



Numerical Study of the Structure-Borne Sound Transmission of a Bogie using Multibody Simulation

Dipl.-Ing. Johannes Woller

Dipl.-Ing. Claudius Lein

Dipl.-Ing. Robert Zeidler

Prof. Dr.-Ing. Michael Beitelschmidt

Darmstadt, 9th of November 2016

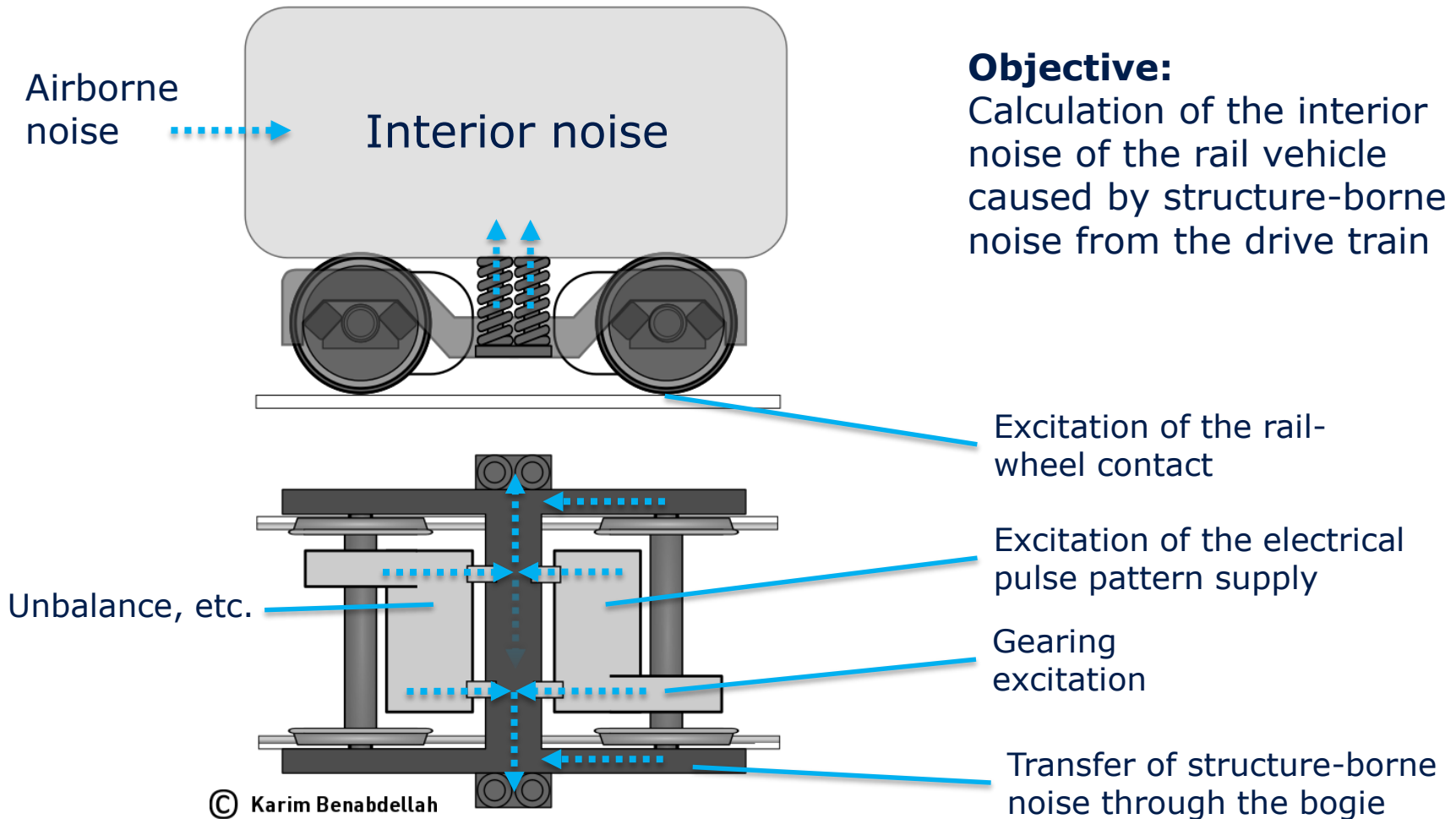
-  Motivation
-  Question
-  Modeling of the bogie frame
-  Comparison of the different modeling approaches
-  Global evaluation and conclusion

Cooperation between the TU Dresden and Bombardier Transportation GmbH

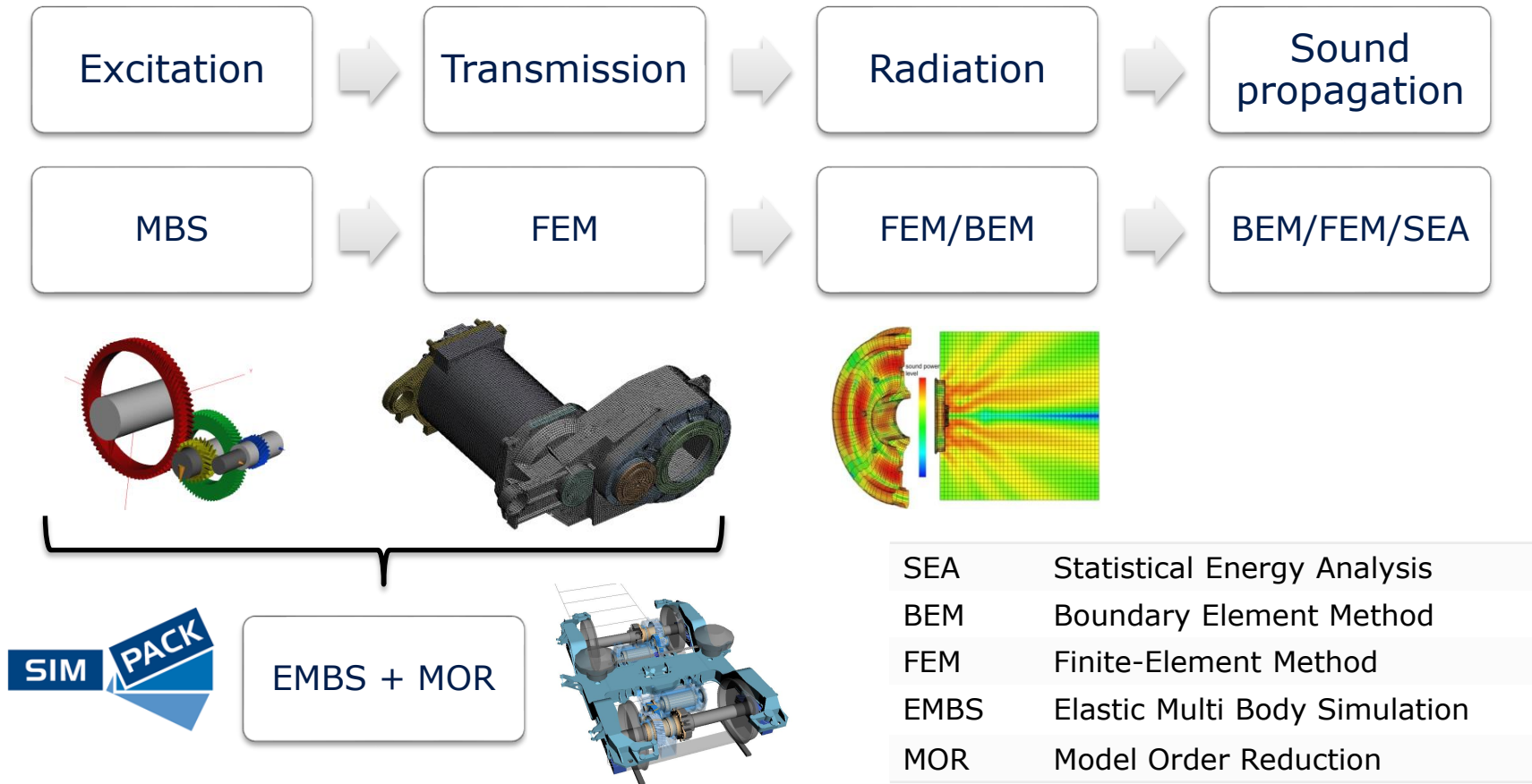
**BOMBARDIER**

Subsequent results are part of the research project:

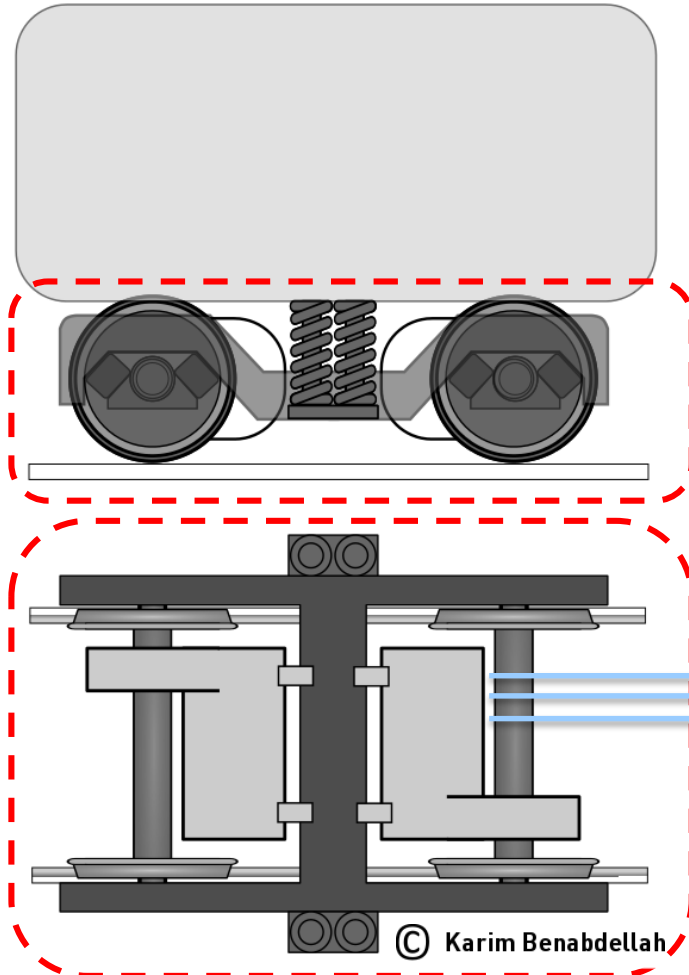
Topic:	Seamless integration of standardized Noise-Vibration-Harshness (NVH) calculations in the development process of railway vehicle powertrains
Project head:	Prof. Dr.-Ing. Michael Beitelschmidt
Employee responsible:	Dipl.-Ing. Johannes Woller
Duration of the project:	4 years starting 2014



State of the art calculation methods in the vehicle acoustics



Model boundaries:



Modeling approach:

- Simulation of the mechanical vibration origin and transmission of the motor bogie by means of flexible multibody simulation using SIMPACK



- Investigation of a selected train project at Bombardier

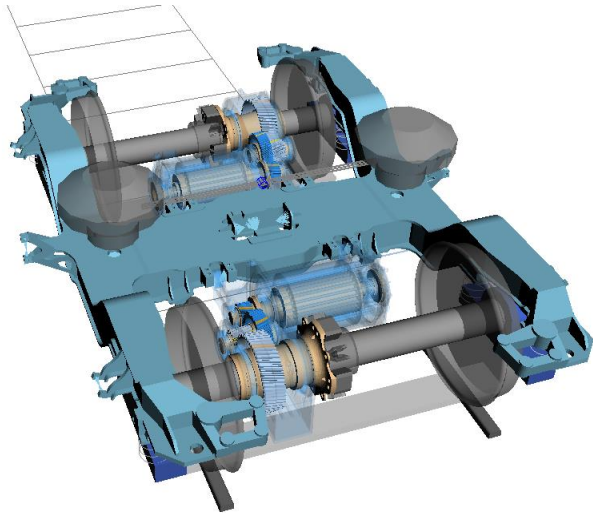
Outcome:

- Calculation of dominant NVH performance of up to 1000 Hz
- Providing quantitative structure-borne sound variables at the coupling points to the car body

Inverter



In this context the bogie frame is a crucial component:



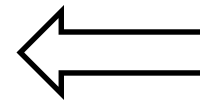
- Nearly all transfer paths from the structure-borne sound excitation in the traction unit are formed by the bogie frame
- First natural frequency is significantly below 100 Hz
- Low damping (welded structure)
- High mode density
- Many connection points to superstructure and to the drive train
- The bogie frame needs to be considered as an elastic body in the multibody simulation

-  Motivation
-  Question
-  Modeling of the bogie frame
-  Comparison of the different modeling approaches
-  Global evaluation and conclusion

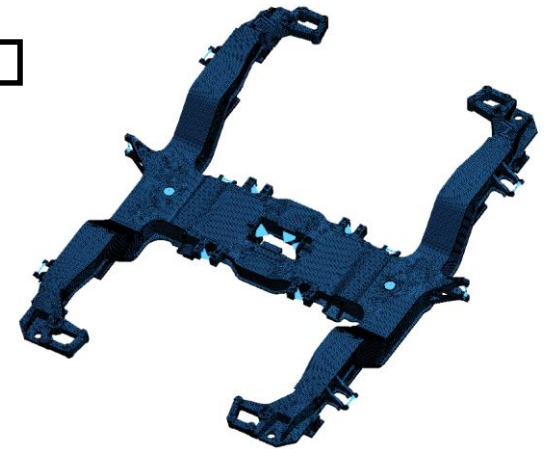
Structural flexibility approximation: Floating Frame of Reference

FE-discrete equation of motion:

$$\underbrace{\begin{bmatrix} \mathbf{M} & \ddot{\mathbf{x}} \end{bmatrix}}_n + \underbrace{\begin{bmatrix} \mathbf{D} & \dot{\mathbf{x}} \end{bmatrix}}_n + \underbrace{\begin{bmatrix} \mathbf{K} & \mathbf{x} \end{bmatrix}}_n = \underbrace{\begin{bmatrix} \mathbf{B} & \mathbf{u} \end{bmatrix}}_{\substack{q \\ 1}} \quad n \in [10^4..10^7]$$



Finite-Element Model

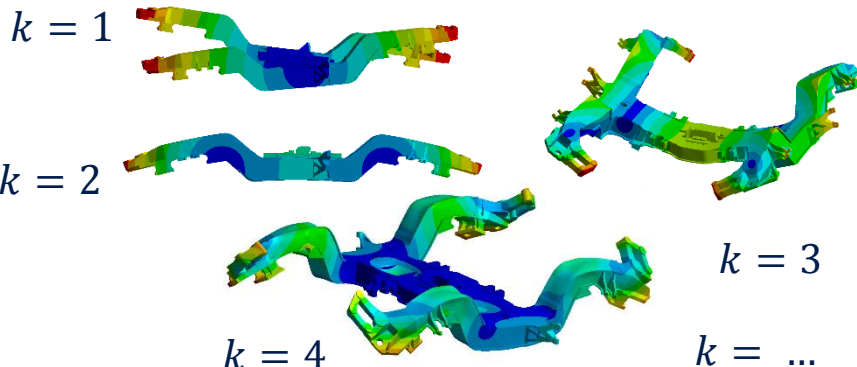


Model Order Reduction (MOR)

$$\underbrace{\begin{bmatrix} \mathbf{M}_R & \ddot{\mathbf{x}}_R \end{bmatrix}}_m + \underbrace{\begin{bmatrix} \mathbf{D}_R & \dot{\mathbf{x}}_R \end{bmatrix}}_m + \underbrace{\begin{bmatrix} \mathbf{K}_R & \mathbf{x}_R \end{bmatrix}}_m = \underbrace{\begin{bmatrix} \mathbf{B}_R & \mathbf{u} \end{bmatrix}}_{\substack{q \\ 1}} \quad m \ll n$$



Φ_k Reduced eigensolution



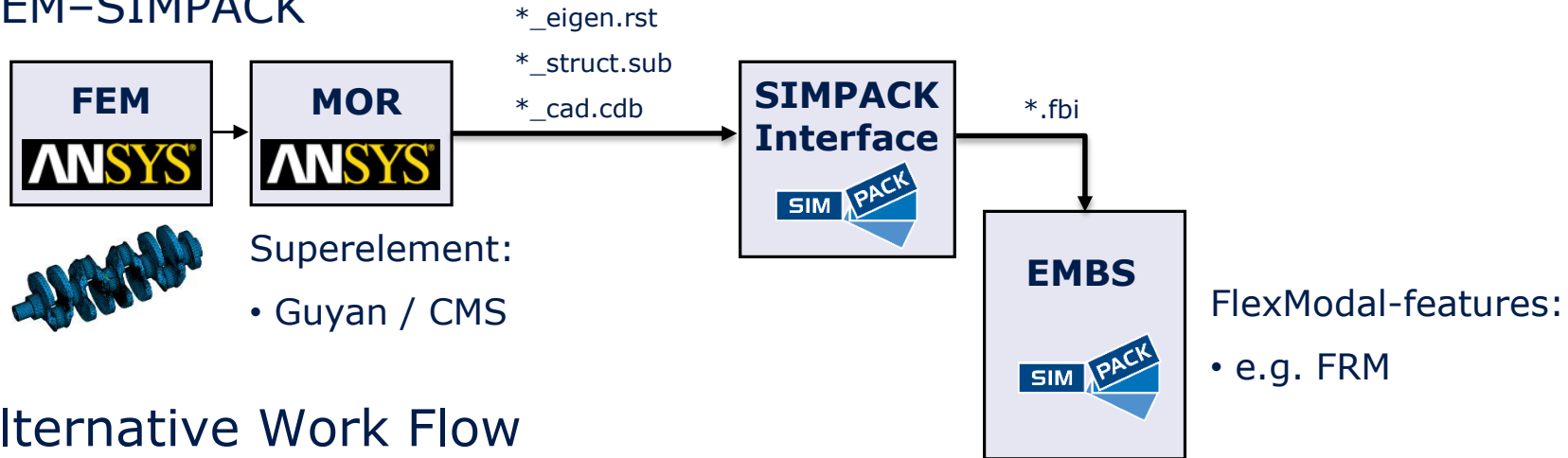
Global Ritz Approach

$$\mathbf{u}(\mathbf{r}_P, t) \approx \underbrace{\sum_{k=1}^{n_q} \Phi_k(\mathbf{r}_P) q_k(t)}_{\text{Deformation of the bogie}}$$

Deformation of the bogie

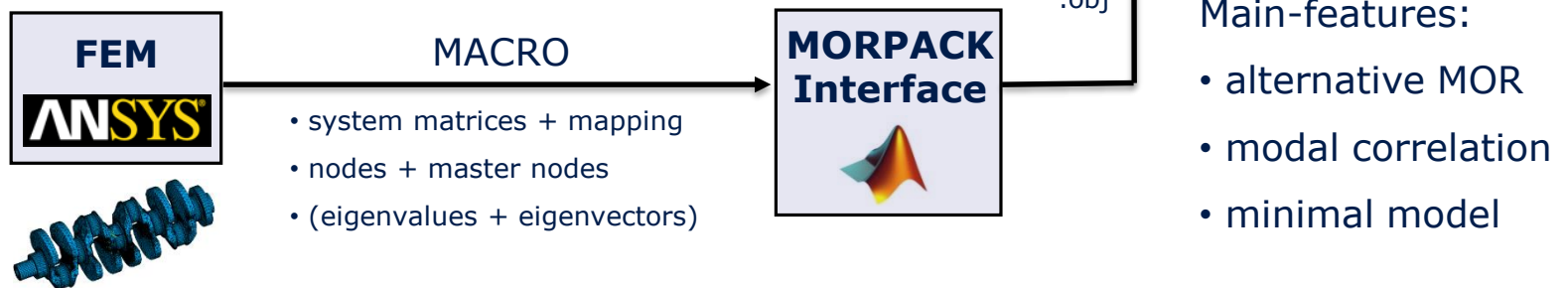
Standard work flow

FEM-SIMPACT



Alternative Work Flow

FEM-MORPACK-SIMPACT

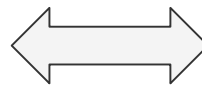
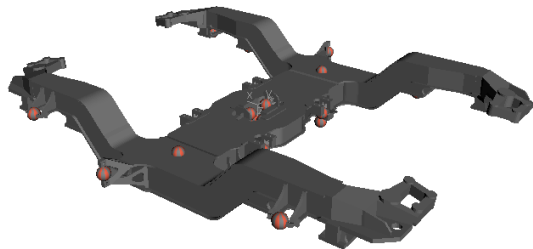


- Standard MOR-techniques for dynamic reduction :
 - COMPONENT MODE SYNTHESIS (CMS)
 - Implemented in commercial FE-software
 - Well established
- Modern MOR-techniques:
 - KRYLOV SUBSPACE METHOD (KSM)
 - Approximates the frequency response function by a TAYLOR series
 - Promising better MOR quality while getting smaller models

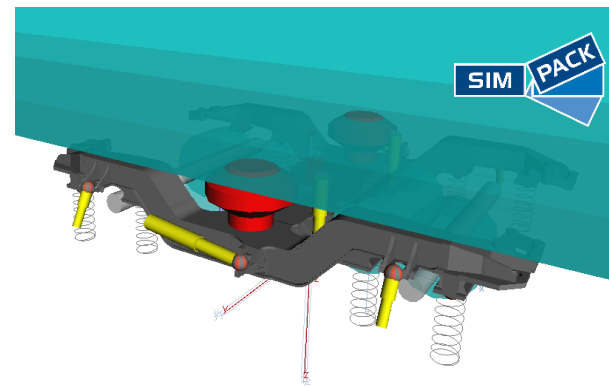
Following questions will be focused in this presentation:

1. Are the results generated with a **modern KSM** similar to those of a **conventional CMS** model, at the example of a bogie frame?
2. What is the **influence of the installation state** ?

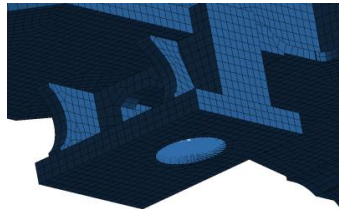
unconstrained



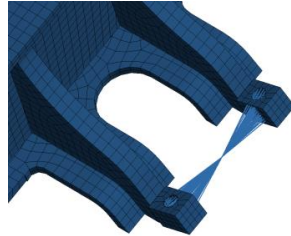
installed in a EMBS



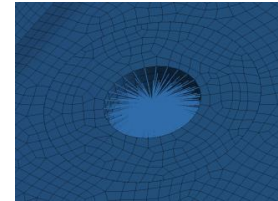
-  Motivation
-  Question
-  Modeling of the bogie frame
-  Comparison of the different modeling approaches
-  Global evaluation and conclusion



1

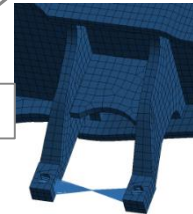
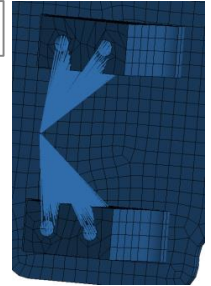


2



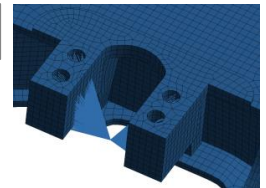
3

7

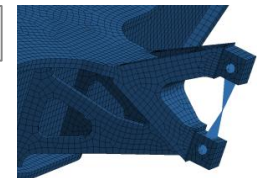


4

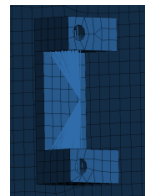
8



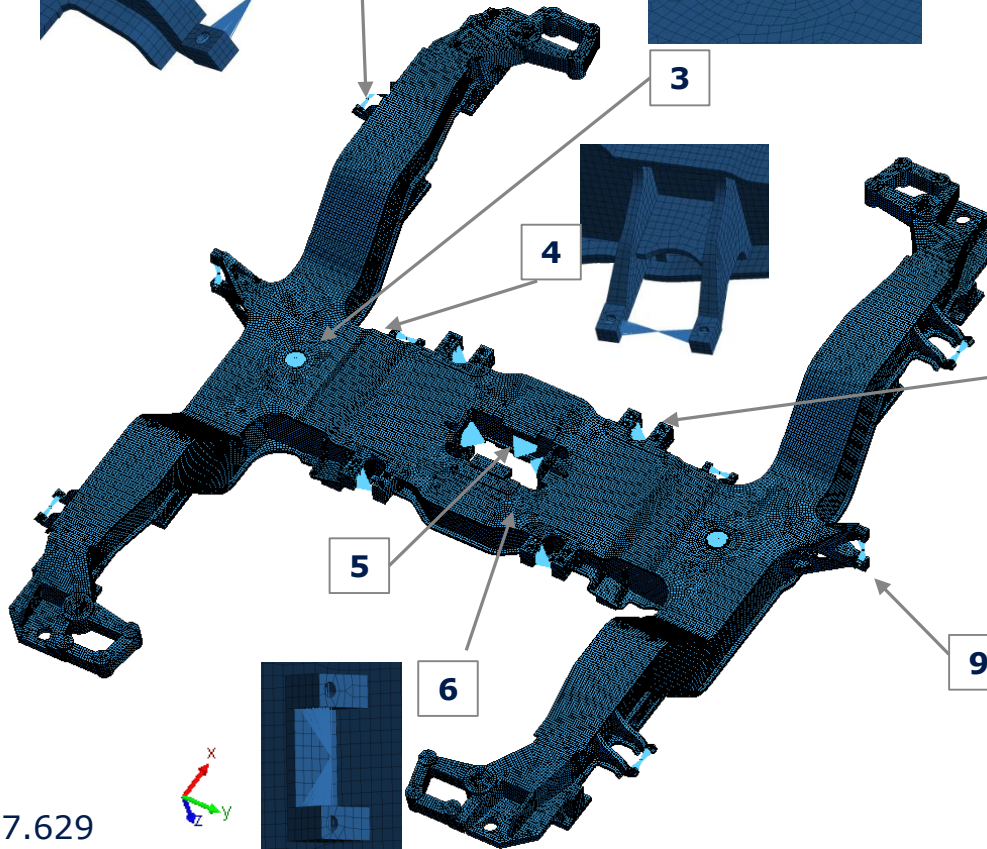
9



5



6



Connections

N

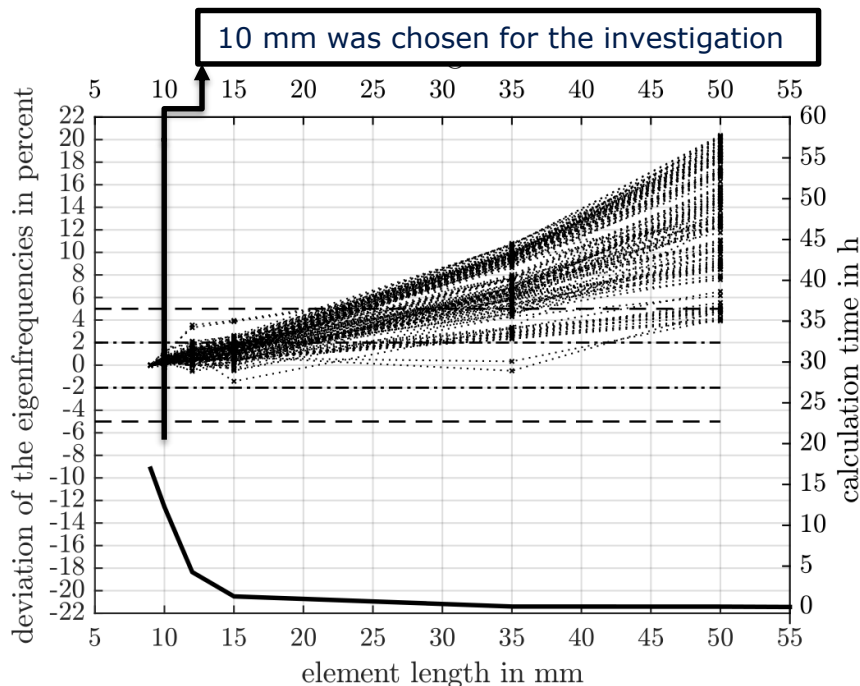
1	Primary spring	8
2	Vertical damper	4
3	Secondary spring	2
4	Secondary damper	2
5	Pin	4
6	Pin damper	1
7	Anti-roll bar	2
8	Motor suspension	4
9	Yaw damper	2

$$\Sigma = 29$$

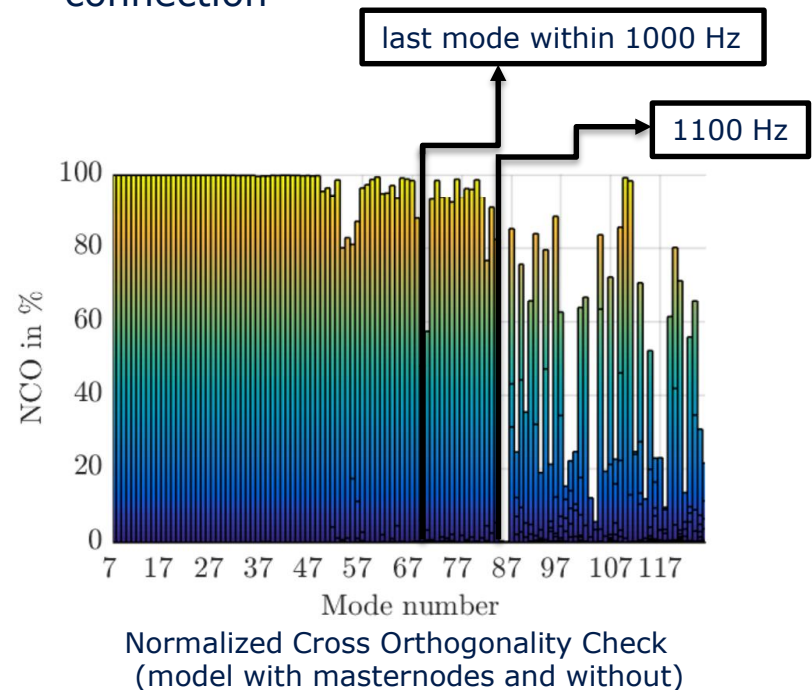
Number of Elements: 217.629
Degree of Freedom: 2.259.837

Validation of the finite element model

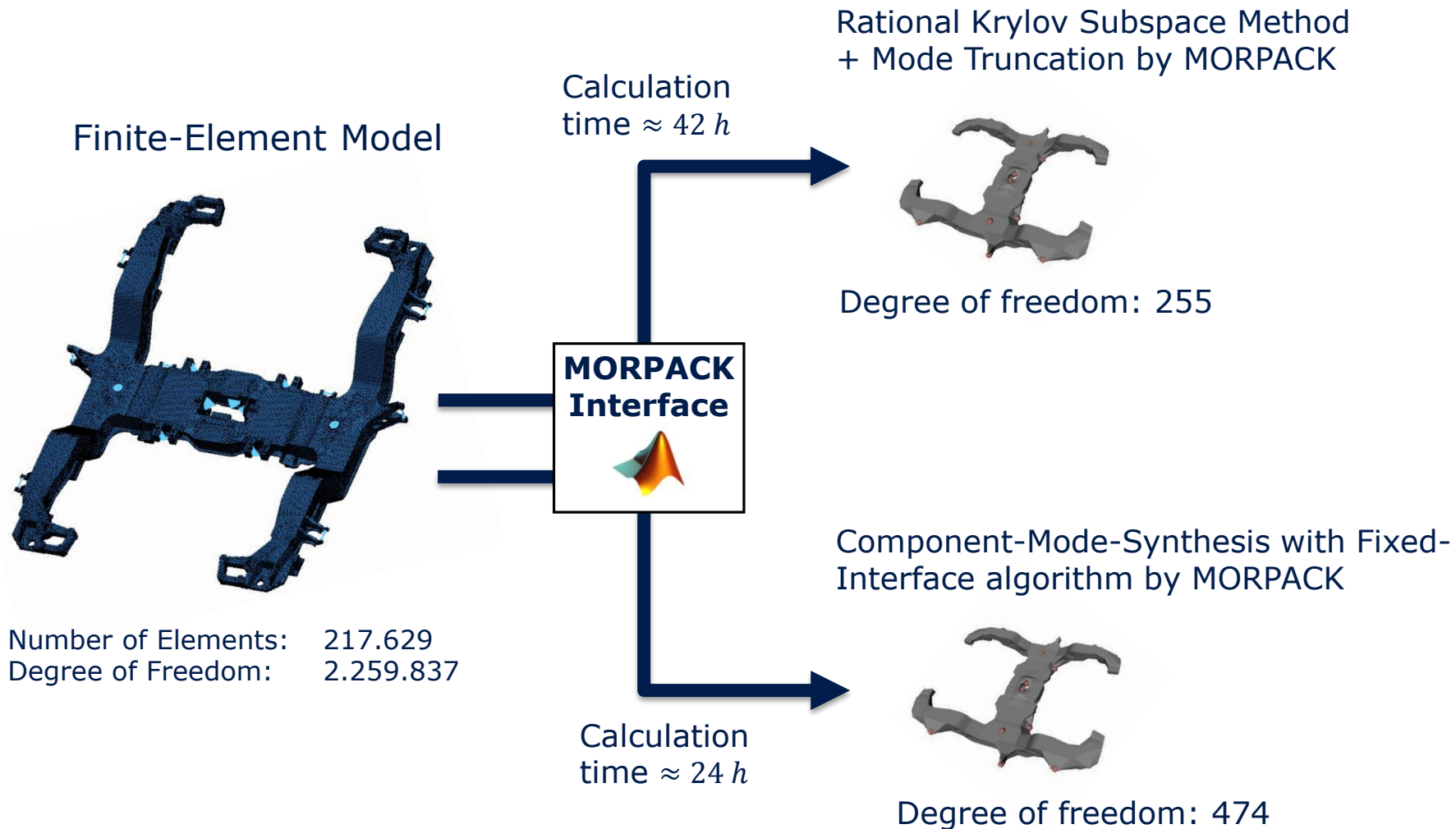
a) Mesh sensitivity to the eigenfrequencies



b) Influence of the master node connection



The calculation was performed with the FE-software ANSYS on a workstation with Intel Core i7-2600 and 16 GB RAM. Due to the limited RAM the calculation was performed out of core.



Validation of the reduced models against the full model

a) Normalized Cross Orthogonality Check

$$\text{NCO}_{ij} = \frac{(\phi_{r,i}^H \cdot \mathbf{W} \cdot \phi_{v,j})^2}{(\phi_{r,i}^H \cdot \mathbf{W} \cdot \phi_{r,i}) \cdot (\phi_{v,j}^H \cdot \mathbf{W} \cdot \phi_{v,j})}$$

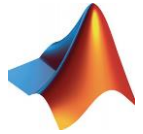
b) Normalized Relative Frequency Difference

$$\text{NRFD}_i = \frac{|f_{r,i} - f_{v,i}|}{f_{r,i}}$$

Model	Number of Modes	a) Last mode NCO(<95%)	b) Last natural frequency NRFD(<1%)
CMS	474	1244Hz / Mode 99	1259 Hz / Mode 101
KSM	255	2016 Hz / Mode 251	2027 Hz / Mode 255

-  Motivation
-  Question
-  Modeling of the bogie frame
-  Comparison of the different modeling approaches
-  Global evaluation and conclusion

Calculation Method: Using State Space Matrices Export to Matlab



→ Linear time independent system (LTI) at linearization point x_0

→ Multiple Input Multiple Output (MIMO):

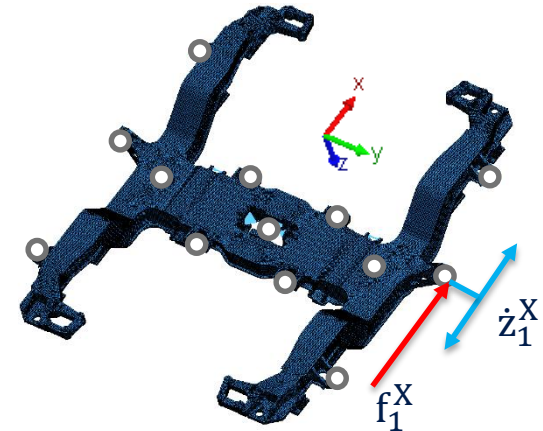
Inputs/Outputs: $u = f$ (forces), $y = \dot{z}$ (velocities)

State Space formulation:

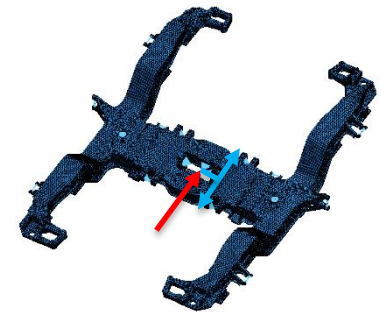
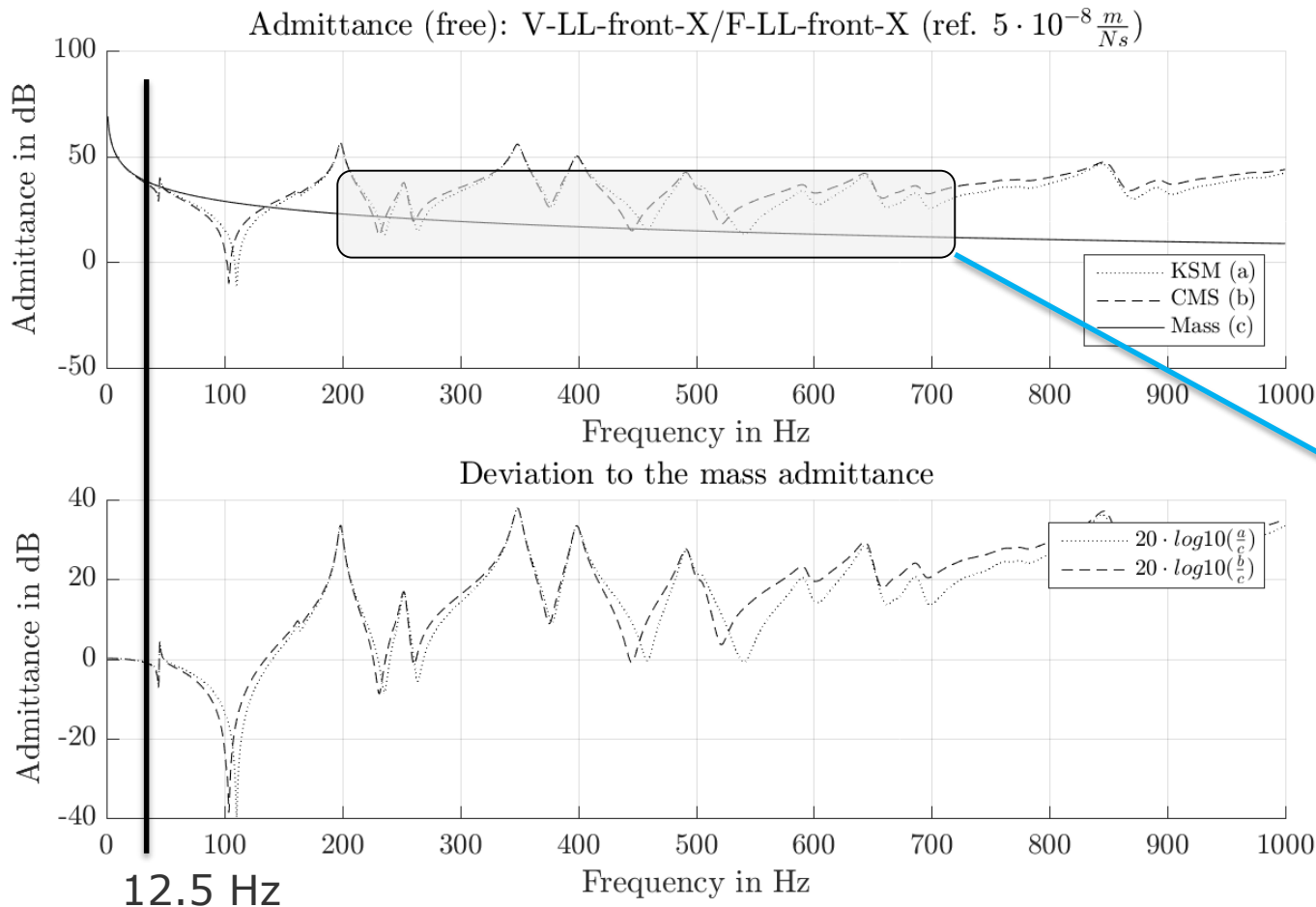
Laplace Transformation and FRF calculation in MATLAB

$$\begin{aligned}
 \dot{x} &= Ax + Bu \\
 y &= Cx + Du
 \end{aligned}
 \quad \Rightarrow \quad
 \underline{Y}_S = C[\underline{s}(I - A)^{-1}B] + D$$

Complex admittance matrix of the whole system

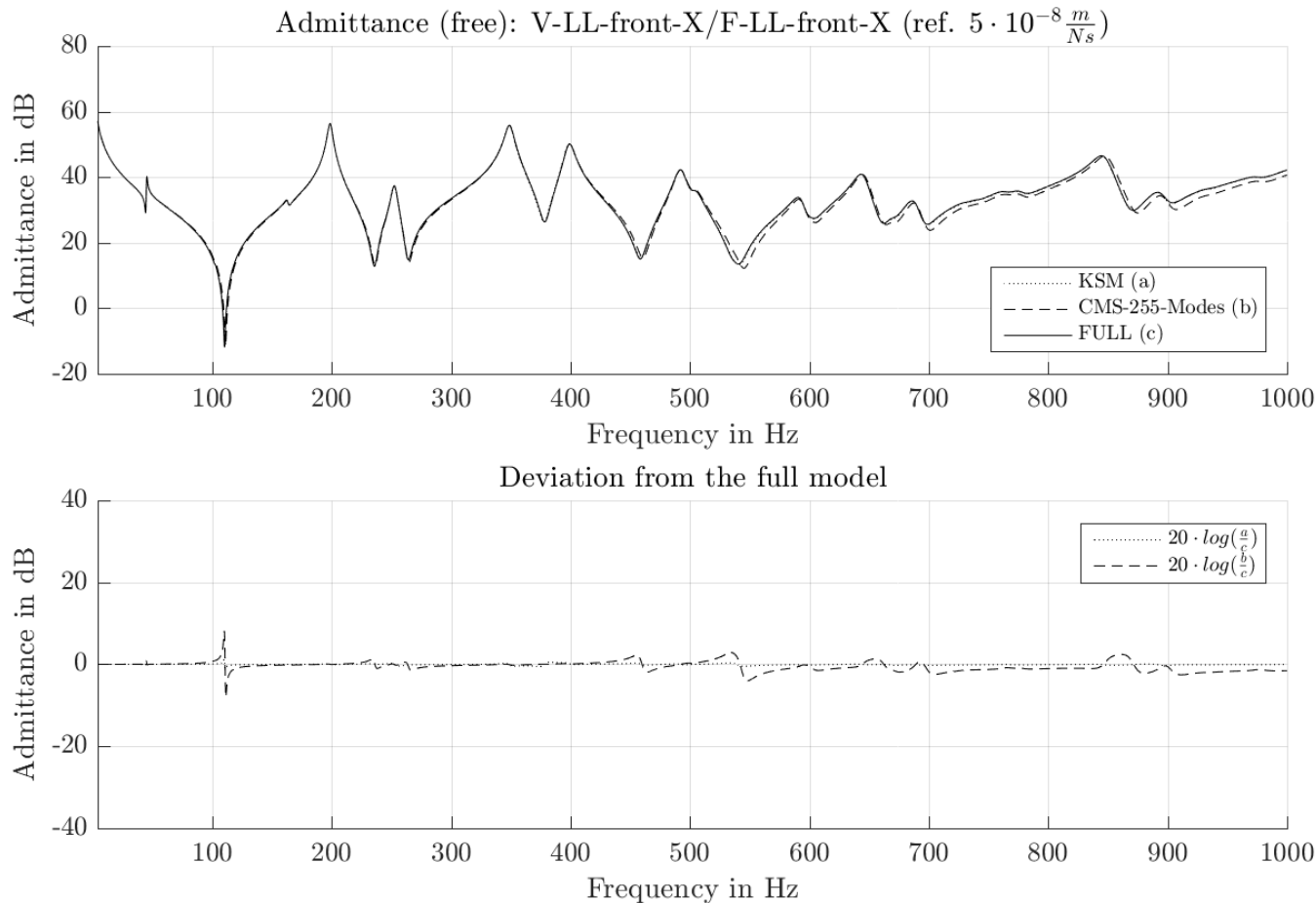
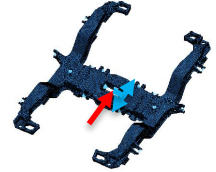


Plausibility test → Comparison to the Mass admittance (1159 kg)



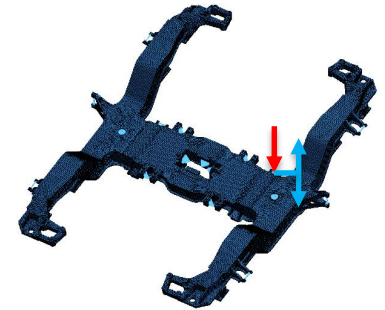
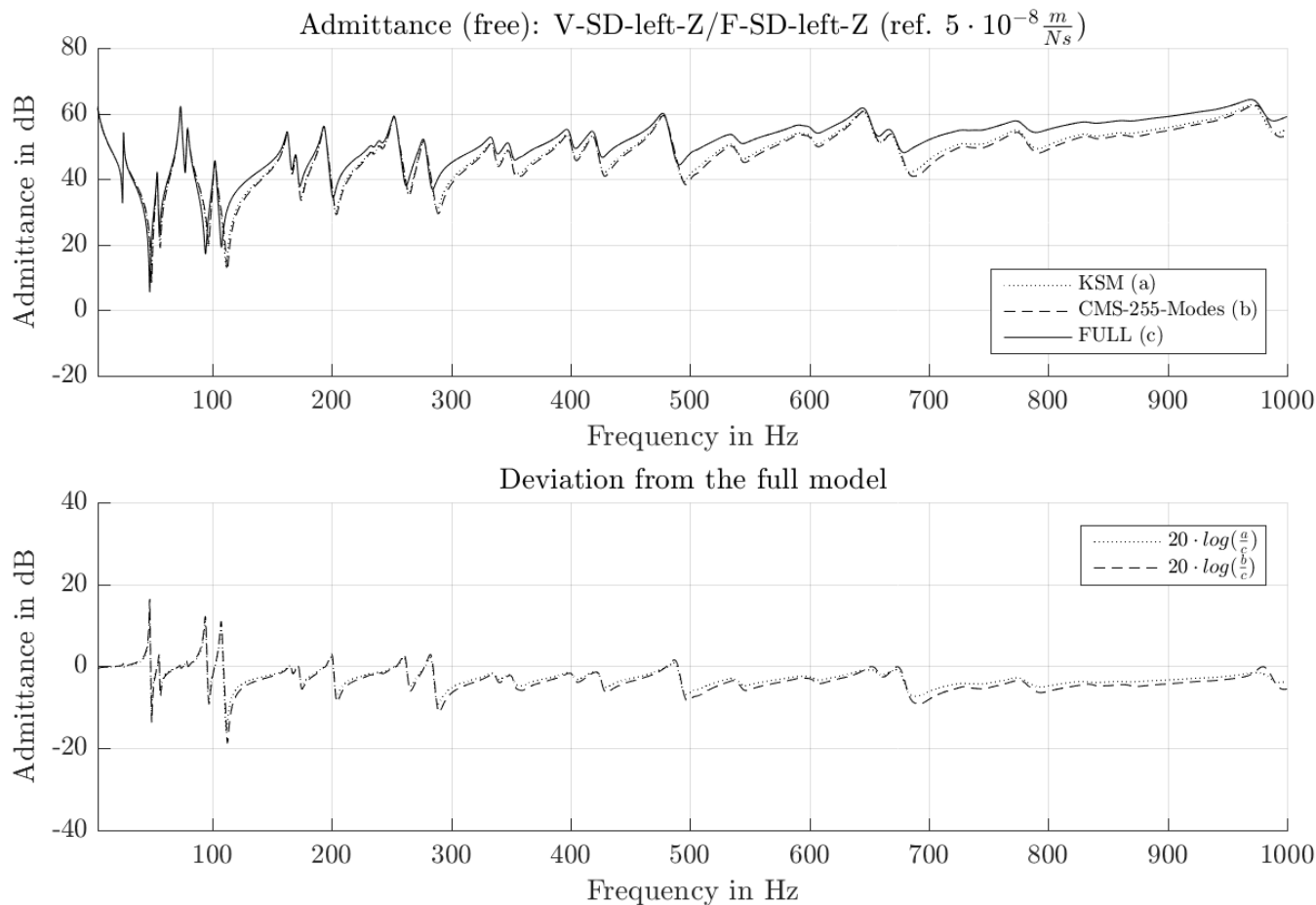
Deviations
between CMS and
KSM In the
antiresonances
→ Faulty higher
modes of CMS

Plausibility test → Comparison to the full model



- Good agreement with full model
- KSM performs slightly better especially between the eigenfrequencies
- Both models show a similar behavior

Fit of the reduction depends on the transferpath:



Bad agreement
between full and
reduced model
due to lack of
higher modes



Motivation



Question



Modeling

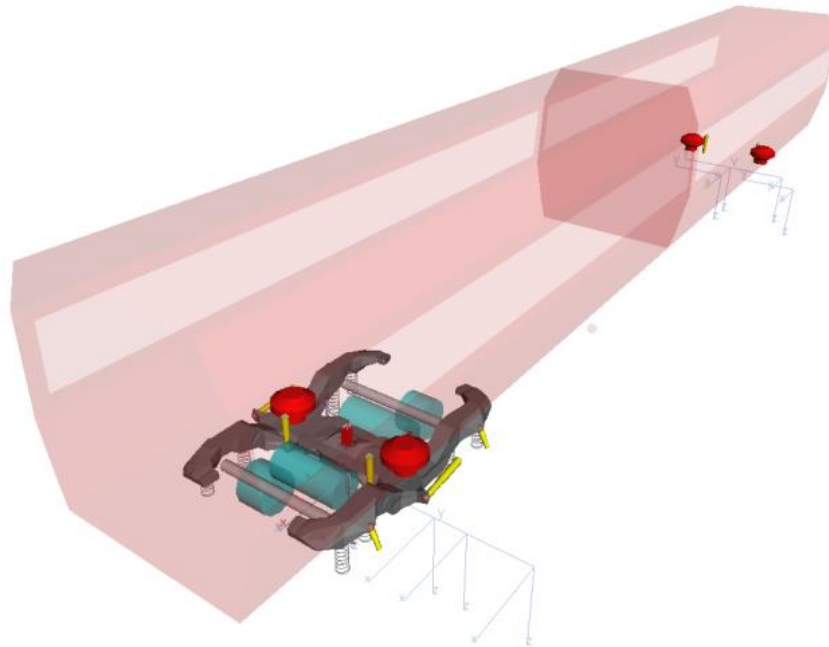


Comparison



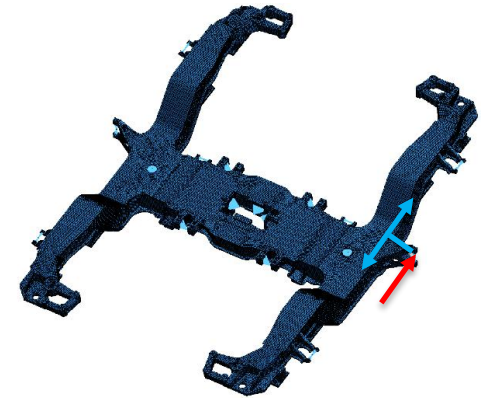
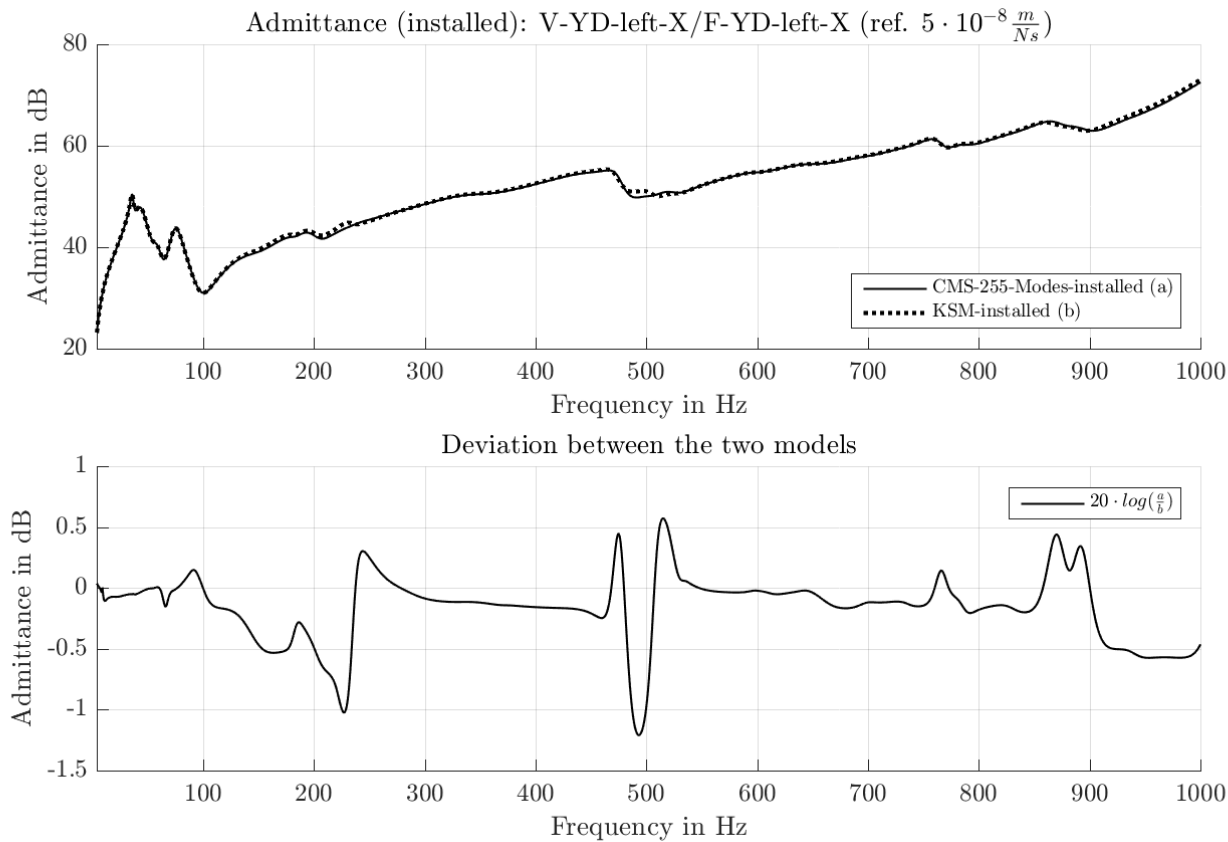
Conclusion

The installed state



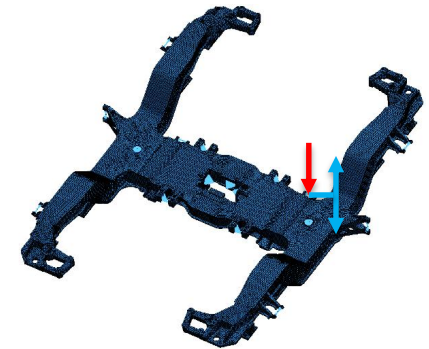
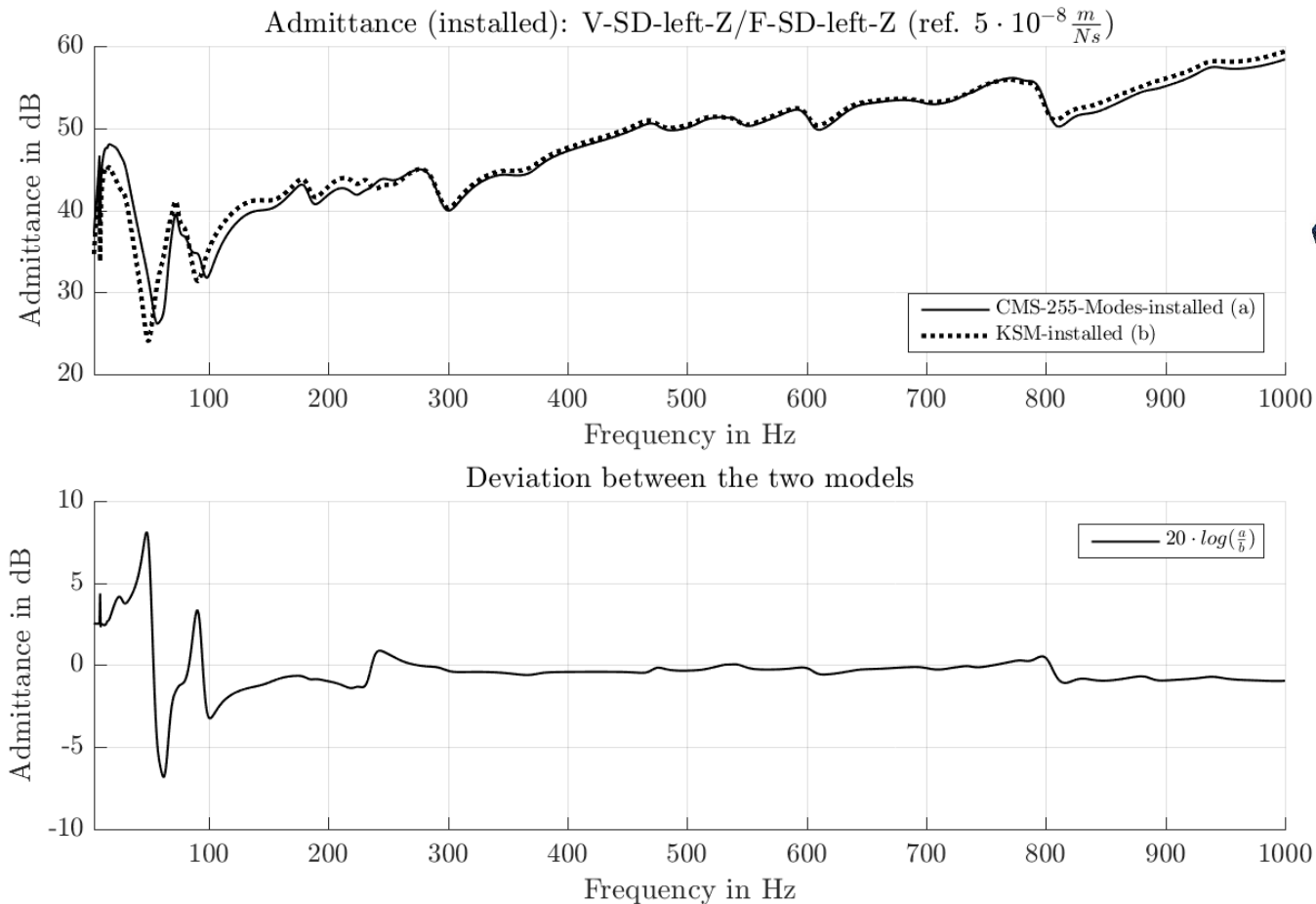
- Equipped with all relevant spring and damper elements within the EMBS
- Lower model boundary is given by the primary spring stage
- Car body is supported on the bogie
- Based on state of the art MBS modeling in the area of derailment safety and comfort calculation
- The wheelset is assumed to be rigid

Installed: KSM vs. CMS



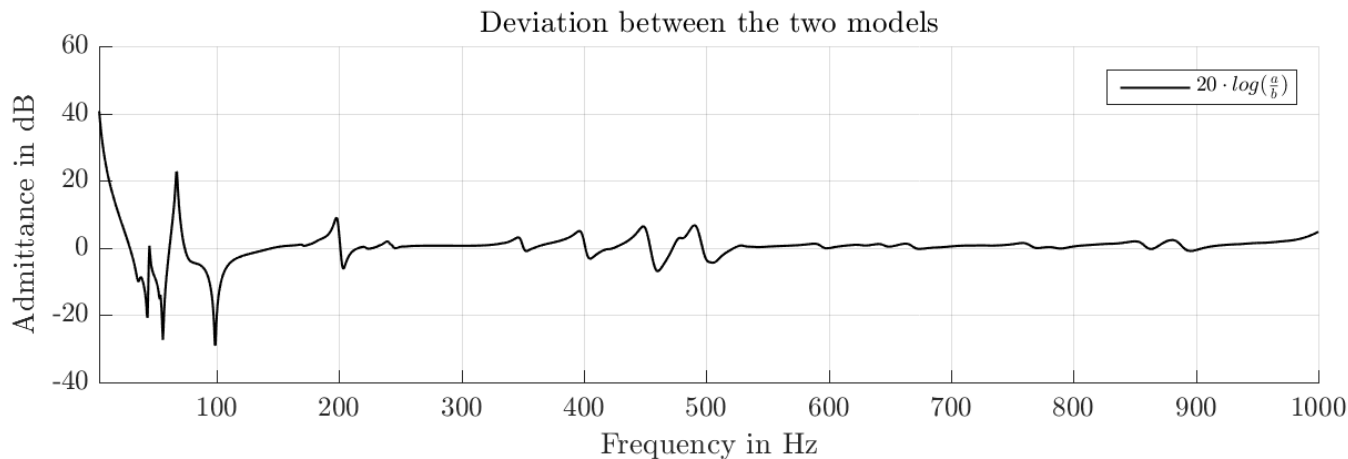
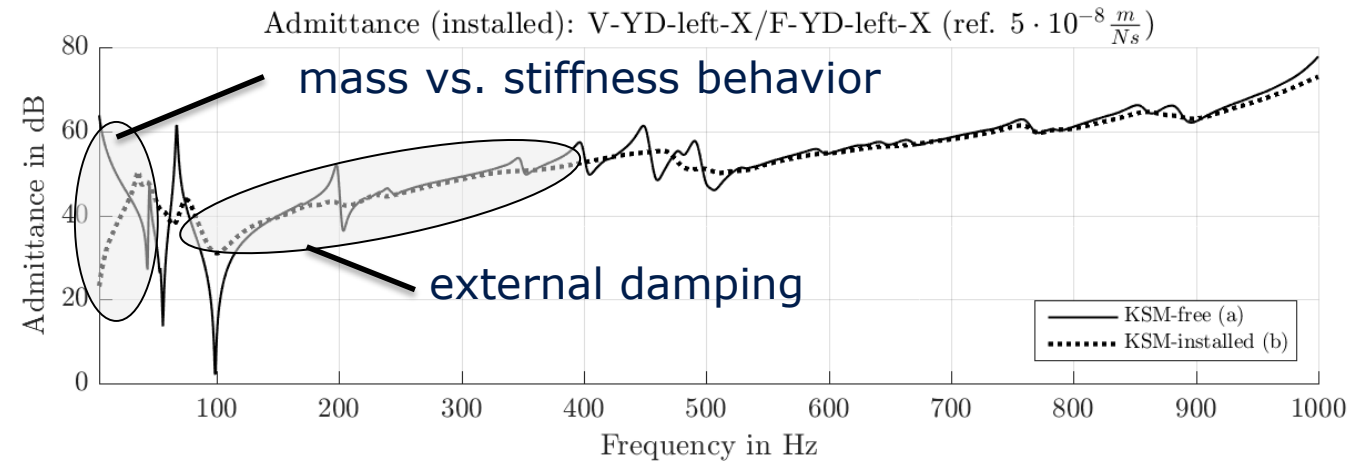
- Both models show a similar behavior

Installed: KSM vs. CMS



- Similarity depends on the transferpath

Installed vs. Free (KSM)



- Motivation
- Question
- Modeling of the bogie frame
- Comparison of the different modeling approaches
- Global evaluation and conclusion

Overall Comparison 174x174 admittance curves KSM vs. CMS

- Mean deviation overall
- Maximum mean deviation
- Maximum deviation

$$\Delta Y_{mean} = \left| 20 \cdot \log \frac{Y_1(\omega)}{Y_2(\omega)} \right|$$

$$\Delta \hat{Y}_{mean} = \max_i \left| 20 \cdot \log \frac{Y_{1i}(\omega)}{Y_{2i}(\omega)} \right|$$

$$\Delta \hat{Y} = \max_i \left[\max_{\omega} \left| 20 \cdot \log \frac{Y_{1i}(\omega)}{Y_{2i}(\omega)} \right| \right]$$

		ΔY_{mean}	$\Delta \hat{Y}_{mean}$	$\Delta \hat{Y}$
KSM vs. CMS	free vs. free	1.4±1.8 dB	25 dB	74.3 dB
KSM vs. CMS	installed vs. installed	4.3 ±2.8 dB	22.5 dB	74.4 dB
KSM vs. KSM	installed vs. free	13.2±4.8 dB	36.8 dB	36.9 dB
CMS vs. CMS	installed vs. free	13.5 ±4.1 dB	36.2 dB	36.3 dB

Conclusion

- KSM250 model approximates the full model better than the CMS300
- Significant errors arise by poorly correlated modes from the higher frequency range by the CMS model
- Both models provide comparable results for the free and for the installed state
- KSM reduced models can replace the CMS models
- The bogie in installed state has a totally different low frequency behavior in some points and the external damping smoothes the transfer functions
- Nevertheless the global trend of the transfer functions is maintained comparing the installed and the free bogie

Thank you for your attention!

Dipl.-Ing. Johannes Woller
Wissenschaftlicher Mitarbeiter

Technische Universität Dresden
Fakultät Maschinenwesen
Institut für Festkörpermechanik
Professur Dynamik und Mechanismentechnik
01062 Dresden
Tel.: +49 351 463-38042
E-Mail: johannes.woller@tu-dresden.de