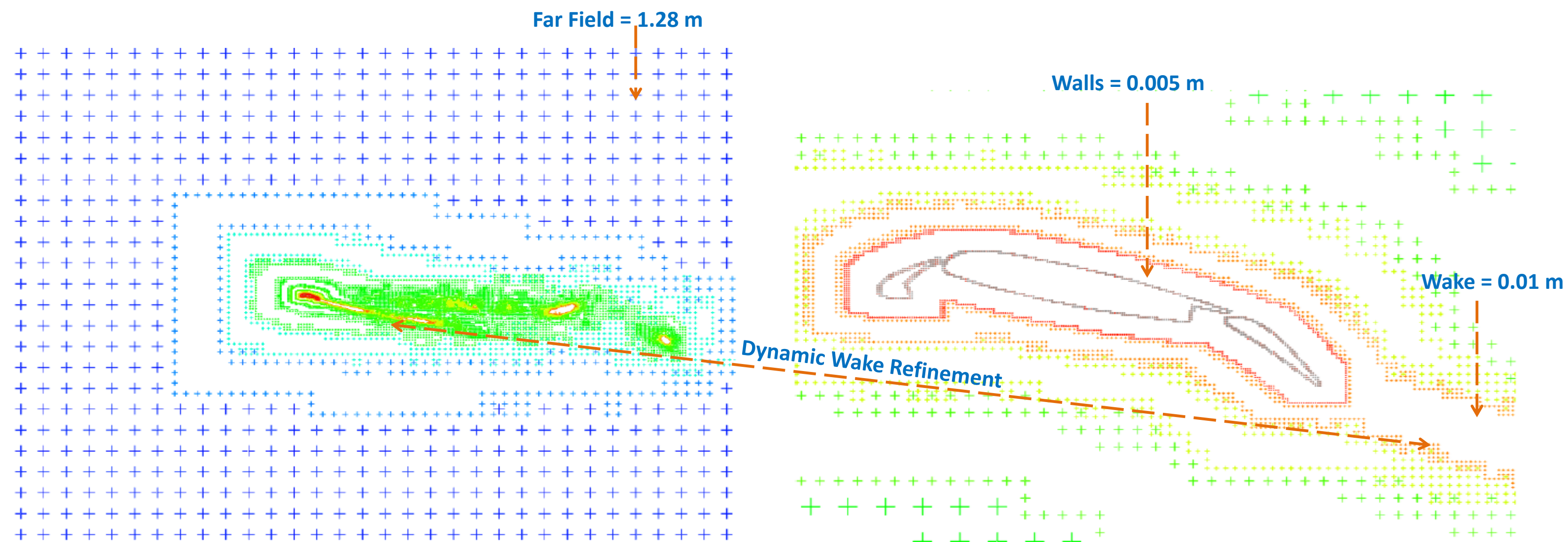
Structure D3Q27

Reference: Geier, M., Greiner, A., and Korvink, J., "A factorized central moment lattice Boltzmann method," *The European Physical Journal Special Topics*, Vol. 171, No. 1, 2009, pp. 55-61.

Numerical Methodology

Octree lattice structure

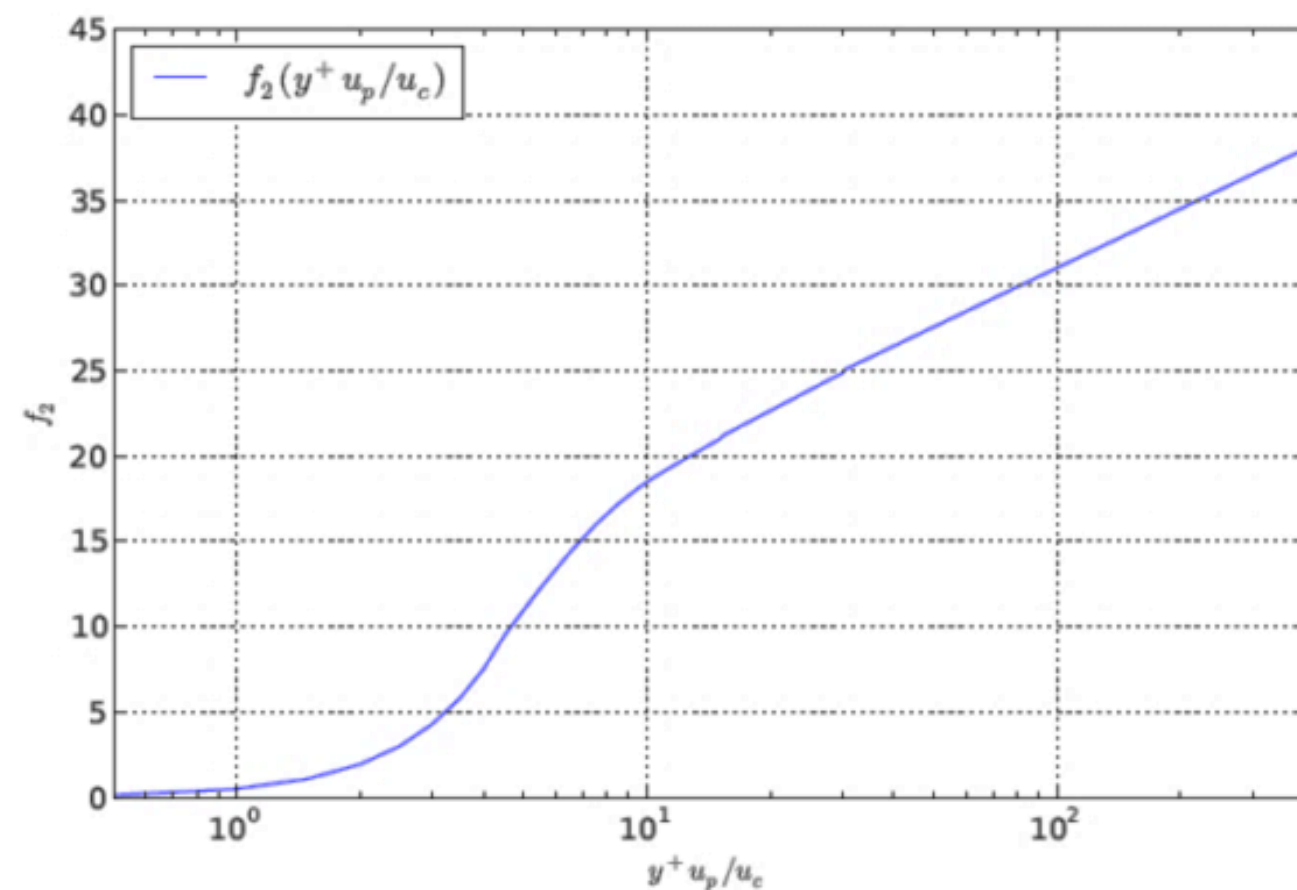
- Automatic generation with octree structure which supports multi-resolution.
- Refinement criterias: near geometries and curvature.
- Adaptive & dynamic refinement: wake, moving parts, vorticity gradients and pressure gradients.



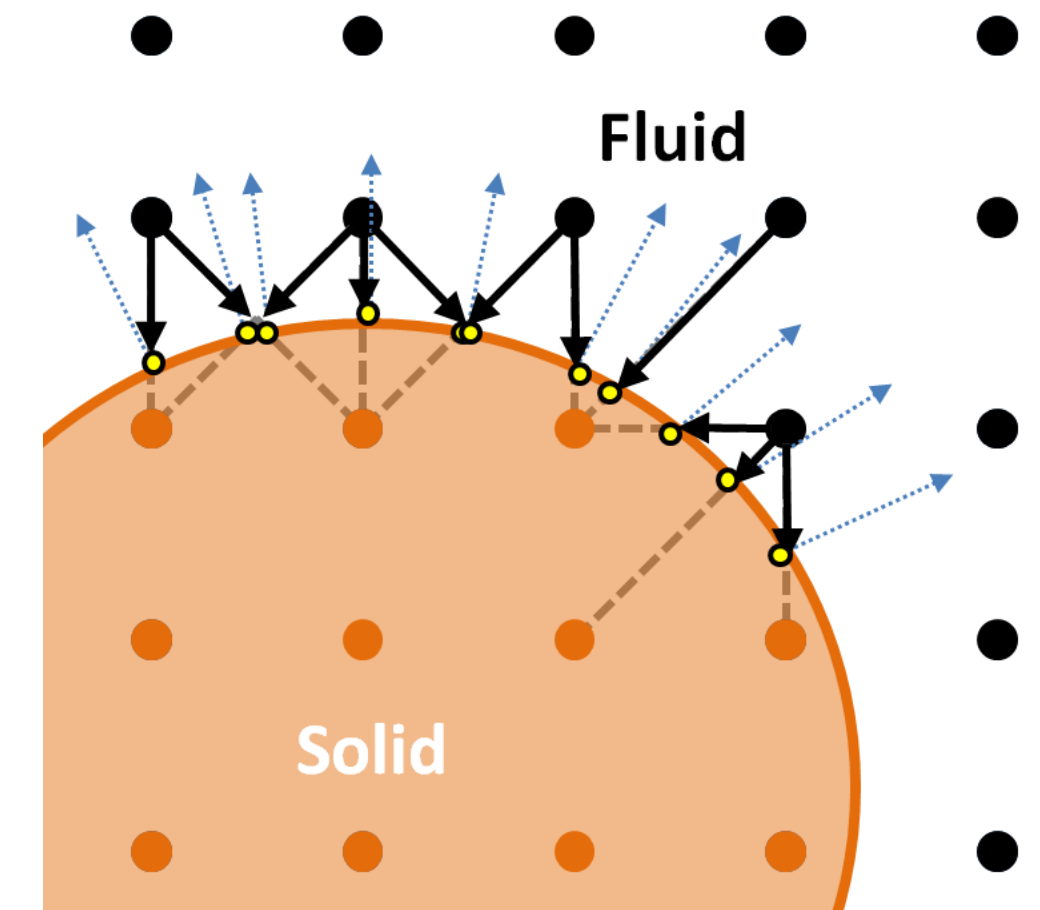
Numerical Methodology

Advanced dynamic geometries

- The octree lattice flexibility coupled with the advanced wall treatment allows to address easily the **dynamic geometries**.
- A **generalized law** of the wall is used to model the boundary layer.



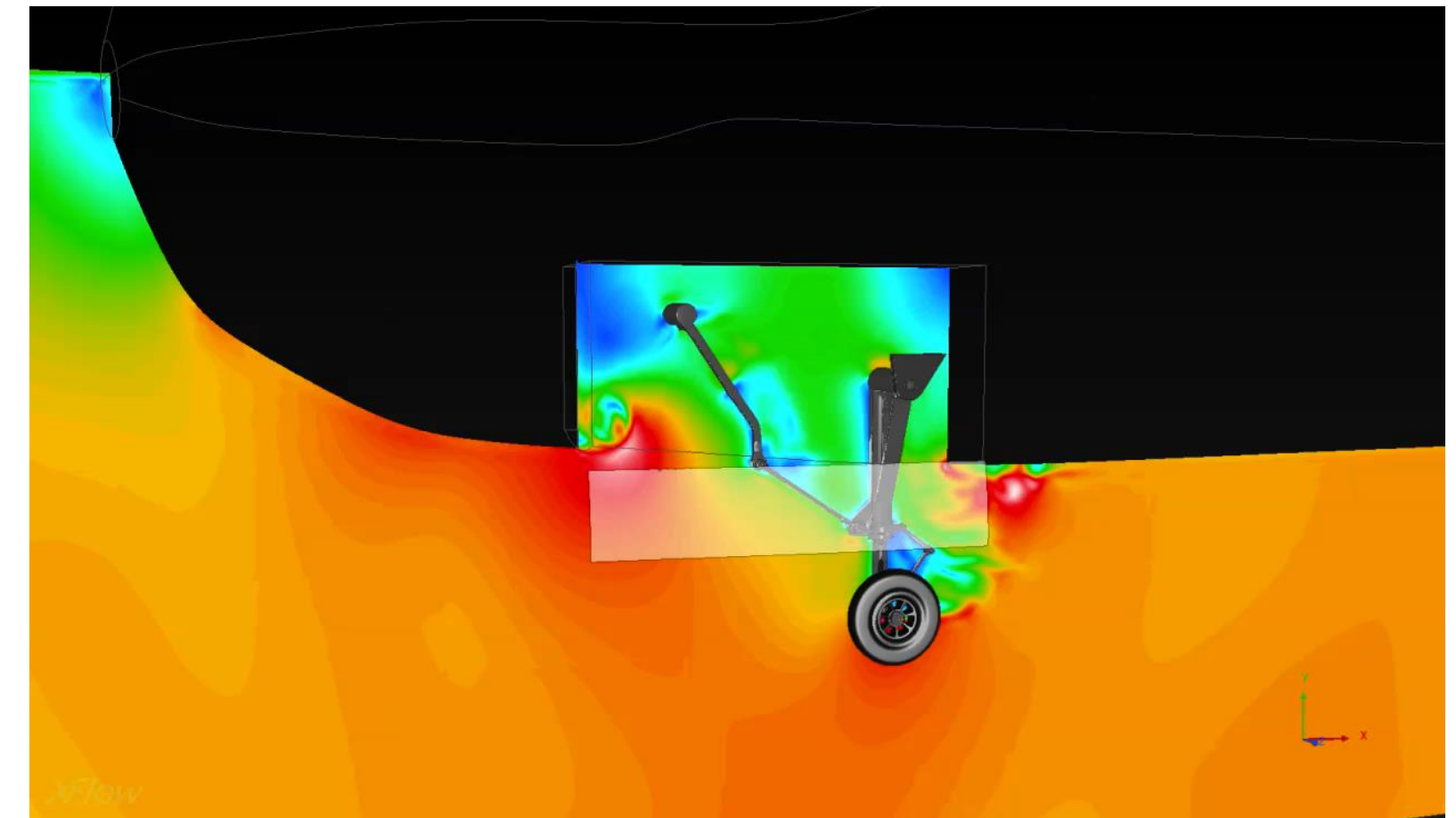
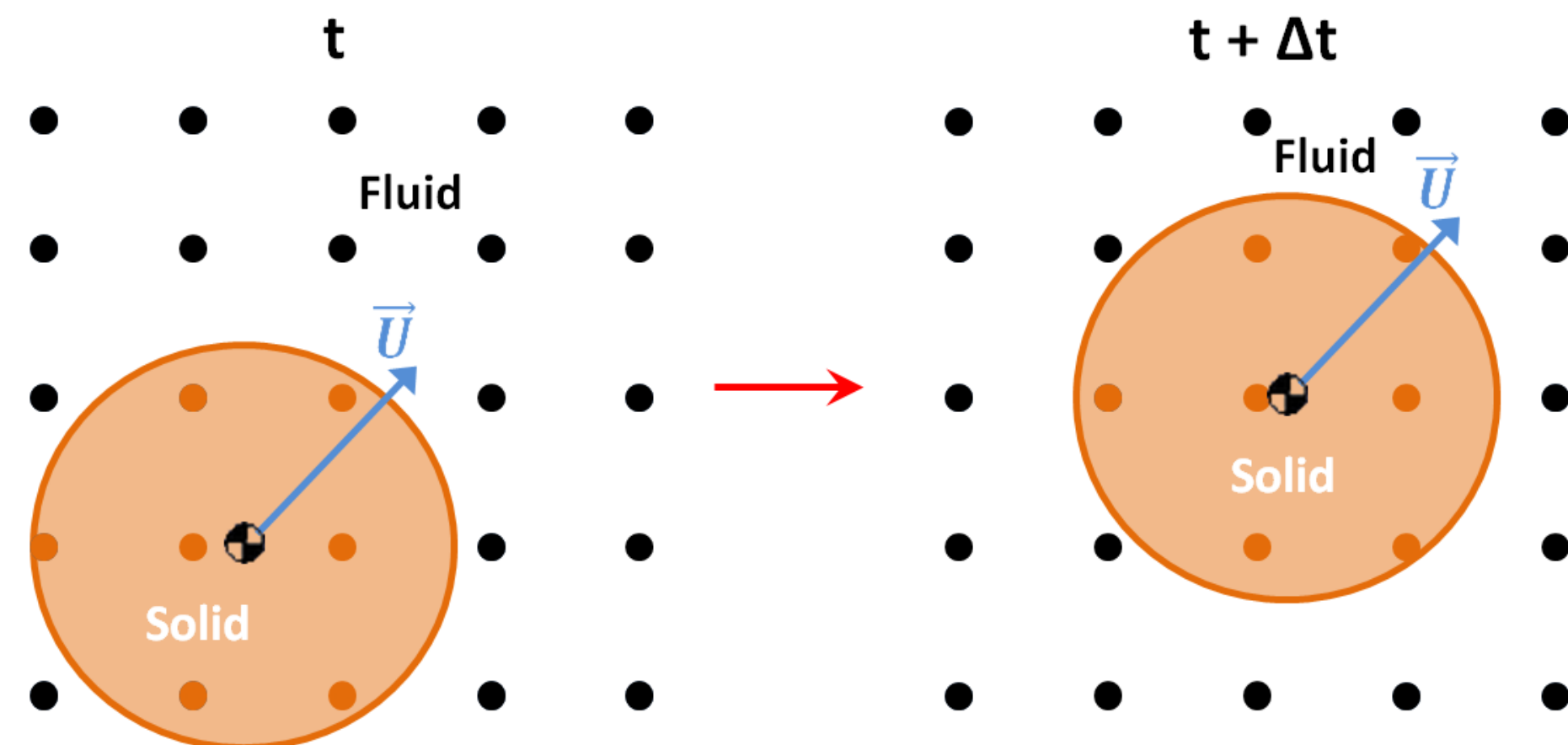
$$\begin{aligned} \frac{U}{u_c} &= \frac{U_1 + U_2}{u_c} = \frac{u_\tau}{u_c} \frac{U_1}{u_\tau} + \frac{u_p}{u_c} \frac{U_2}{u_p} \\ &= \frac{\tau_w}{\rho u_\tau^2} \frac{u_\tau}{u_c} f_1 \left(y^+ \frac{u_\tau}{u_c} \right) + \frac{dp_w/dx}{|dp_w/dx|} \frac{u_p}{u_c} f_2 \left(y^+ \frac{u_p}{u_c} \right) \\ y^+ &= \frac{u_c y}{\nu} \\ u_c &= u_\tau + u_p \\ u_\tau &= \sqrt{|\tau_w| / \rho} \\ u_p &= \left(\frac{\nu}{\rho} \left| \frac{dp_w}{dx} \right| \right)^{1/3}. \end{aligned}$$



Numerical Methodology

Advanced dynamic geometries

- The octree lattice flexibility coupled with the advanced wall treatment allows to address easily the **dynamic geometries**.
- XFlow proposes two options to handle dynamic geometries:
 - **Enforced behavior** → Position and orientation input as user-defined laws.
 - **Rigid body dynamics behavior** → FSI through multi-body solver allowing up to 6 DOF.

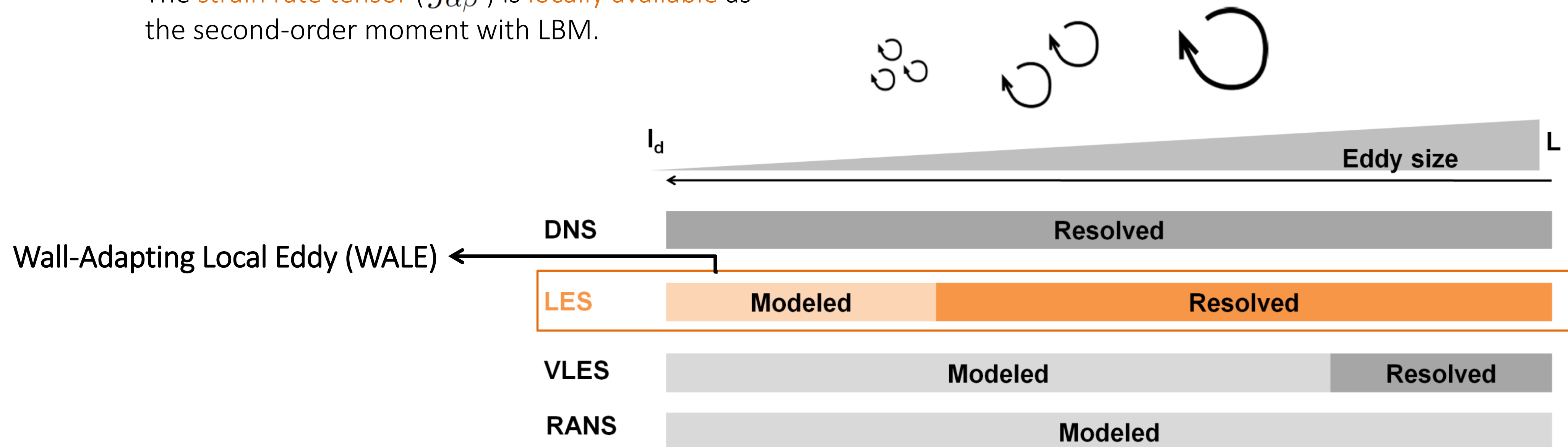


Numerical Methodology

Turbulence modeling - High fidelity WMLES

→ The LES turbulence models are the natural turbulence modelling approach for LBM for three main reasons:

- LBM is **inherently unsteady**.
- The **turbulence** is inherently **three-dimensional** and **isotropic** which fits perfectly the lattice structure.
- The **strain rate tensor** ($g_{\alpha\beta}$) is **locally available** as the second-order moment with LBM.



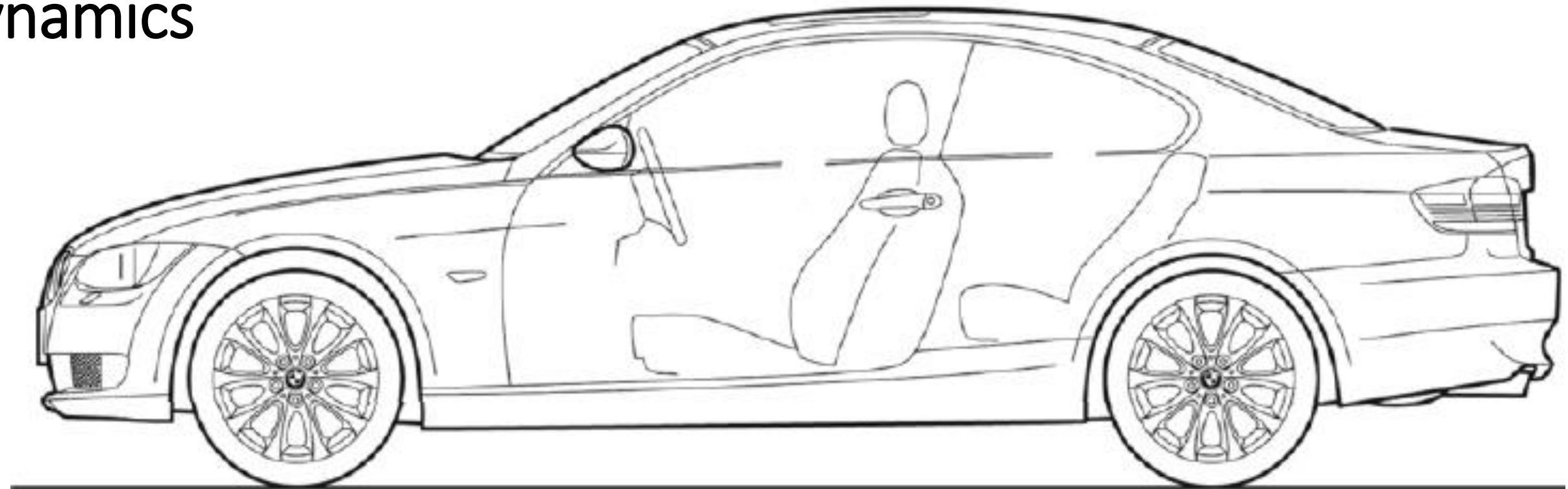
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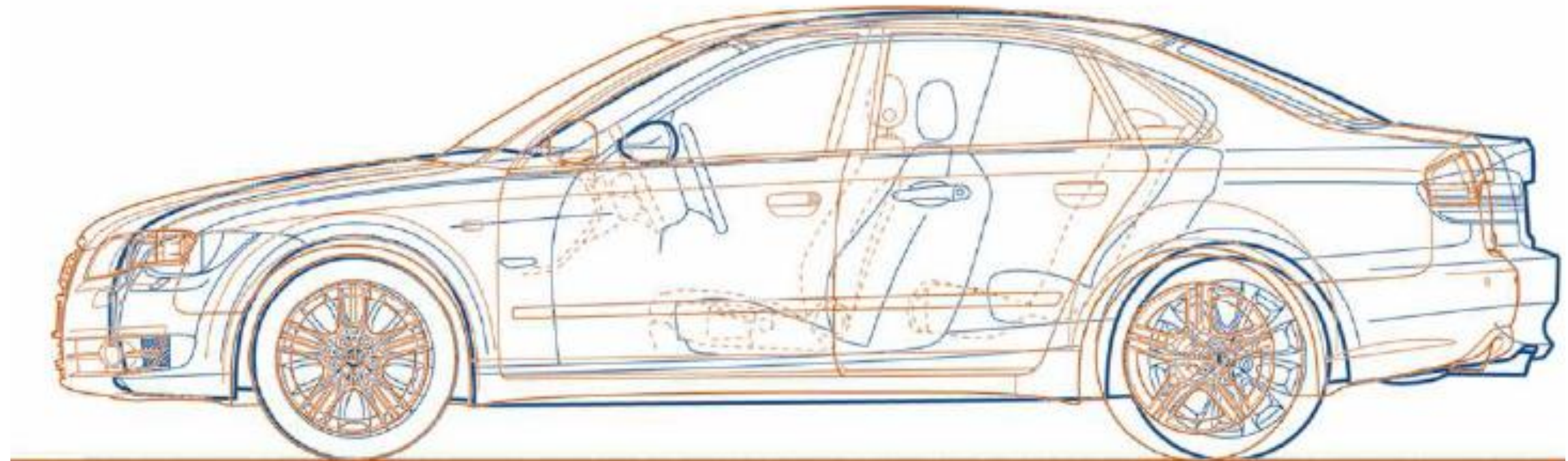
Geometry

Developed by TU Munich, Inst. Of Aerodynamics

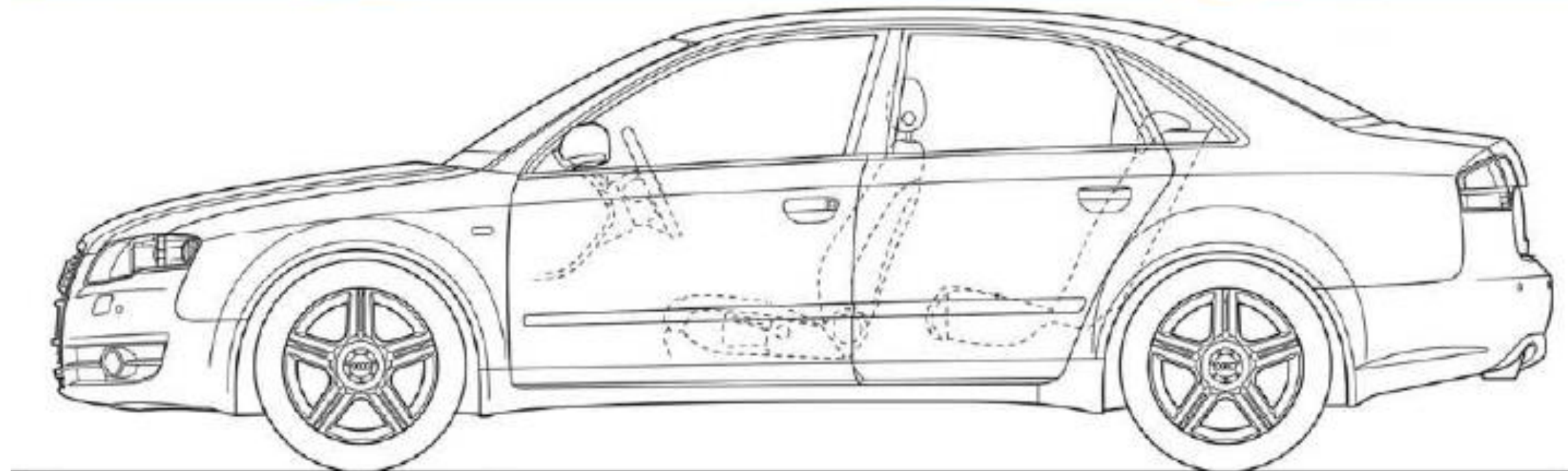
BMW 3 Series
Limousine



DrivAer Model

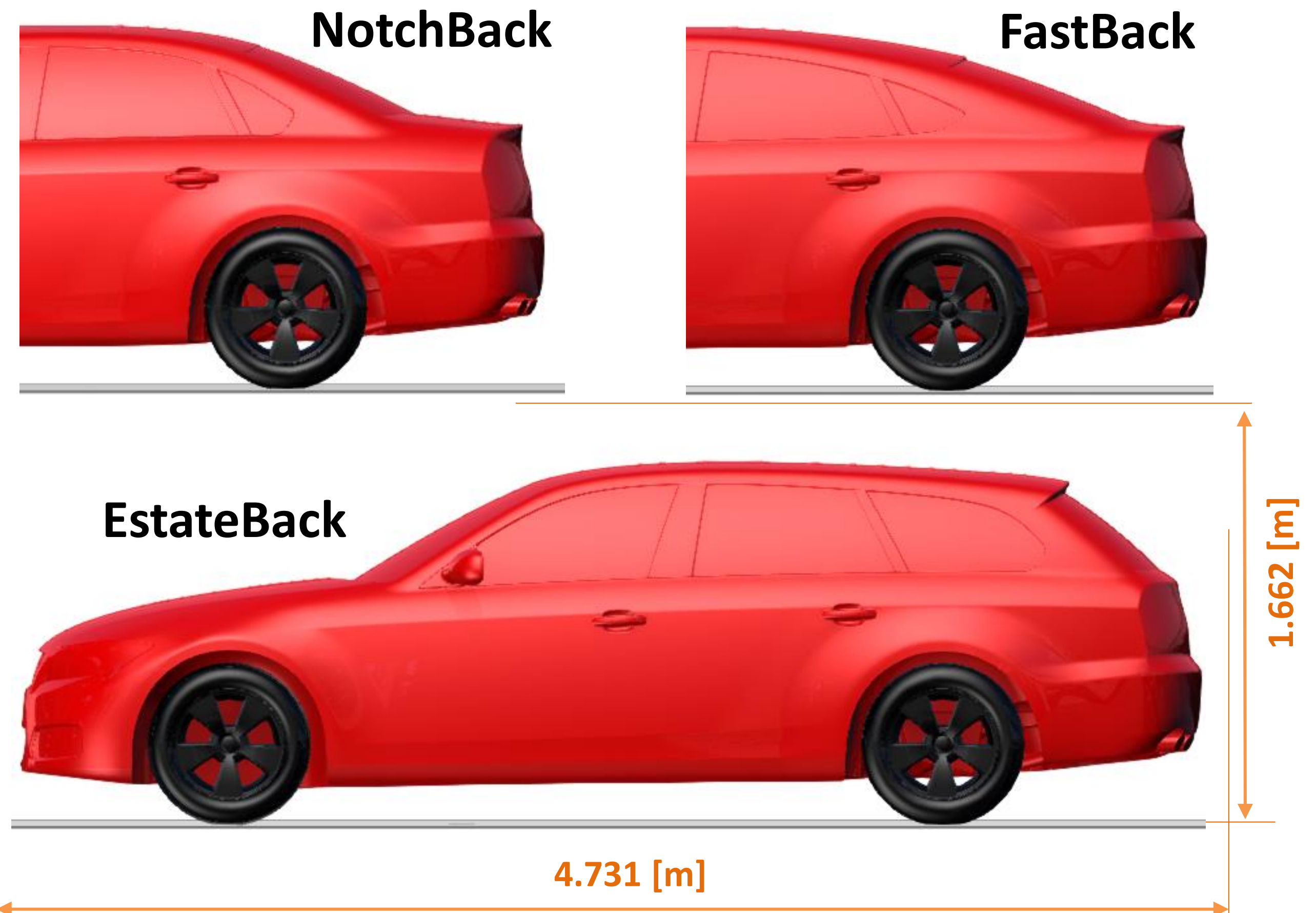


Audi A4
Limousine



Geometry

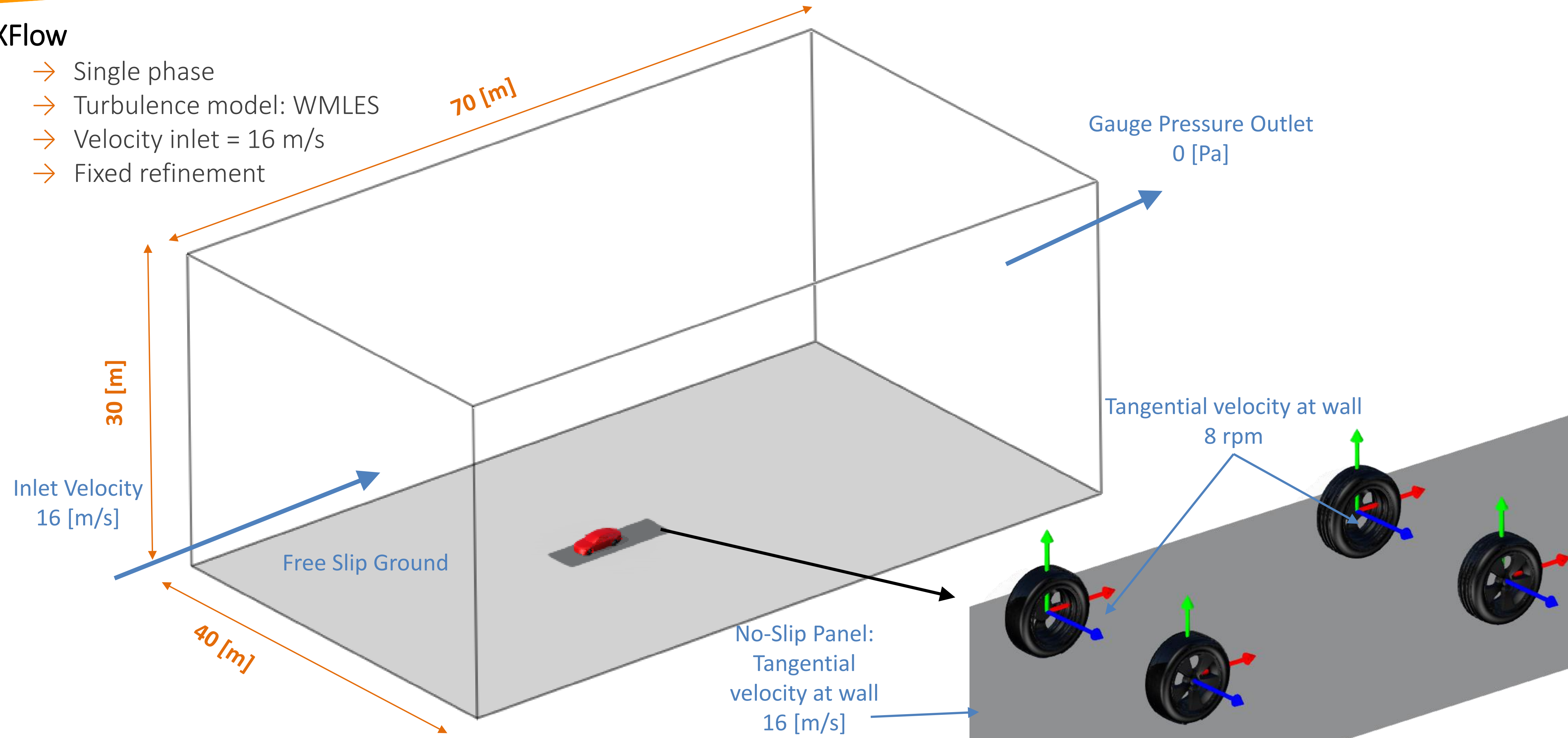
Detailed underbody with Mirrors with Wheels – D_wM_wW. Three different rear geometry has been simulated.



Setup simulation

XFlow

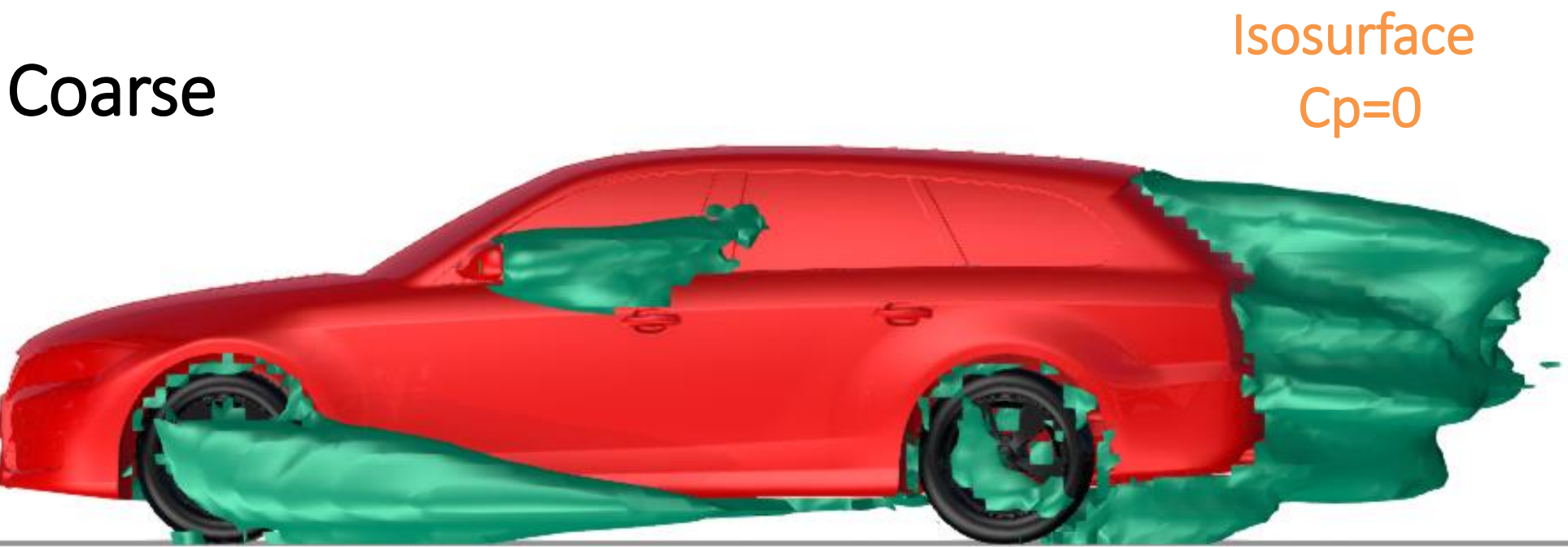
- Single phase
- Turbulence model: WMLES
- Velocity inlet = 16 m/s
- Fixed refinement



Refinement strategy

The **fine grid** refinement is based on the **pressure coefficient** field of the coarse simulation in order to refine in an **efficient** way.

EstateBack	Far Field [m]	Near Walls [m]	# Elements	Simulated Time [s]	Initial Conditions	# Nodes	# Cores	Run Time [h]
Coarse	1.28	0.04	599.141	1.0	V=16 [m/s]	1	12	1.84
Fine	1.28	0.005*	39.394.140	1.0	V=16 [m/s]	3	36	57.2

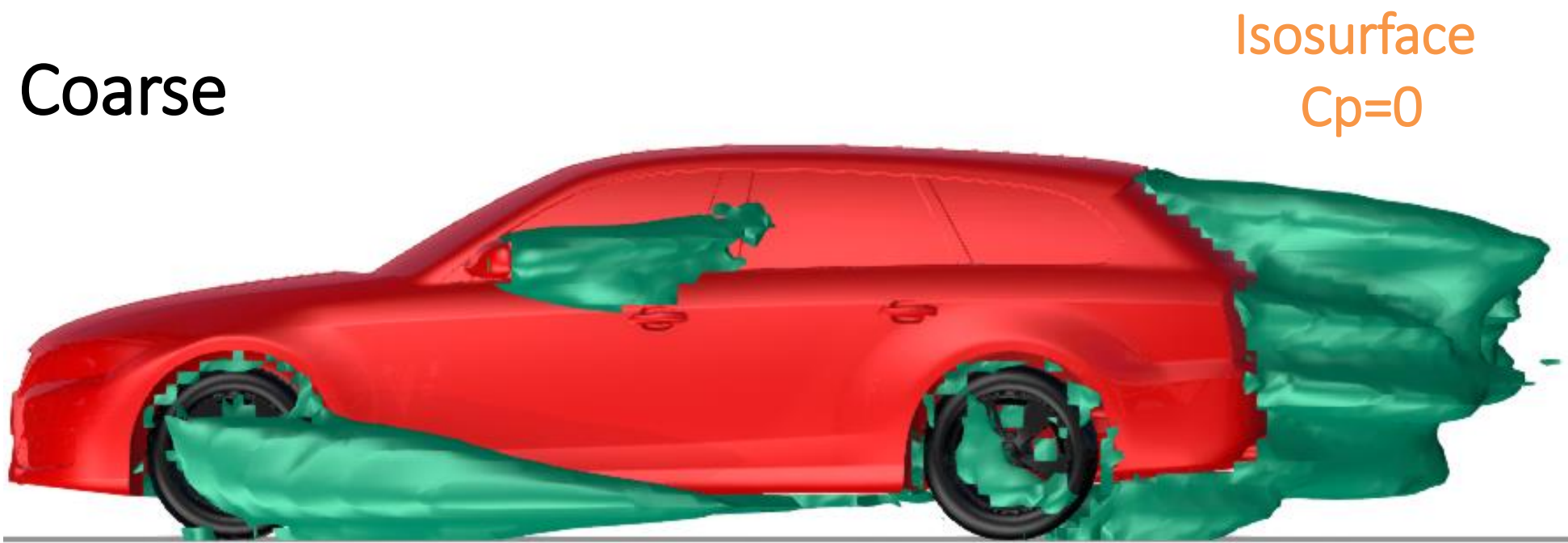


Refinement strategy

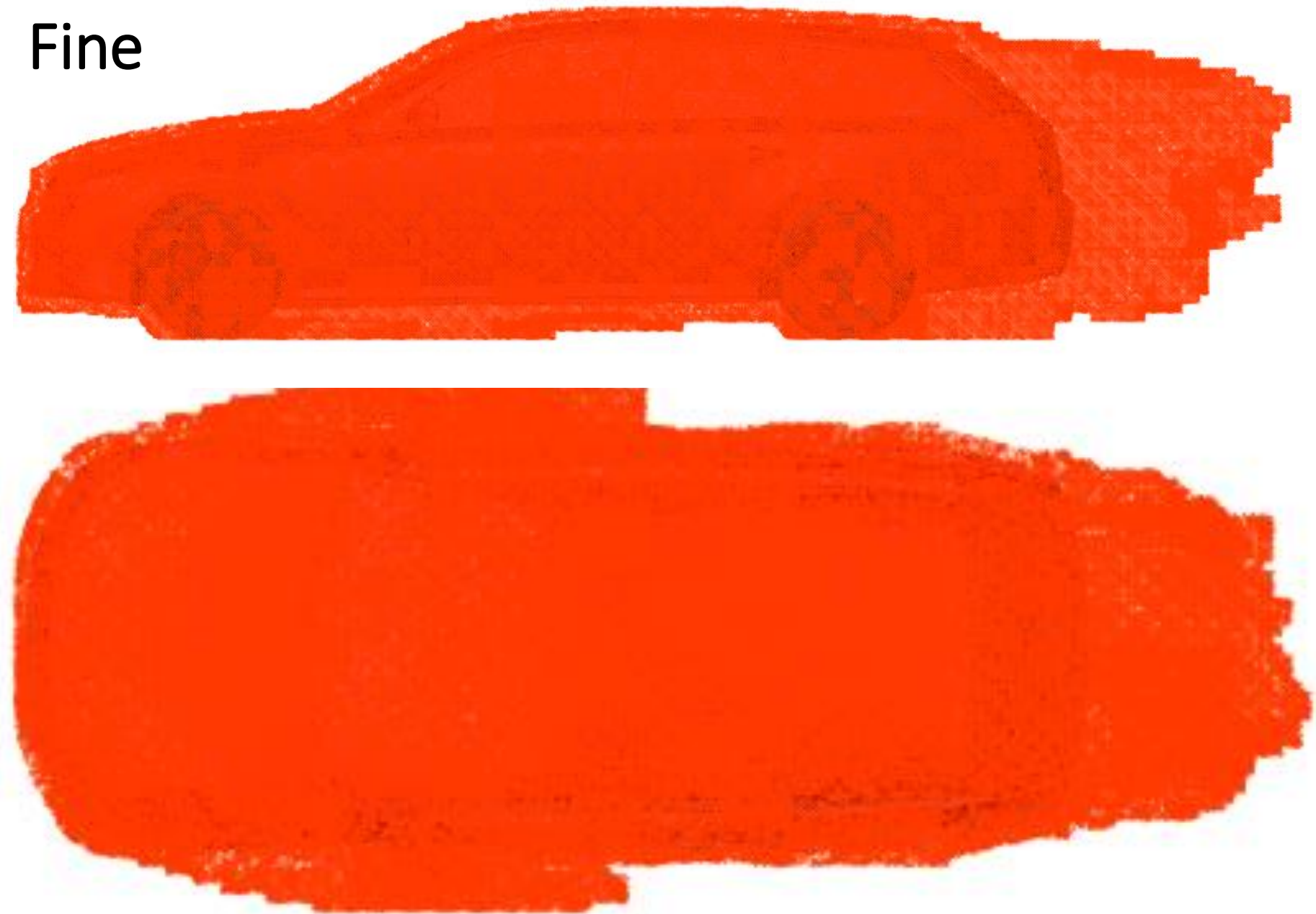
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Coarse



Fine

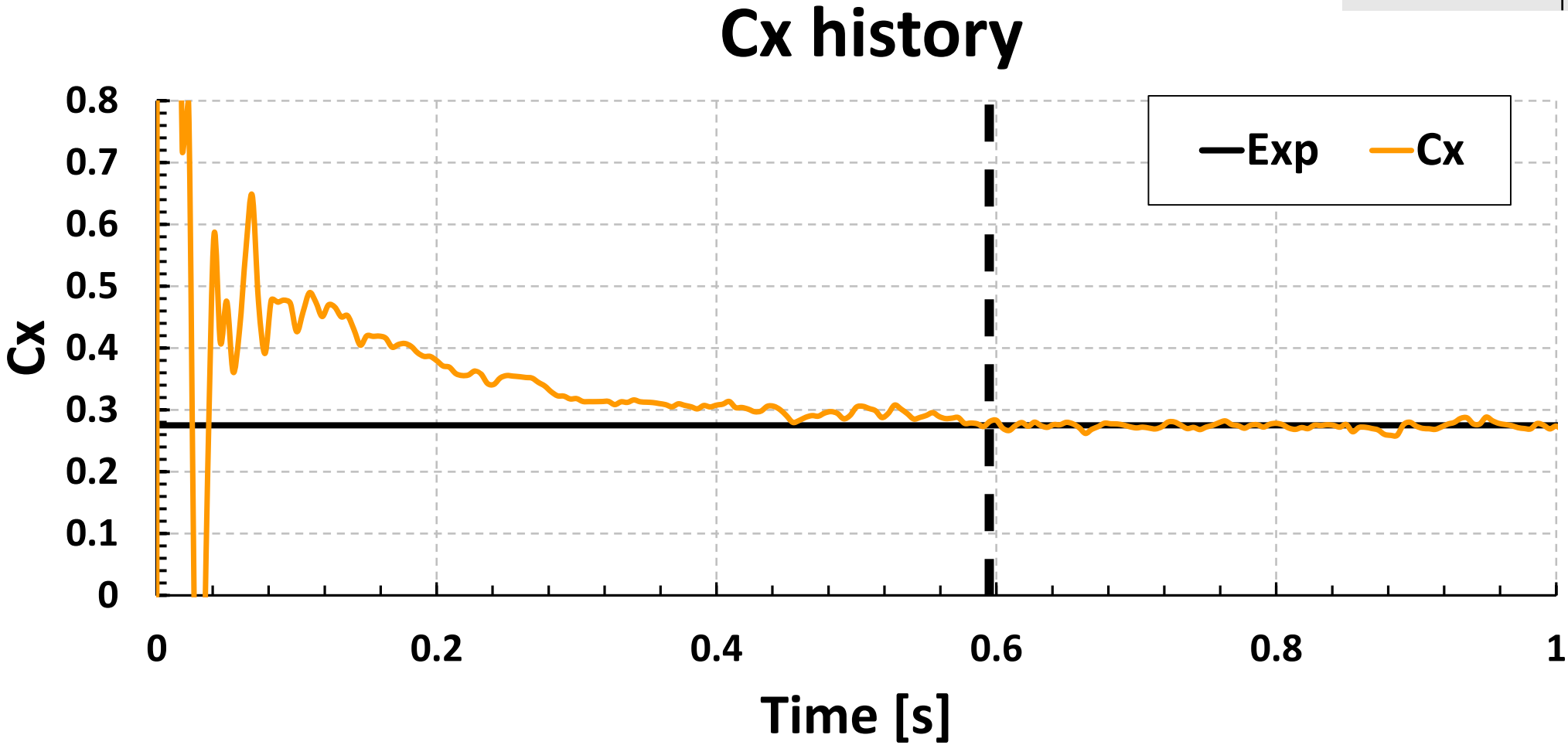


Numerical results

Drag coefficient : Fastback configuration

S_{ref} = 2.612 m²

	XFlow	Exp.	Error %	Std. Dev.
Cx	0.2781	0.275	+1.14	0.0061

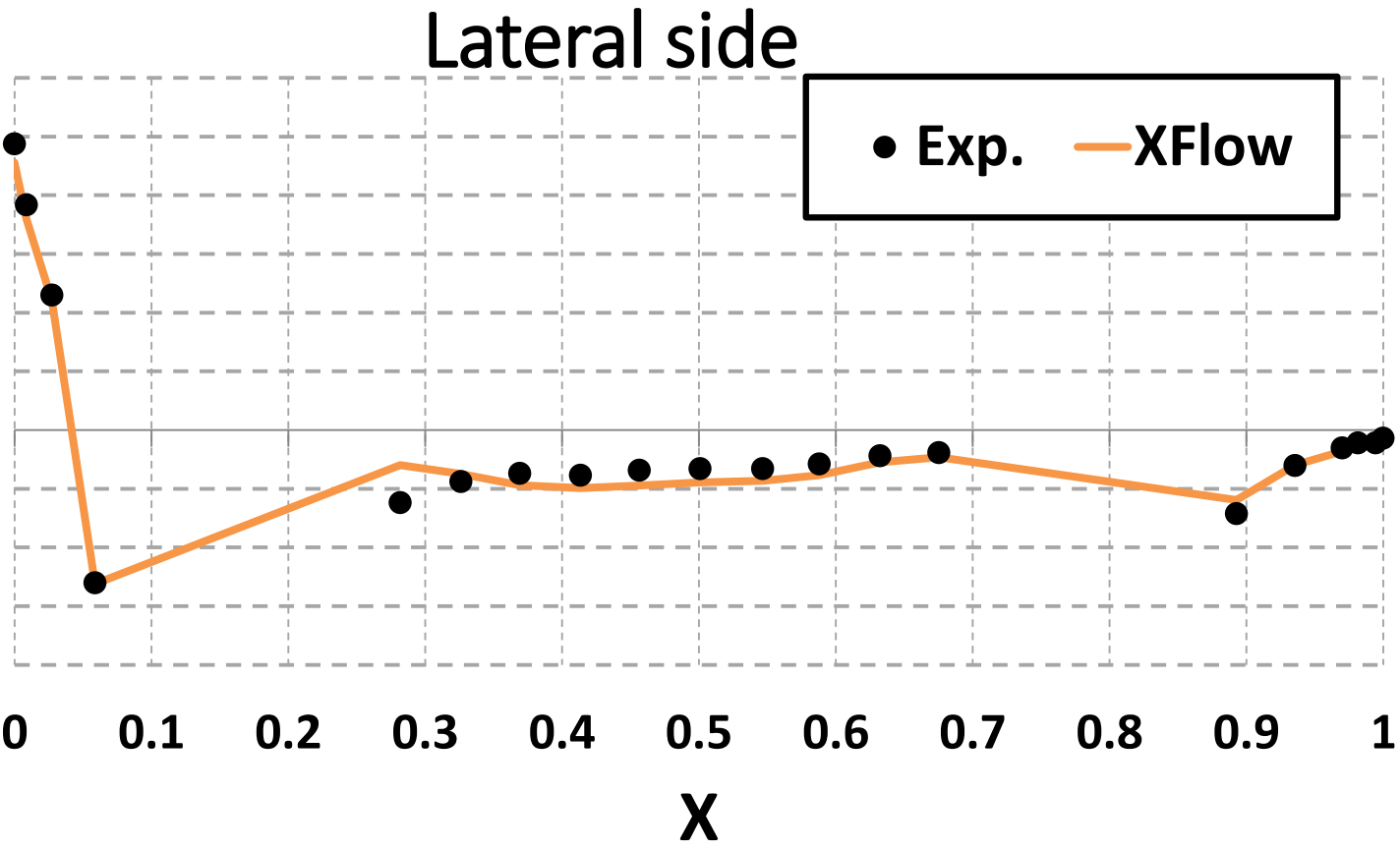
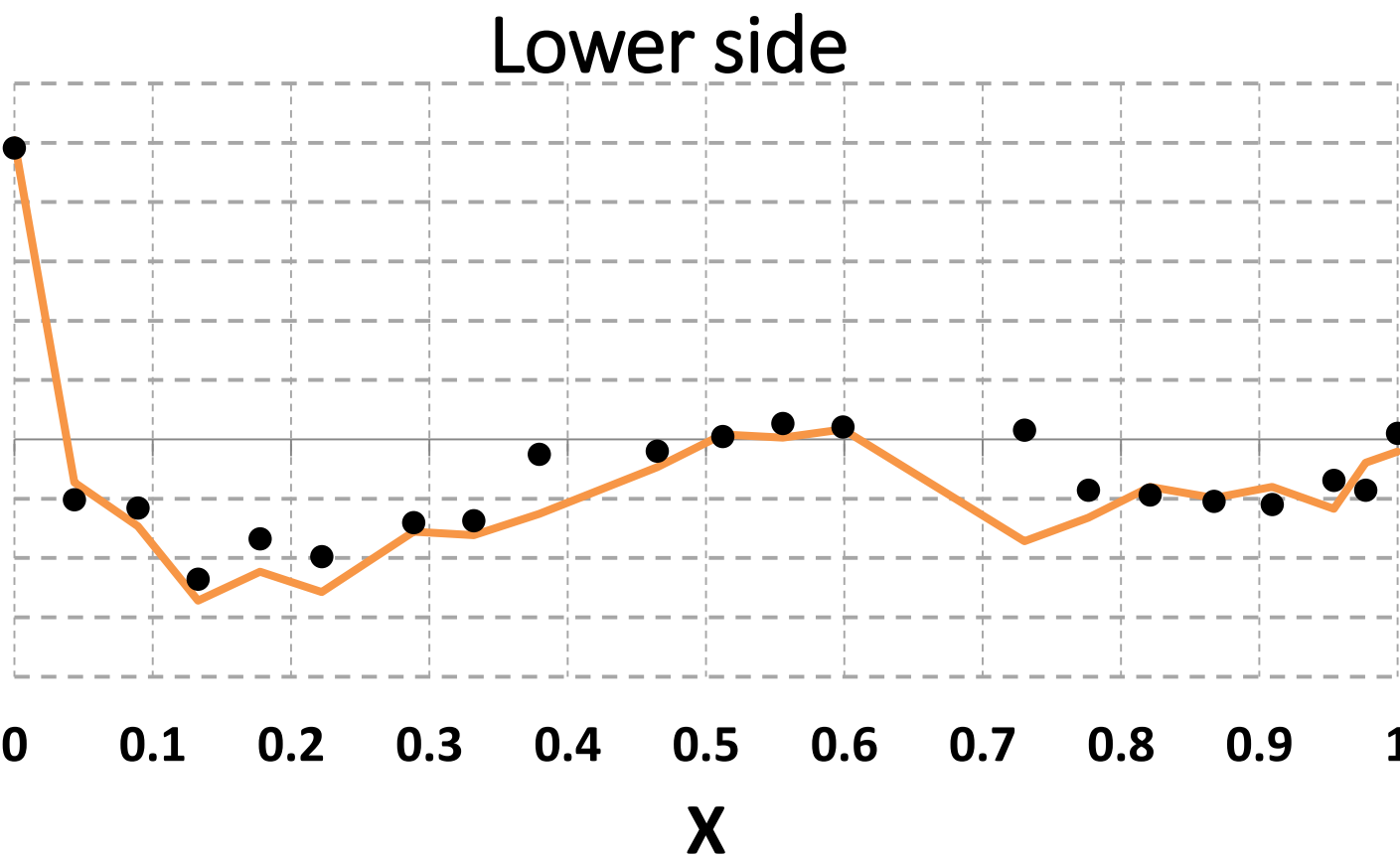
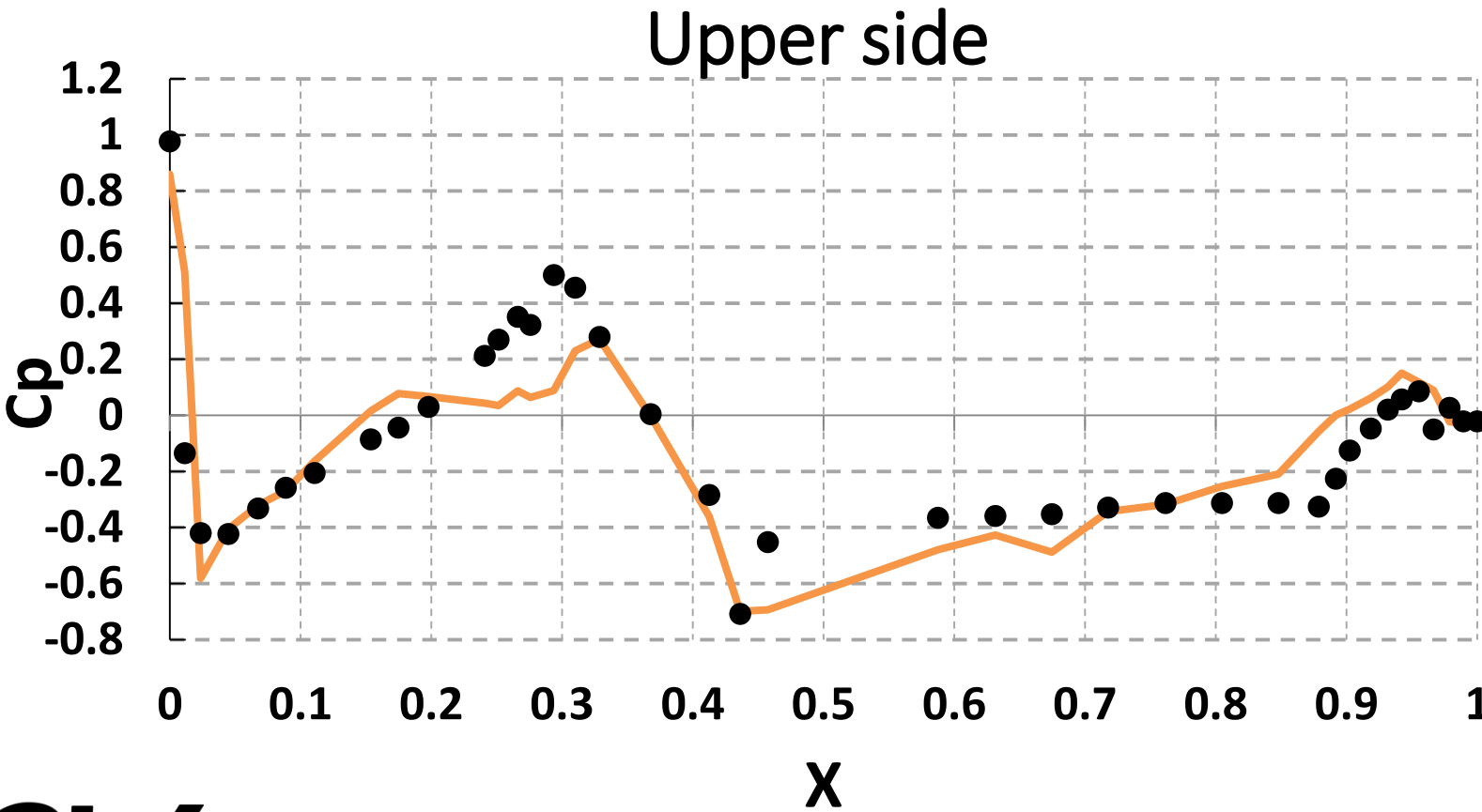
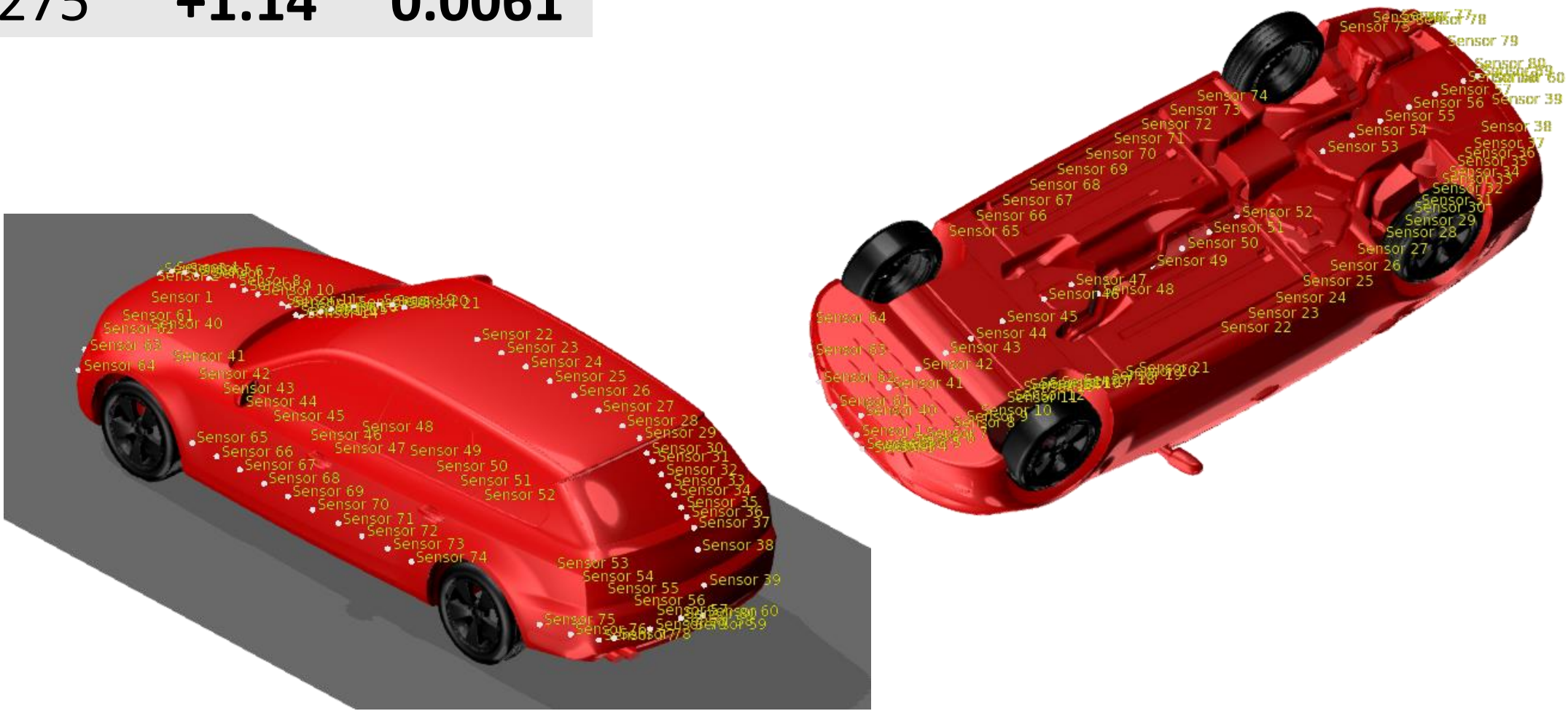
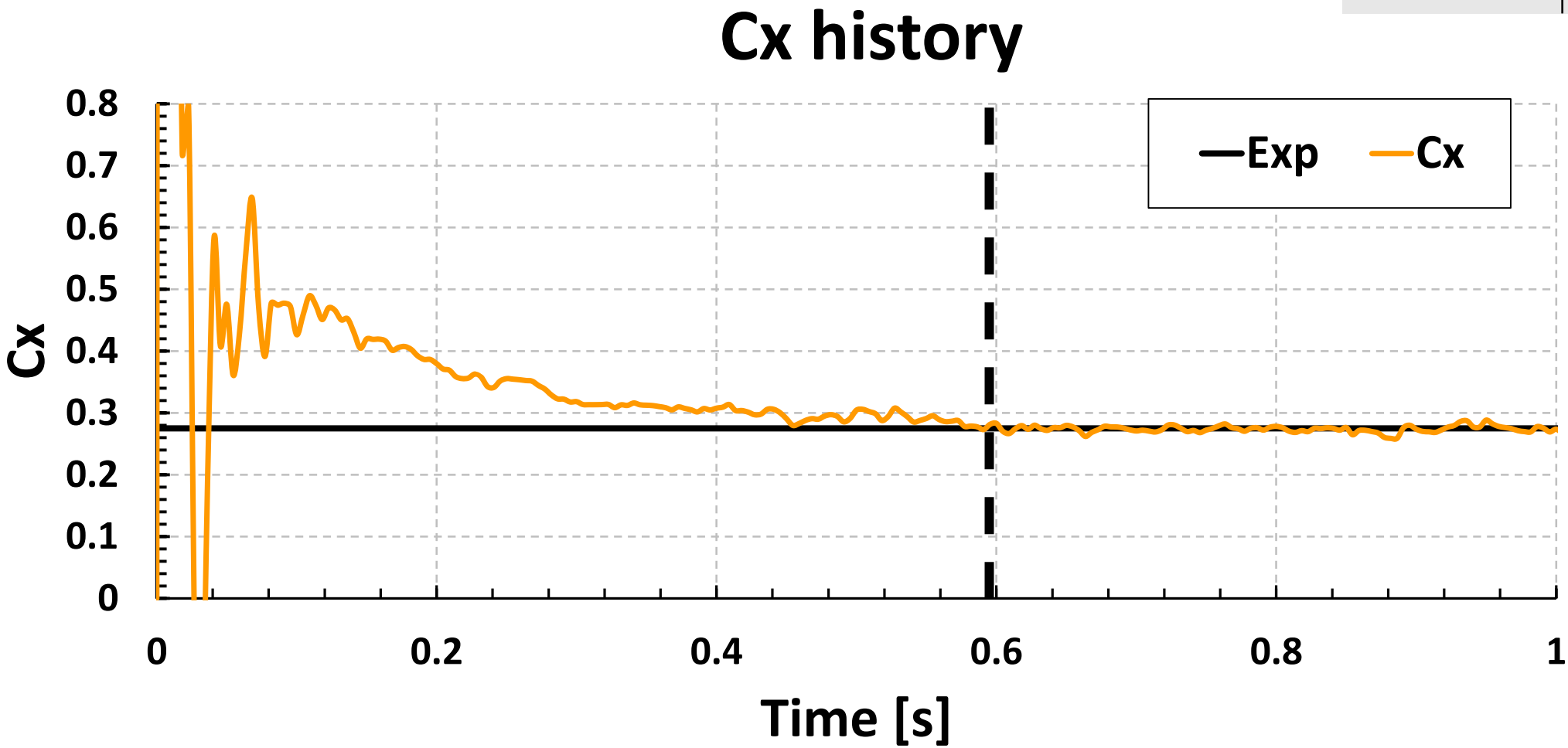


Numerical results

Drag coefficient and Cp distribution: Fastback configuration

$S_{ref} = 2.612\text{ m}^2$

	XFlow	Exp.	Error %	Std. Dev.
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Numerical results

Summary DrivAer averaged results

Cx	XFlow	Exp.	Error %	Std. dev	Δ XFlow	Δ Exp.
FastBack	0.2781	0.275	+1.14	0.0061	-	-
EstateBack	0.3219	0.319	+0.92	0.0070	+0.0438	+0.044
NotchBack	0.2808	0.277	+1.38	0.0064	+0.0027	+0.002

FastBack



EstateBack



NotchBack



Numerical results

Summary DrivAer averaged results

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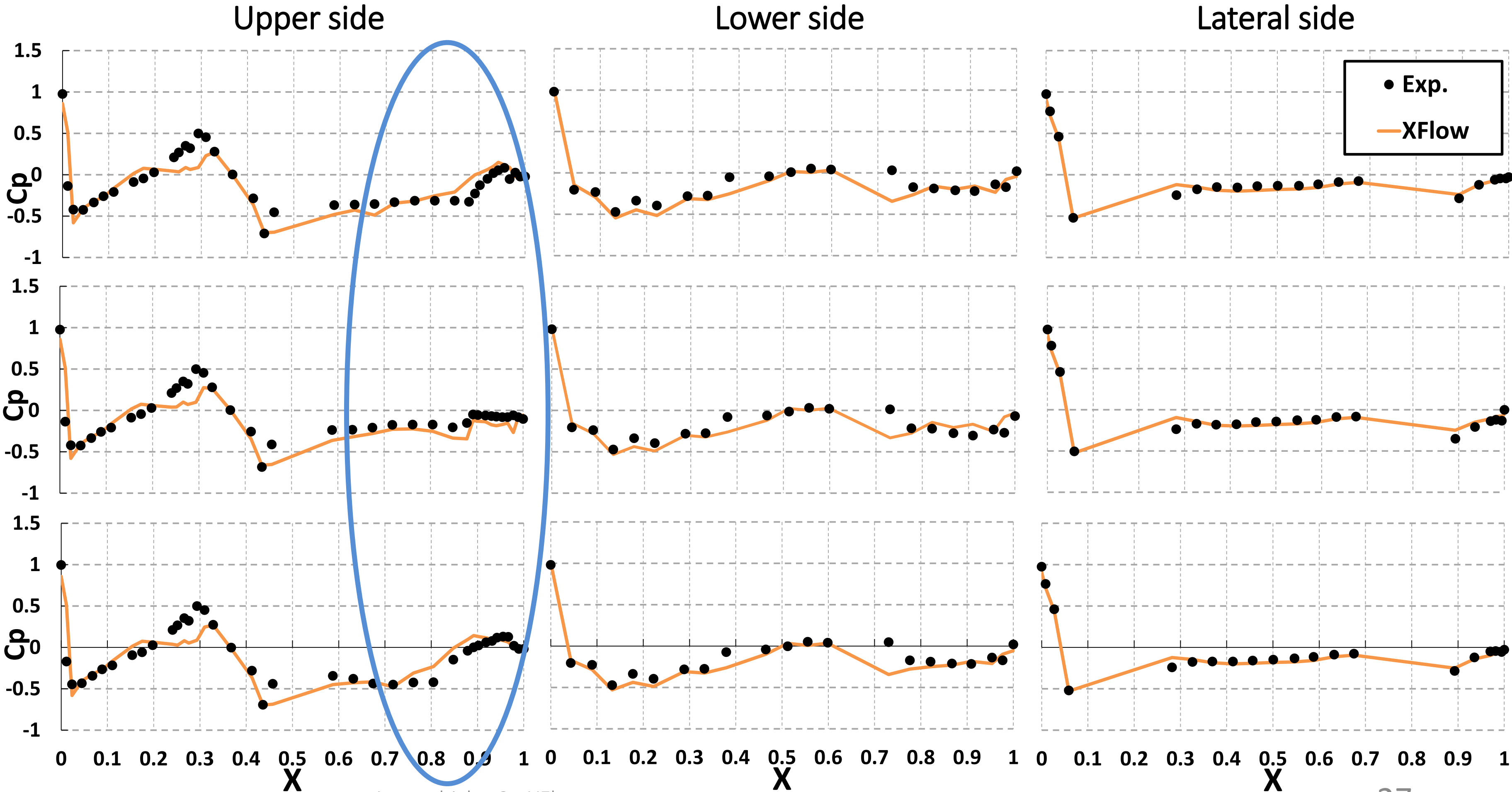
FastBack



EstateBack



NotchBack



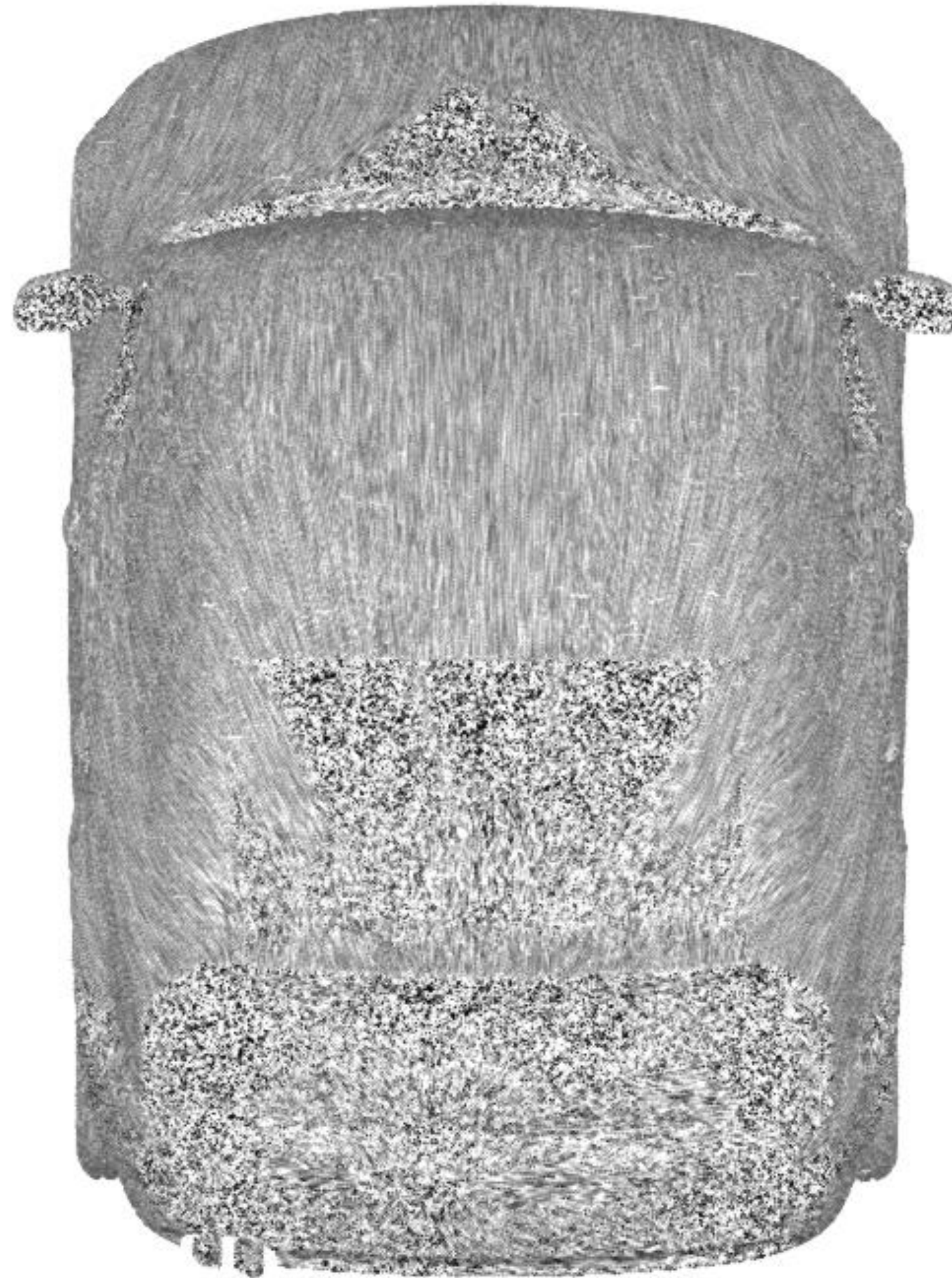
Aerovehicles 2 - XFlow

Numerical results

Detached flow NotchBack
 $C_x=0.2808$



FastBack
 $C_x=0.2781$

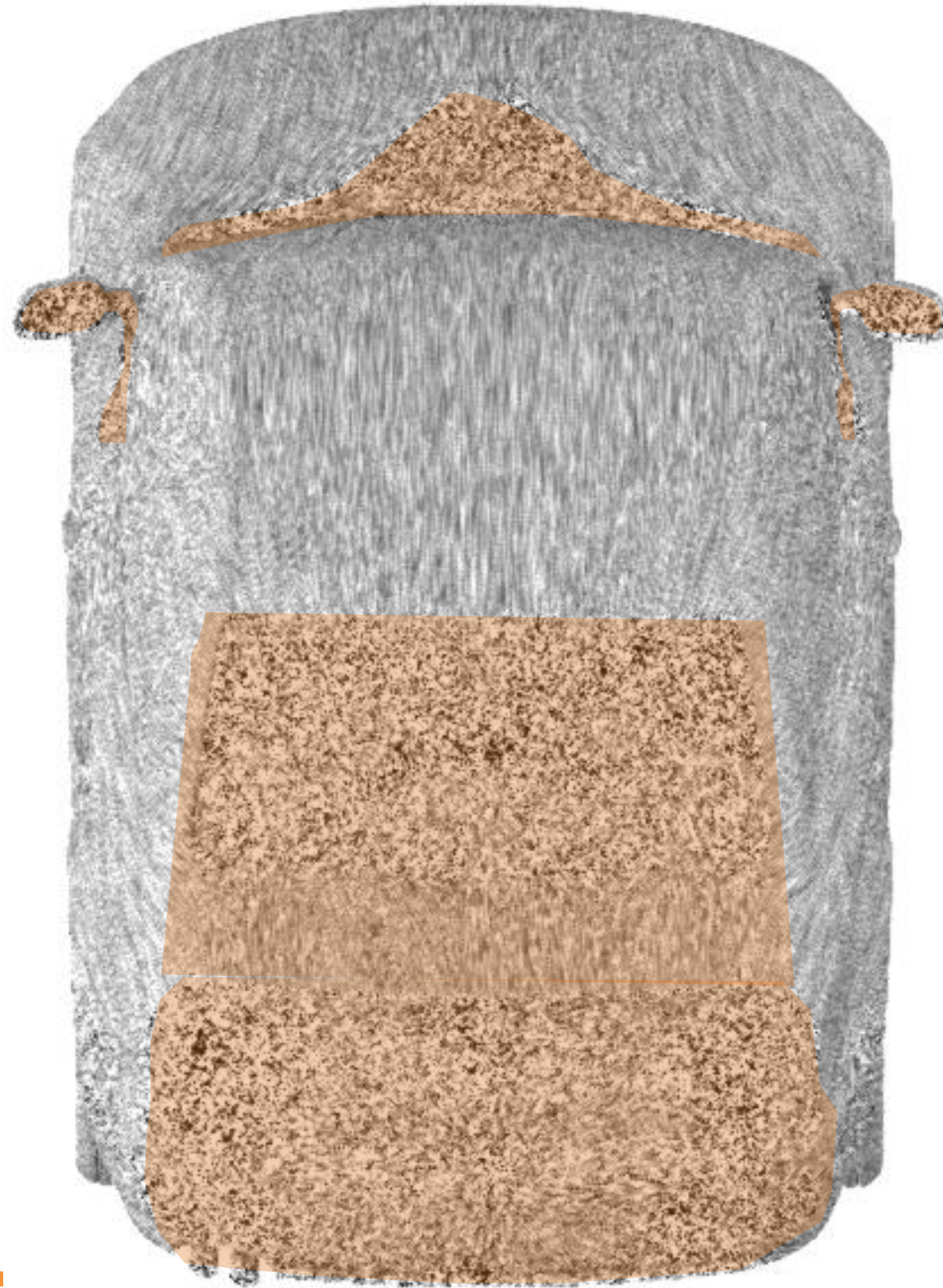


EstateBack
 $C_x=0.3219$

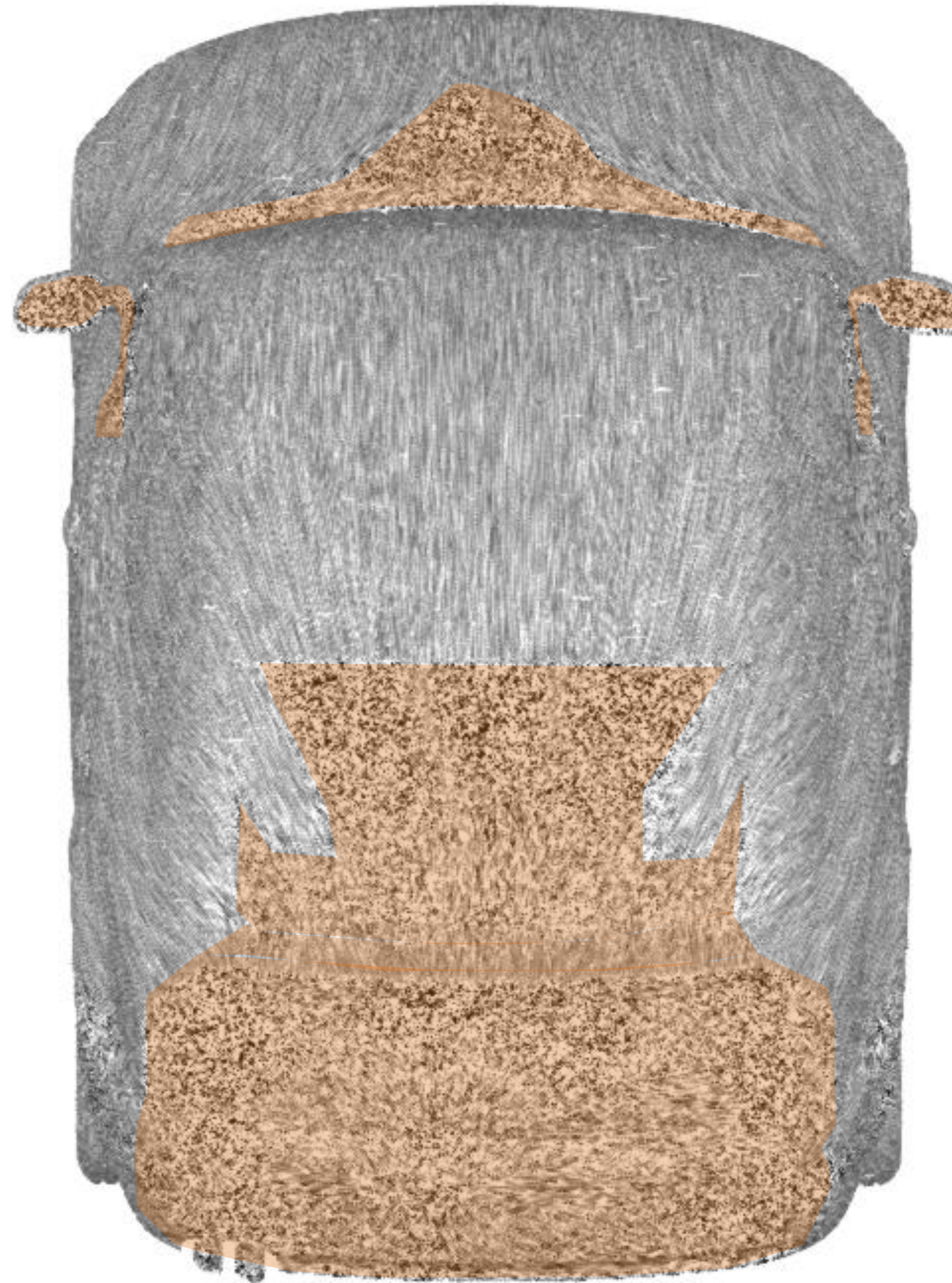


Numerical results

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 $C_x=0.2781$



EstateBack
 $C_x=0.3219$



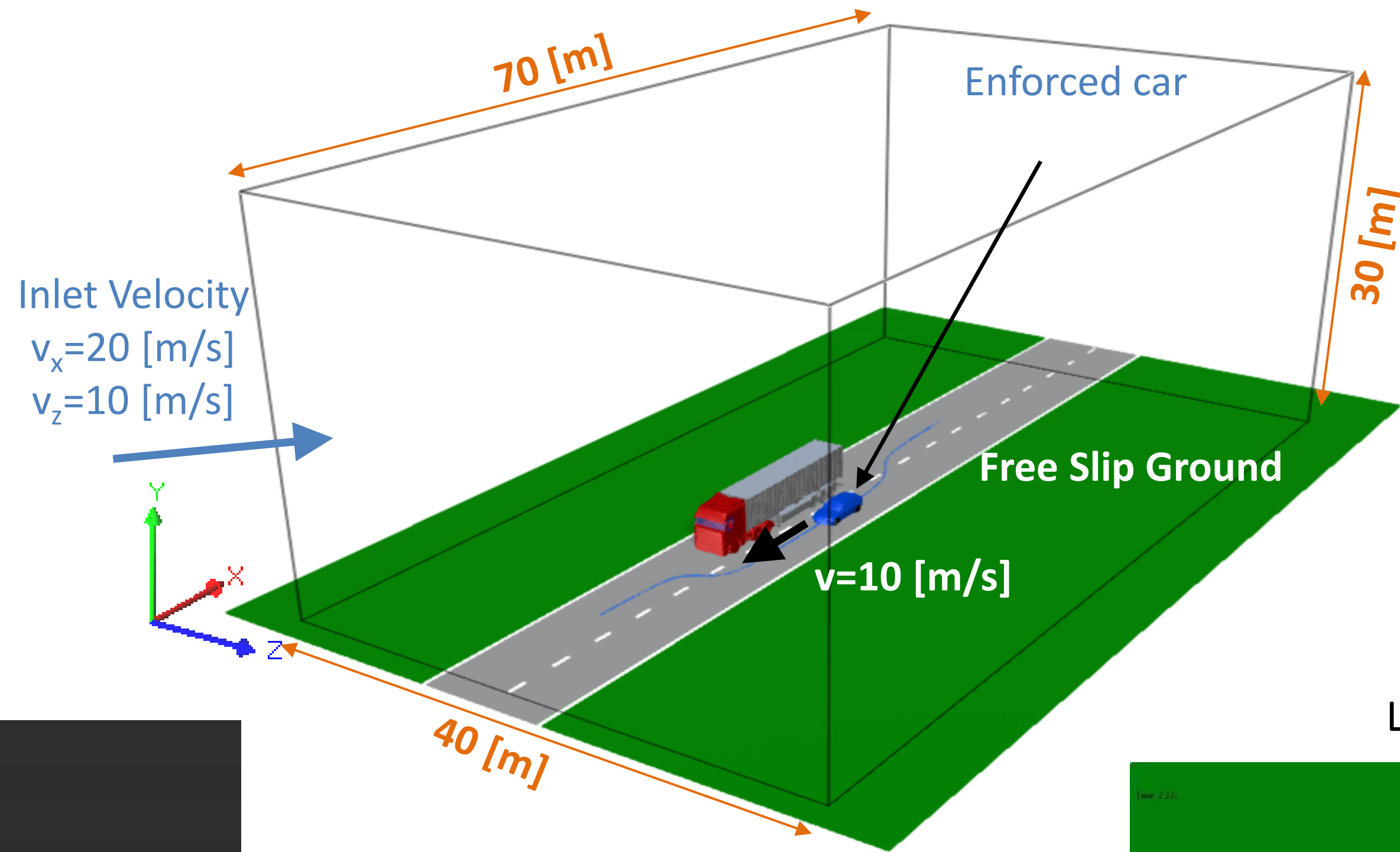
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Overtaking simulation

Simulation setup

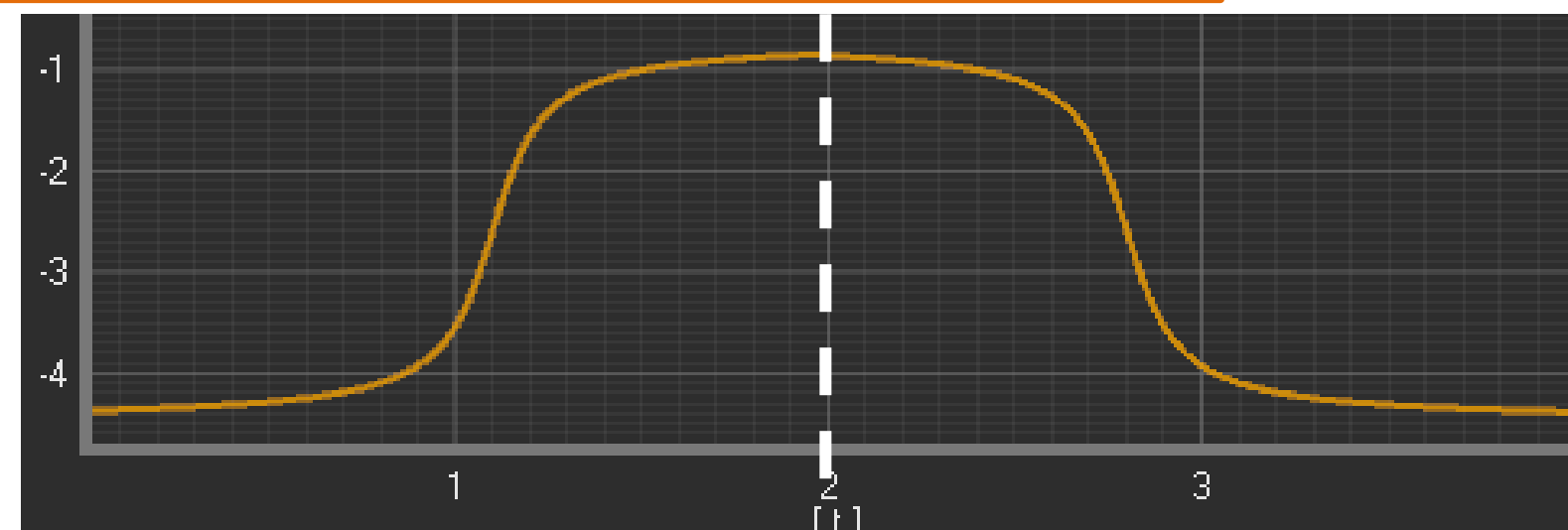
- Single phase
- Crosswind
- Enforced geometry car
- Fixed truck
- Simulation time = 4s
- Adaptive refinement



```

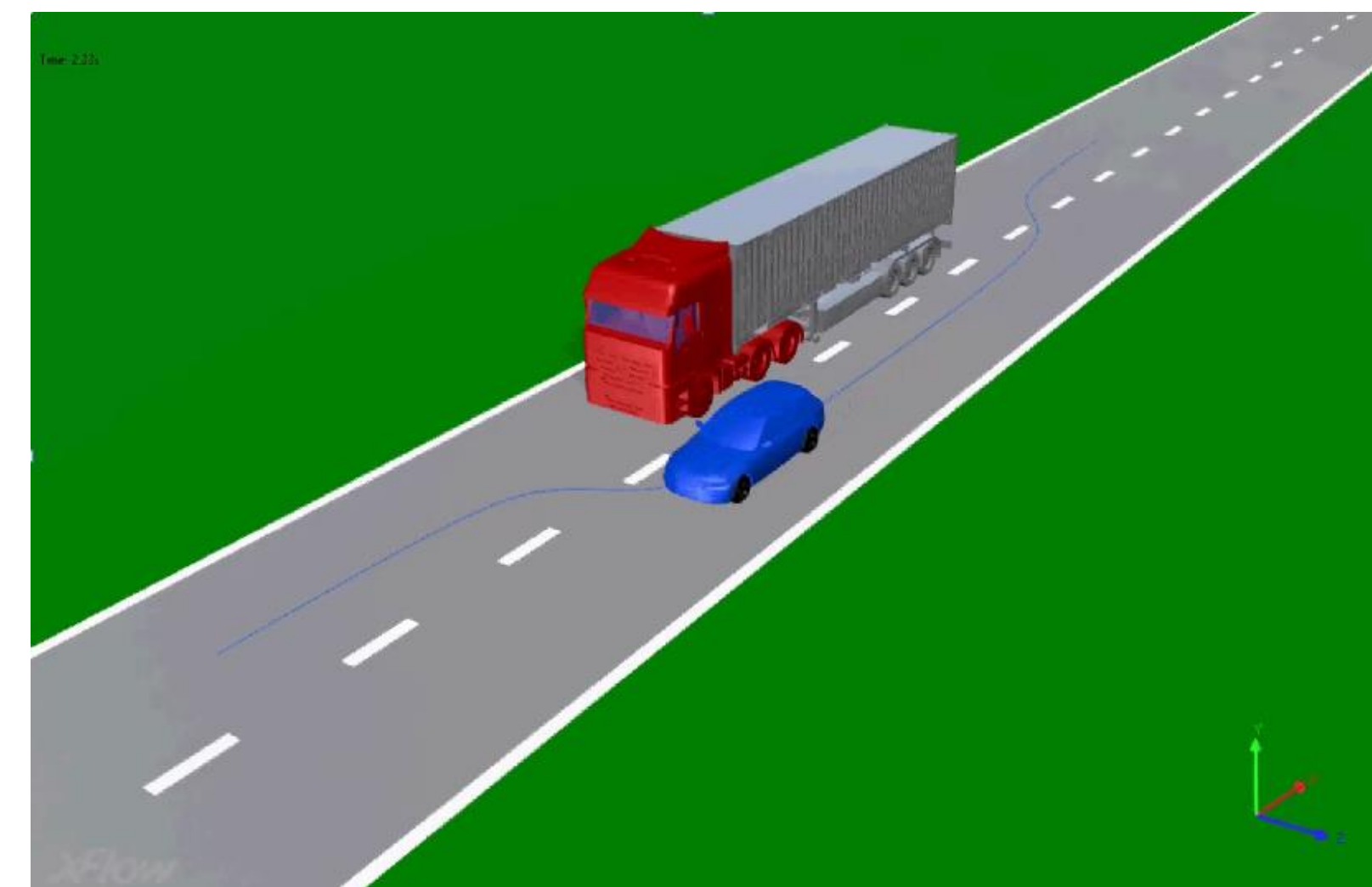
Entities
├── Shape: Body_Estateback_rear
│   └── Behaviour: Enforced
│       └── Position laws
│           ├── X: [if((t)<2.5+cos((t))*20,10.675-7*(t))] m
│           ├── Y: [0.010576] m
│           └── Z: [if((t)<2,-2.6+1.2*atan(-11+10*(t)),-2.6+1.2*atan(28-10*(t))] m
    
```

$$\text{if}(t > 2, -2.6 + 1.2 * \tan^{-1}(-11 + 10t), -2.6 + 1.2 * \tan^{-1}(28 - 10t))$$



Aerovehicles 2 - XFlow

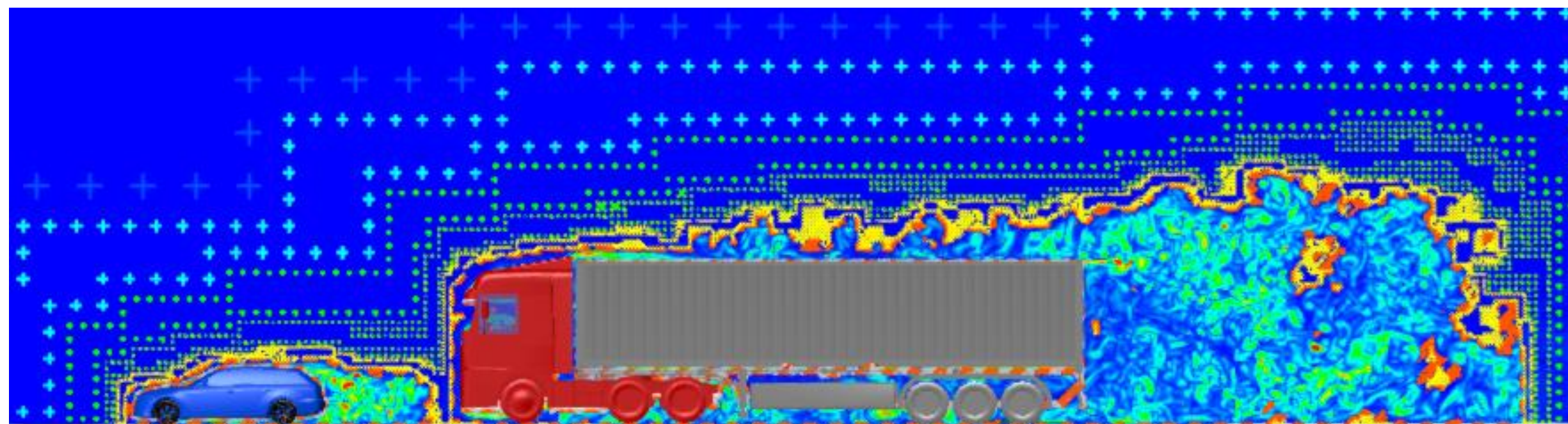
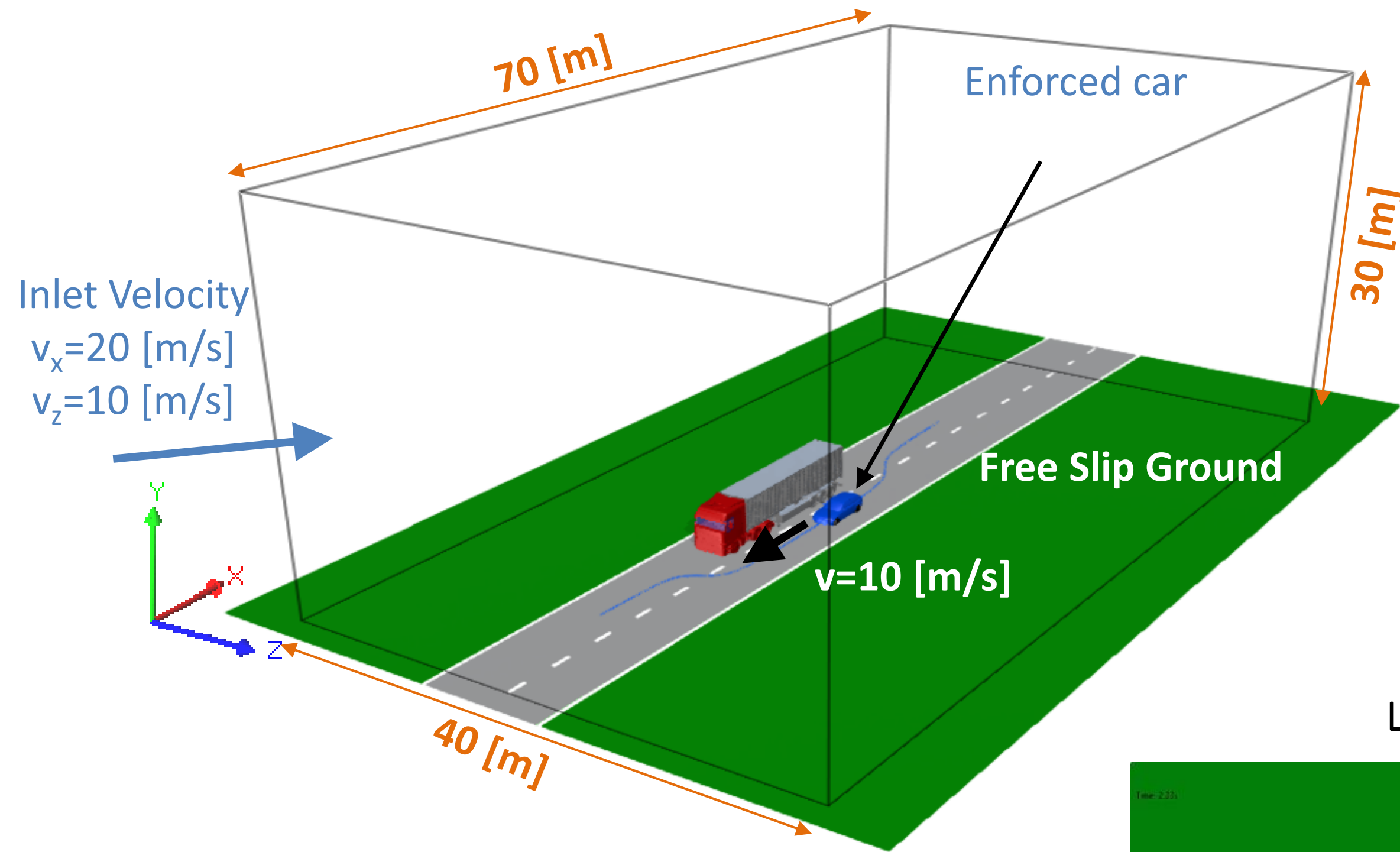
Law motion overtaking



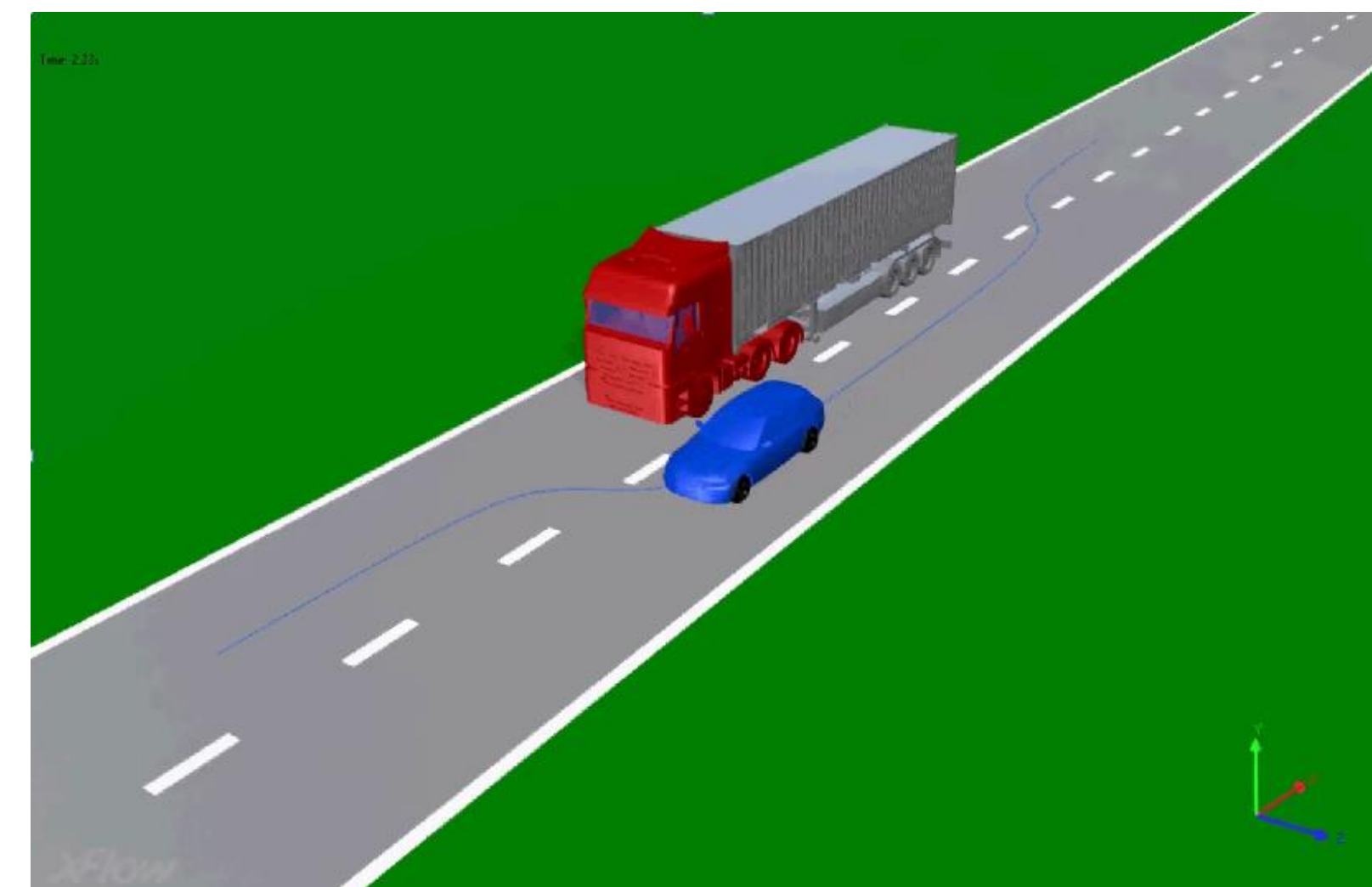
Overtaking simulation

Simulation setup

- Single phase
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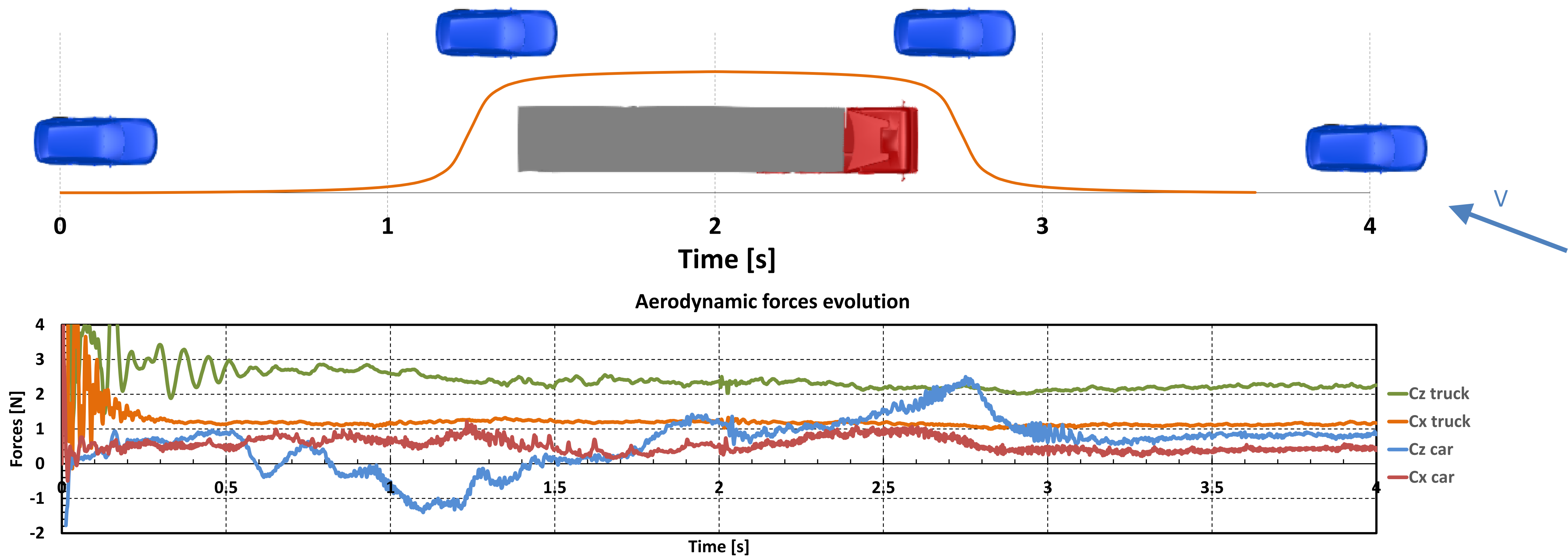
Law motion overtaking



Overtaking simulation

Numerical results

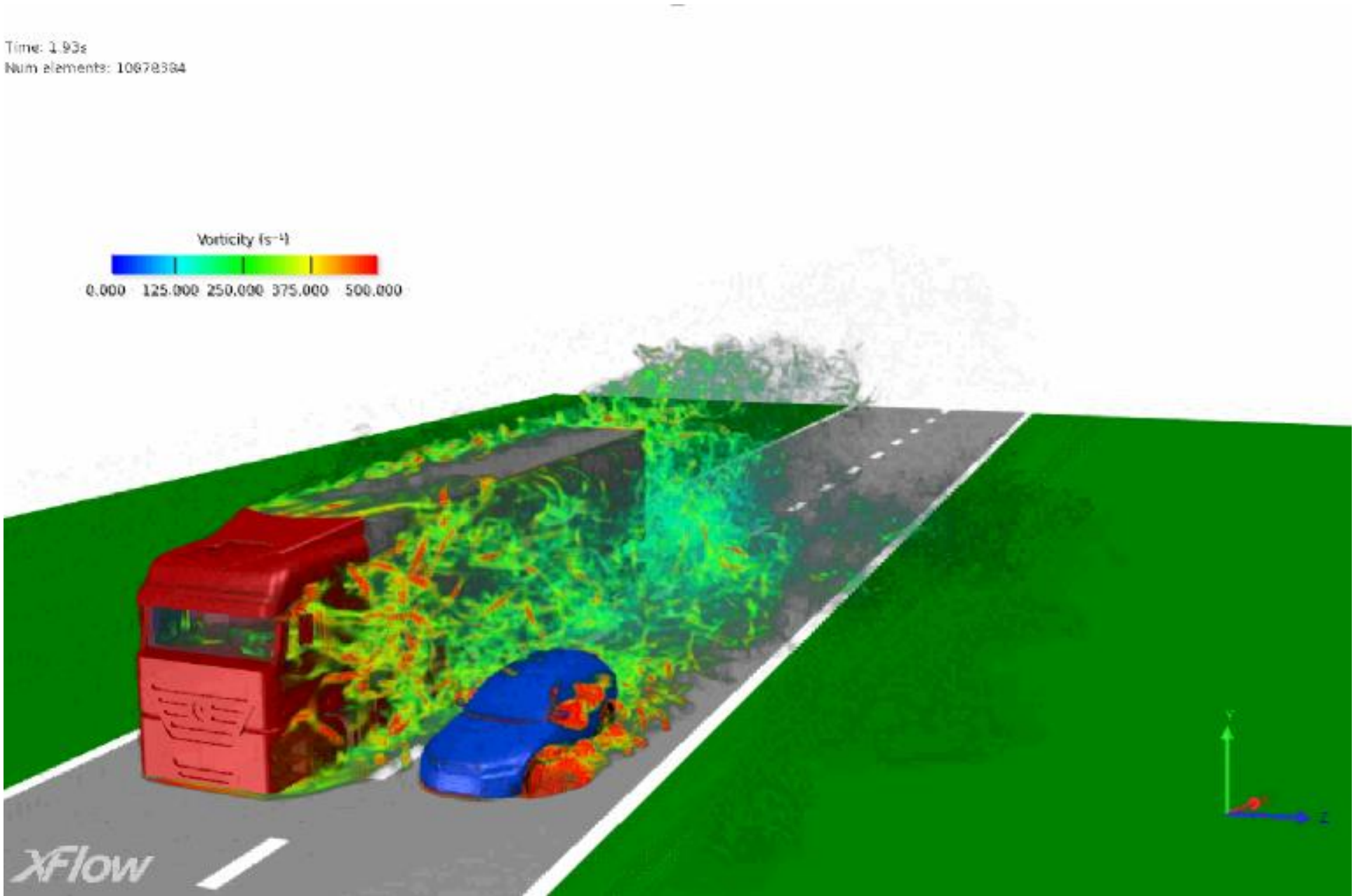
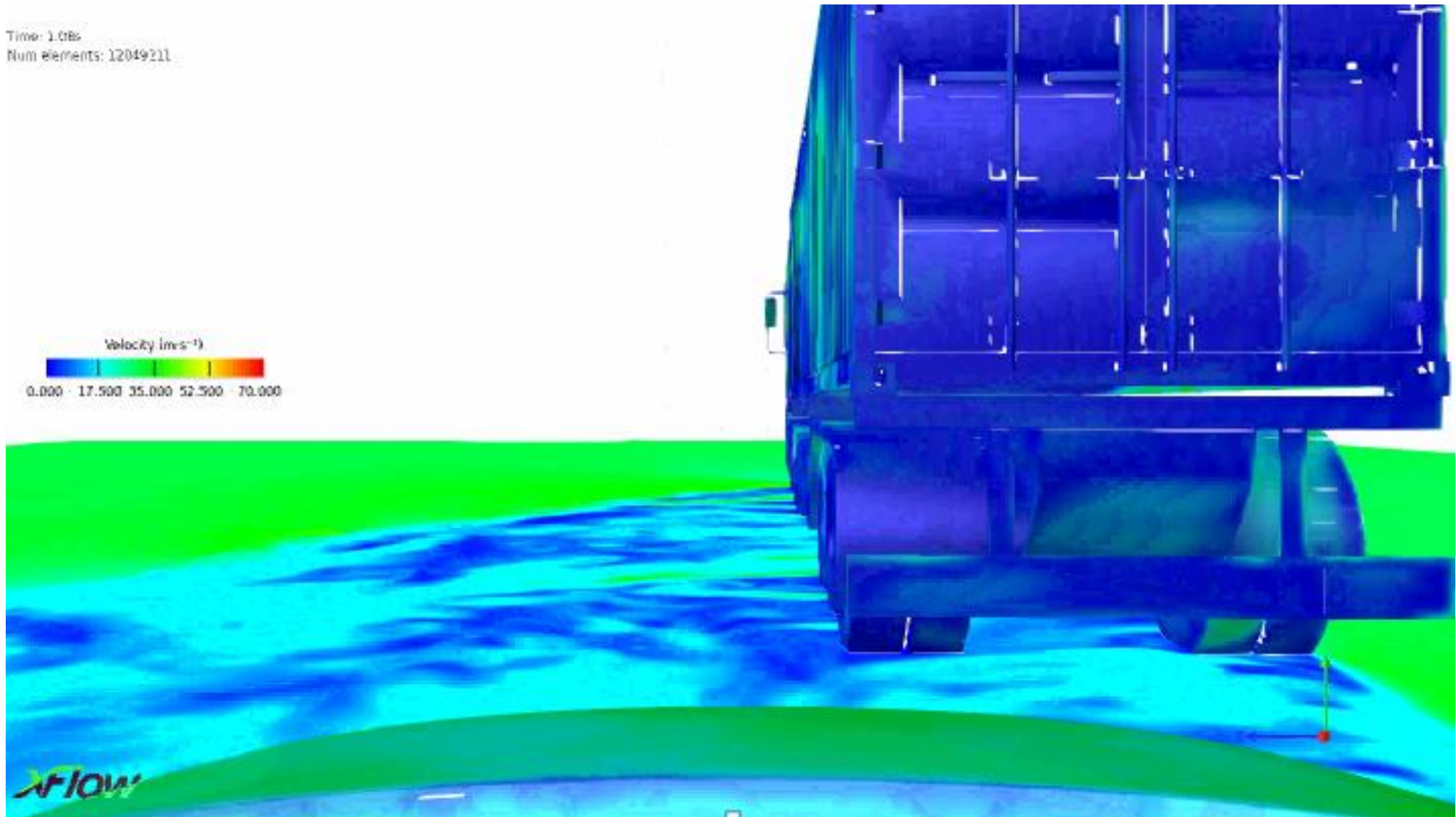
	Far Field [m]	Near Walls [m]	Max. # Elements	Simulated Time [s]	# Nodes	# Cores	Run Time [days]
Overtaking	1.28	0.04	12.000.000	4.0	1	24	6



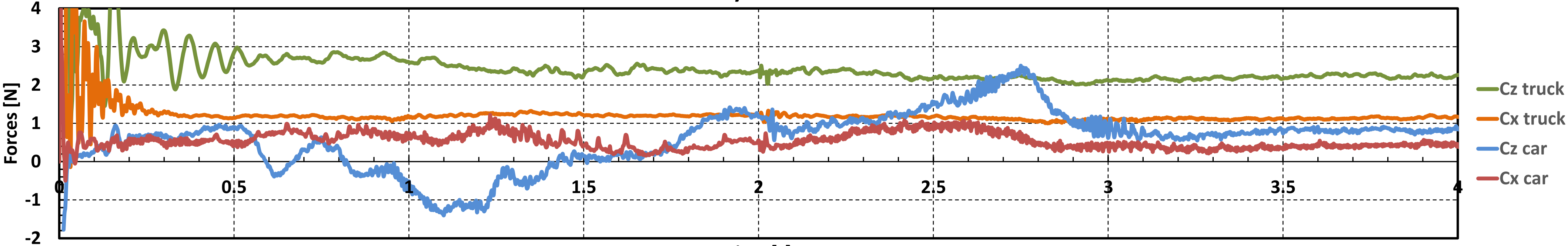
Overtaking simulation

Numerical results

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Overtaking	1.28	0.04	12.000.000	4.0	1	24	6



Aerodynamic forces evolution

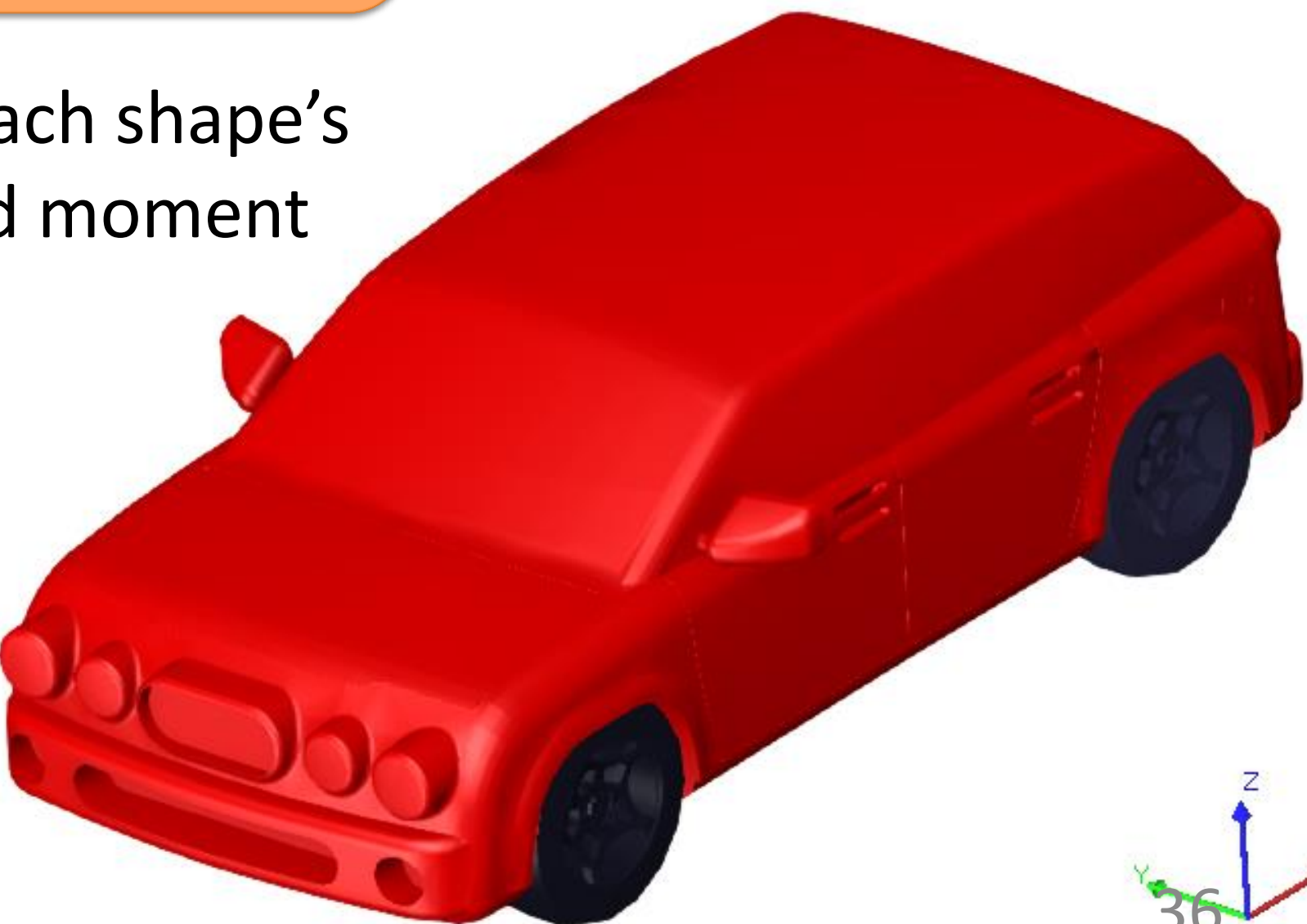
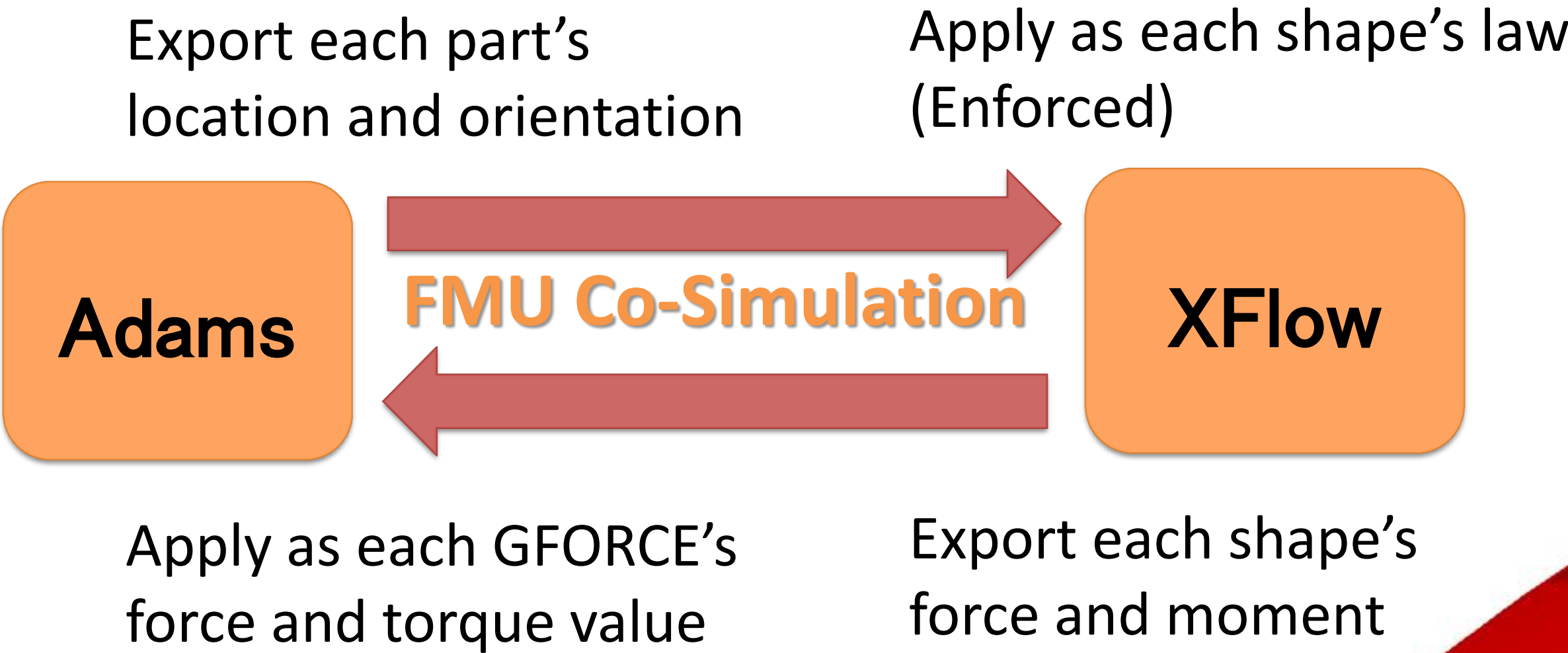
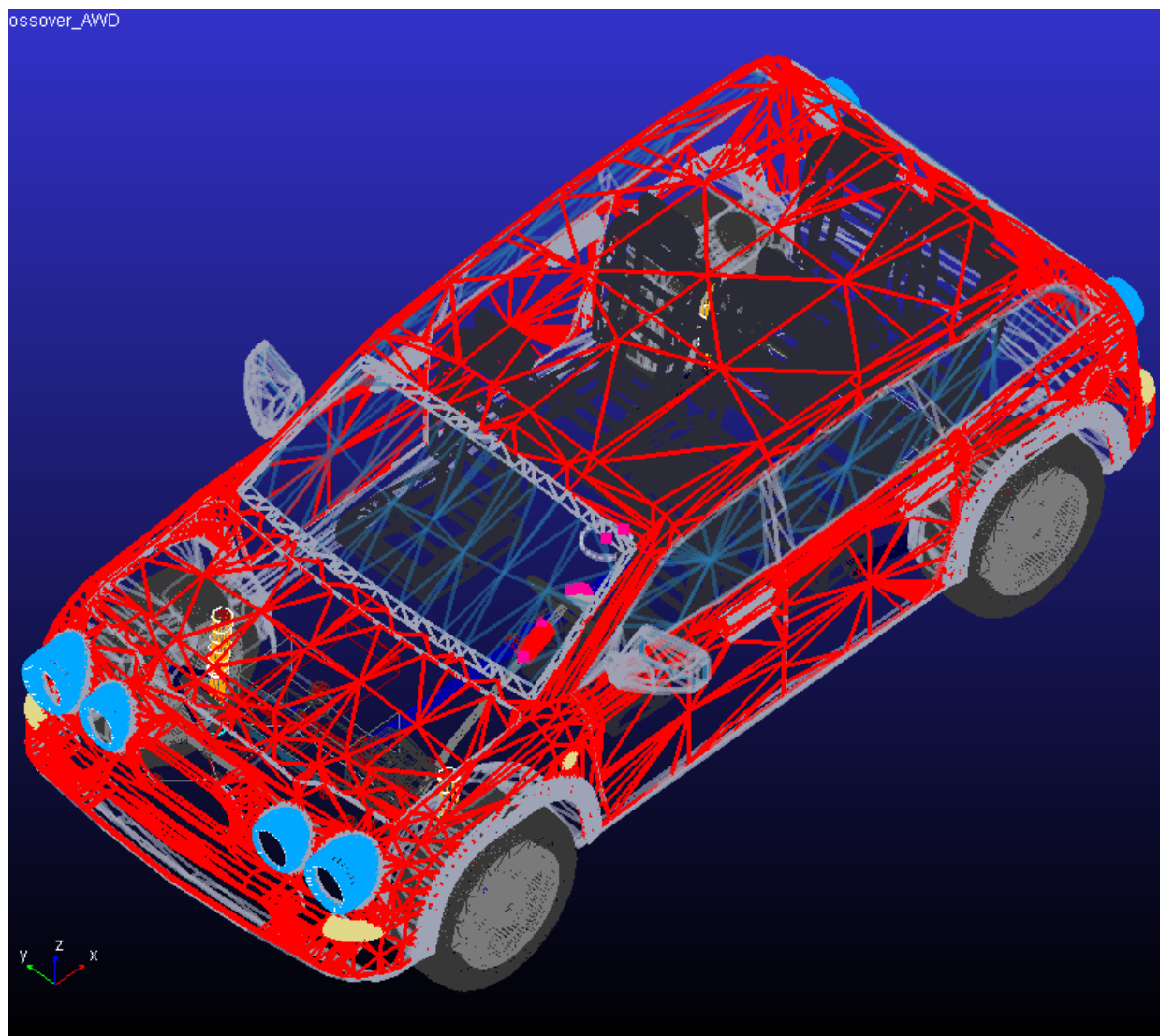


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Crosswind Adams Car-XFlow co-simulation

Adams-XFlow co-simulation



Crosswind Adams Car-XFlow co-simulation

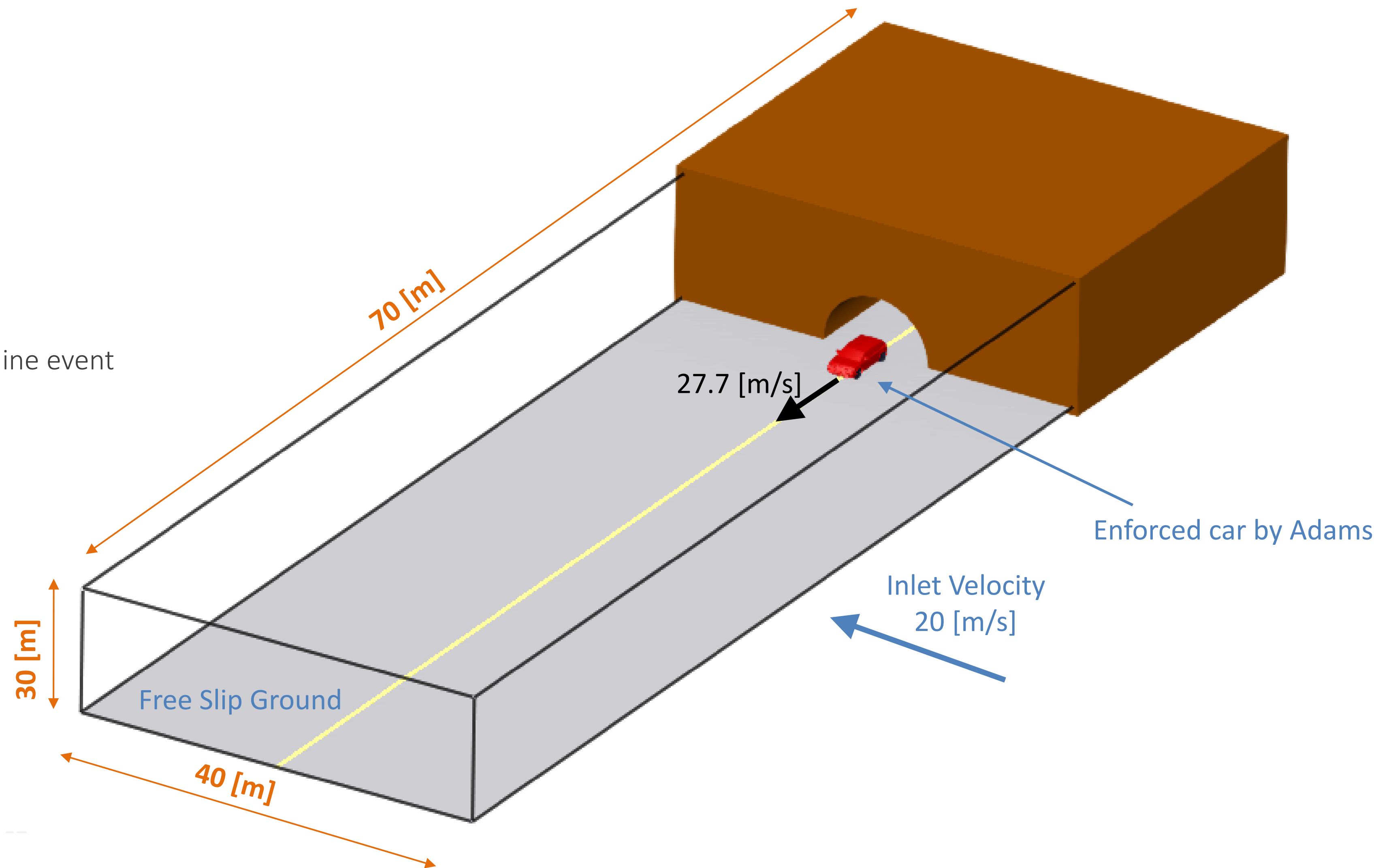
Simulation setup

XFlow

- Single phase
- Lateral wind (20 m/s)
- Adaptive refinement

Adams-Car

- Crossover model:
 - Free steering
 - Driver control: Straight-line event

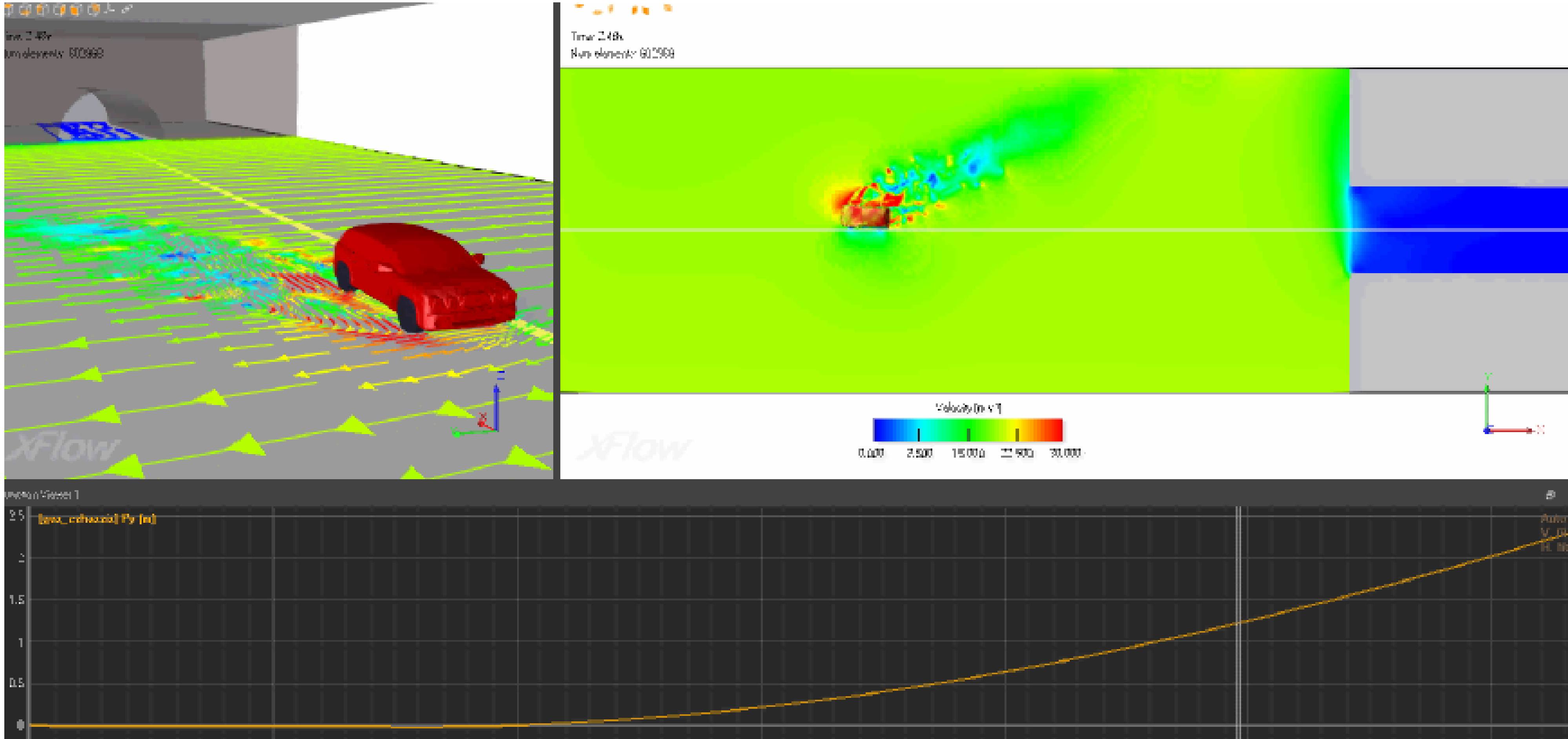


Crosswind Adams Car-XFlow co-simulation

Free steering

→ 2m of maximum lateral displacement.

	Far Field [m]	Near Walls [m]	# Elements	Simulated Time [s]	# Nodes	# Cores	Run Time [h]
Overtaking	0.512	0.064	400.000	3.2	1	16	12

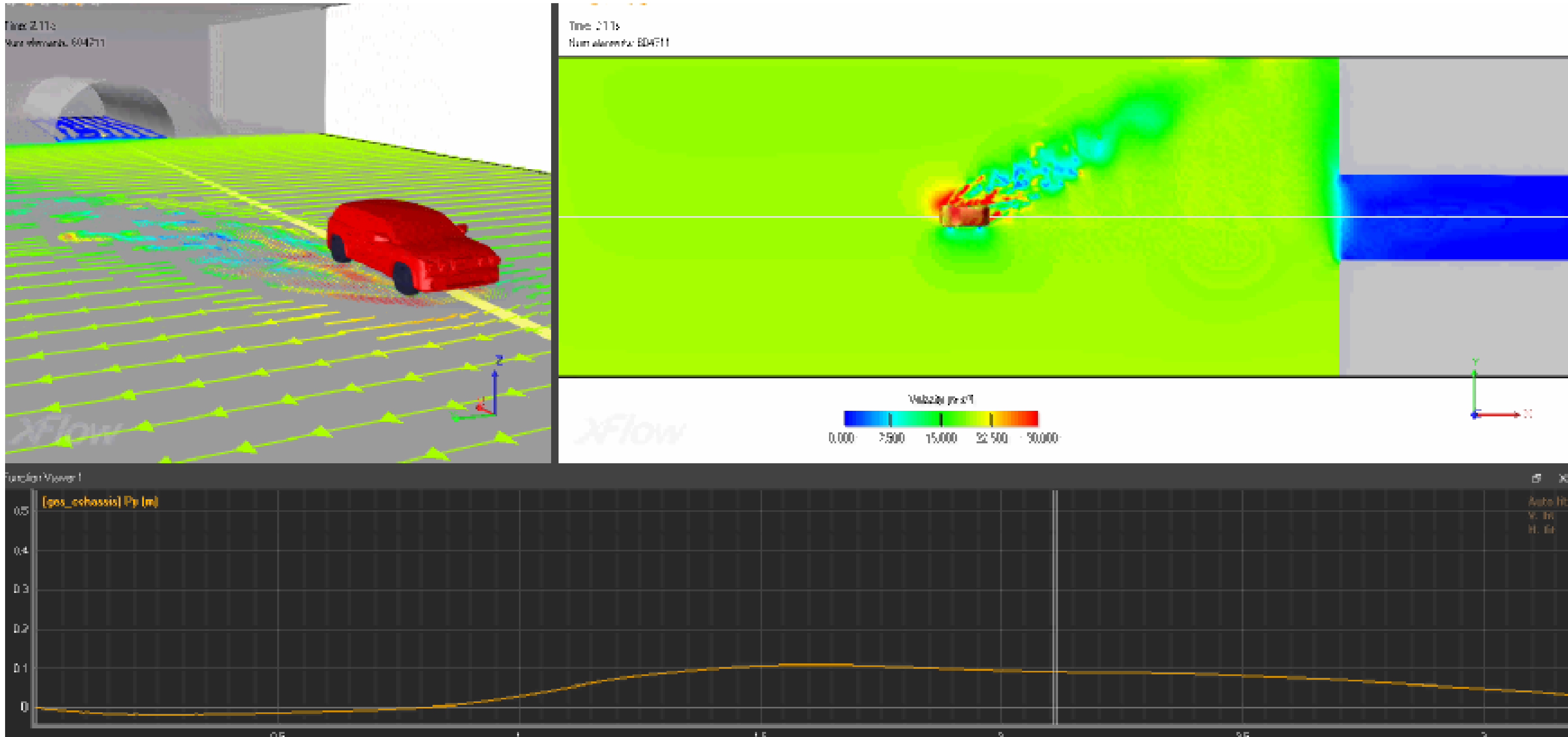


Crosswind Adams Car-XFlow co-simulation

Driver control: Straight-line event

→ 0.1m of maximum lateral displacement.

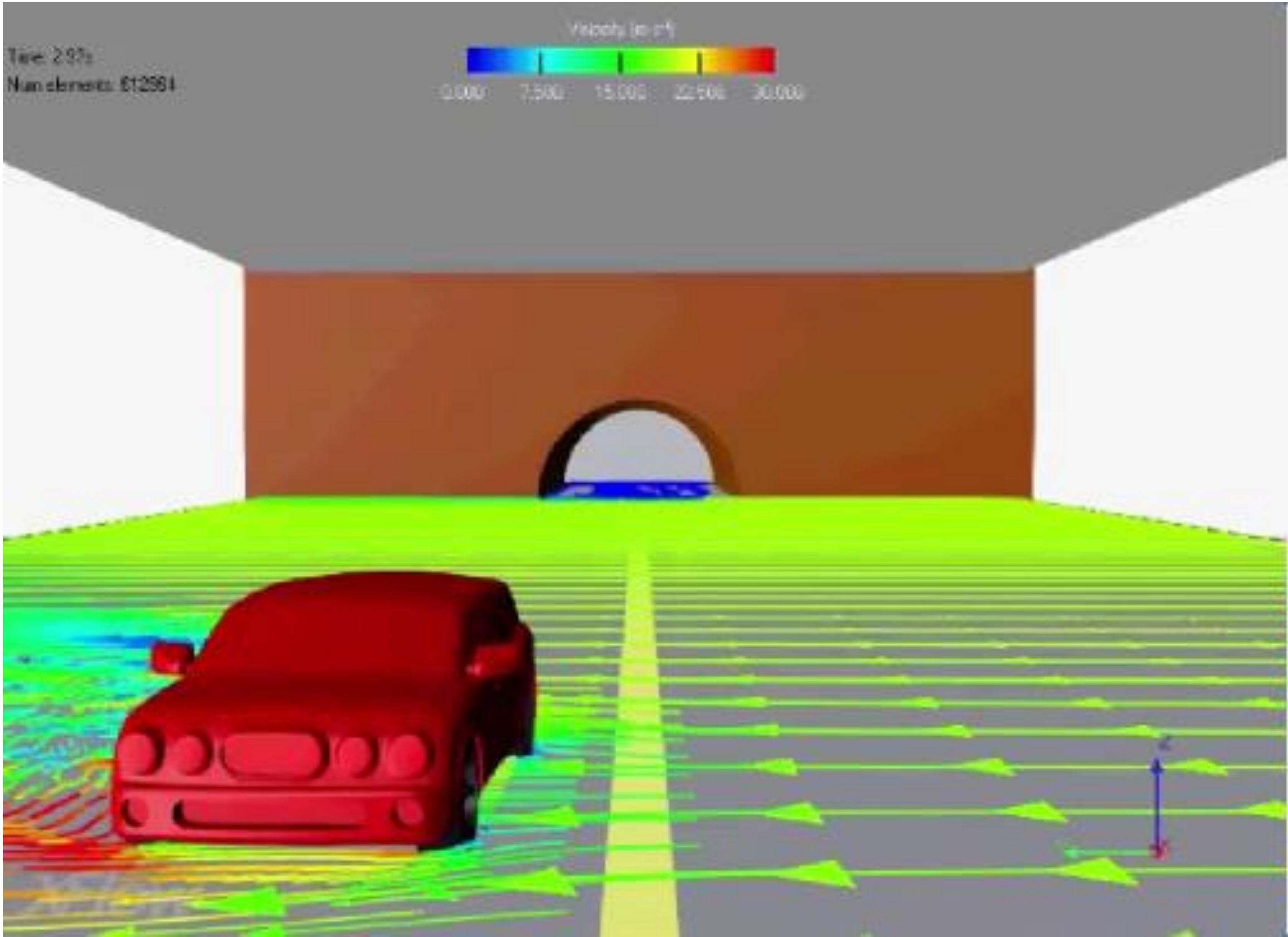
	Far Field [m]	Near Walls [m]	# Elements	Simulated Time [s]	# Nodes	# Cores	Run Time [h]
Overtaking	0.512	0.064	400.000	3.2	1	16	12



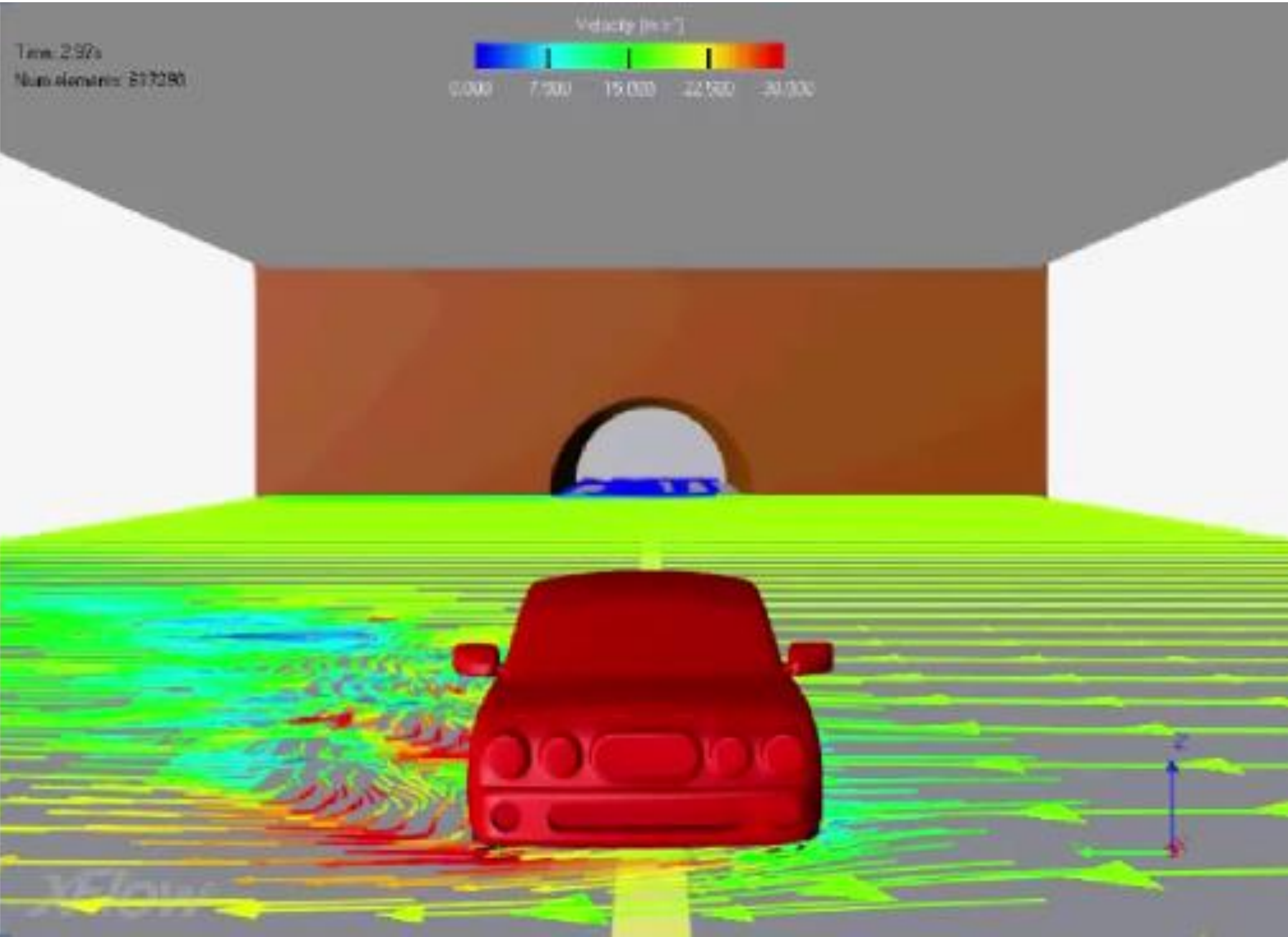
Crosswind Adams Car-XFlow co-simulation

Configuration comparison

	Far Field [m]	Near Walls [m]	# Elements	Simulated Time [s]	# Nodes	# Cores	Run Time [h]
Overtaking	0.512	0.064	400,000	3.2	1	16	12



Max. lateral displacement = 2m



Max. lateral displacement = 0.1m

Conclusions

- Detailed geometry is easily handle by **XFlow** due to the particle-based approach.
- Simulation tool for the analysis of **unsteady flow** and an accurate drag ($\approx 1\%$) prediction of **flow separation** from the vehicles geometry.
- The potential of the method to simulate **dynamic geometries**, without time consuming remeshing processes, has been shown.
- **FMU co-simulation** allows to model the car dynamic and study **fluid-structure** interactions. It could be useful to design an stability control in order to increase the safety car.



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